

Integrated modeling of tokamak plasma confinement with IMEP

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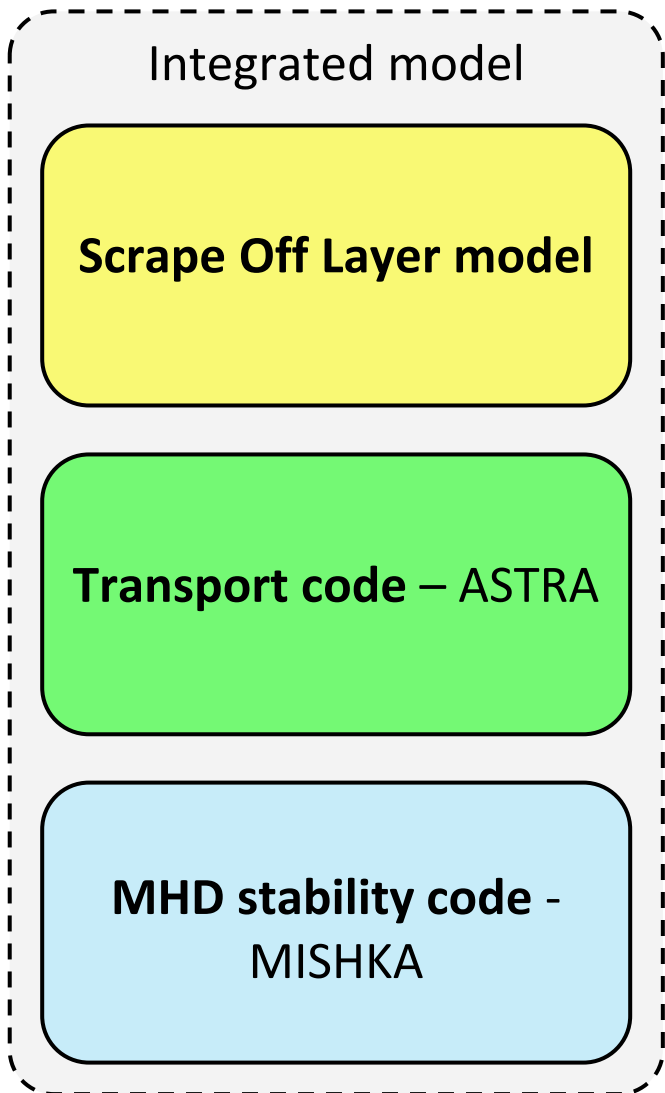
 **EUROfusion**



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The goal of this project



INTEGRATED MODEL: combination of different models to **simulate the confined plasma**

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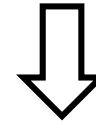
Integrated model

Scrape Off Layer model

Transport code – ASTRA

MHD stability code -
MISHKA

INTEGRATED MODEL: combination of different models to **simulate the confined plasma**



OUR PROJECT: develop an integrated model to simulate the plasma using only global parameters as input, and **no information from measurements of kinetic profiles**

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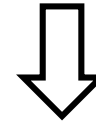
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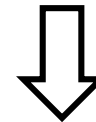
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INTEGRATED MODEL: combination of different models to **simulate the confined plasma**



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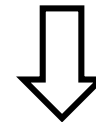
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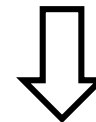
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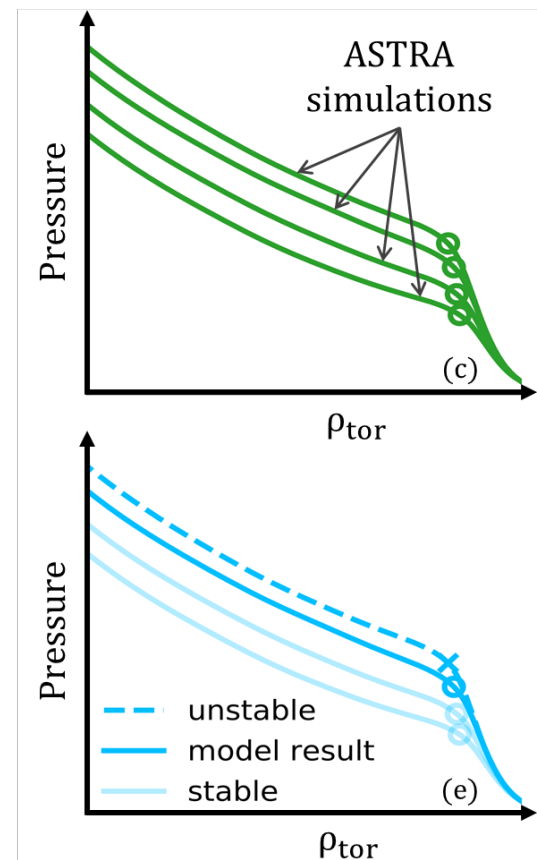
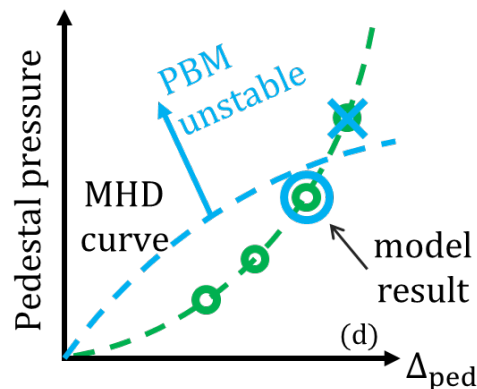
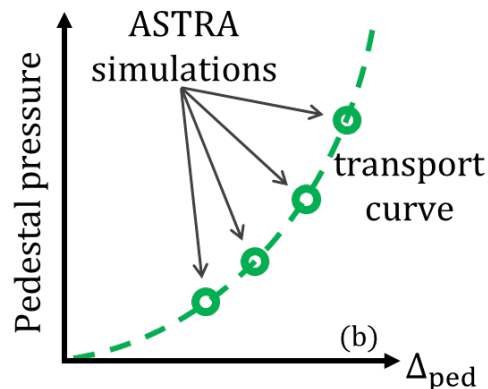
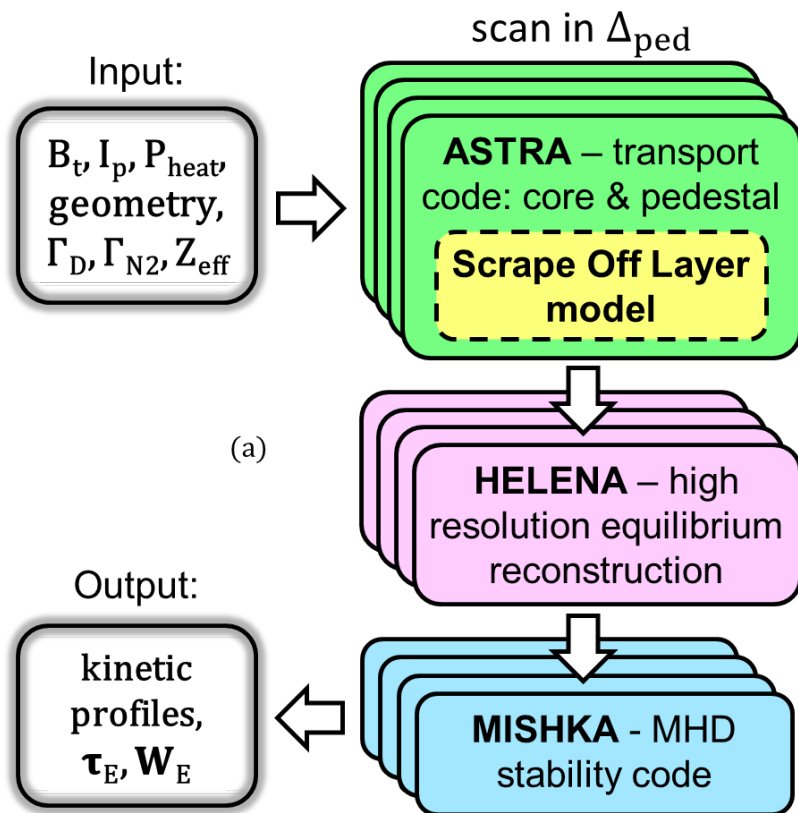
OUR PROJECT: develop an integrated model to simulate the plasma using only global parameters as input, and **no information from measurements of kinetic profiles**



OUR GOAL: take into account all the important dependencies affecting global plasma confinement

Can this approach reproduce present experiments with **higher accuracy** than an empirical scaling law?

IMEP: Integrated Model Based on Engineering Parameters



For more details \rightarrow [T. Luda *et al* 2020 NF]

Confined plasma profiles prediction

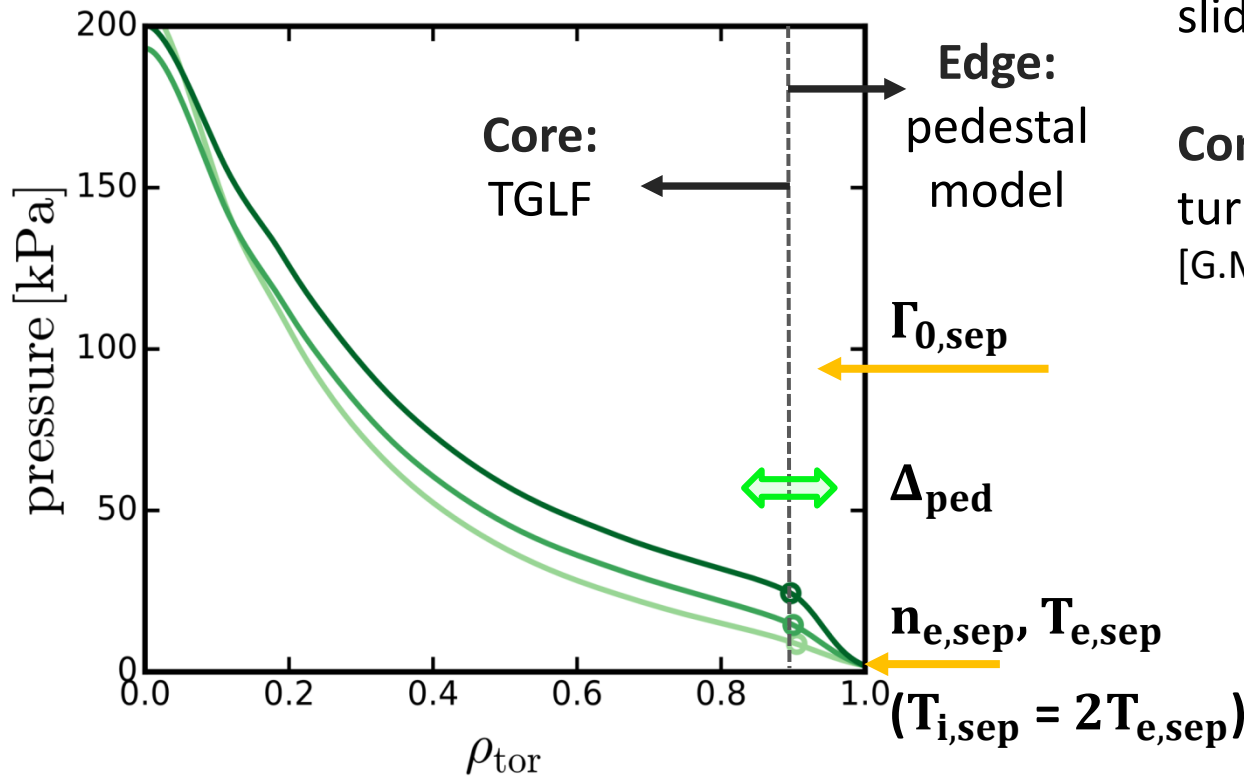
Transport code - ASTRA
Evaluates the **kinetic profiles** from separatrix to magnetic axis, using global plasma parameters

Scan in pedestal width (Δ_{ped}):
many ASTRA simulations, one for each Δ_{ped}

Edge:
pedestal transport model (next slides)

Core:
turbulent transport model TGLF [G.M. Staebler *PoP* 2007, *NF* 2017]

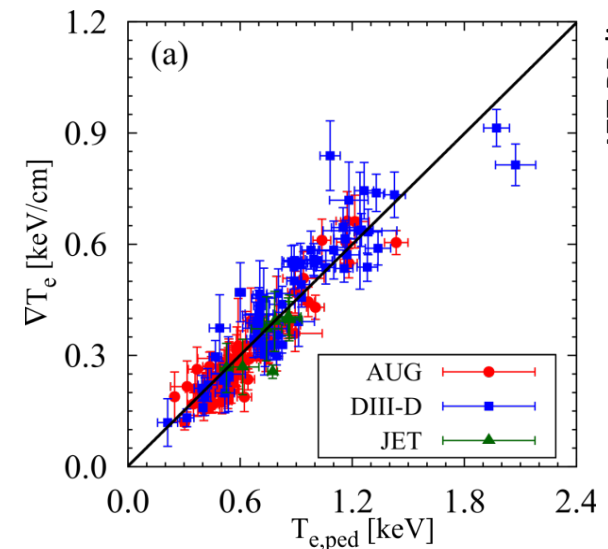
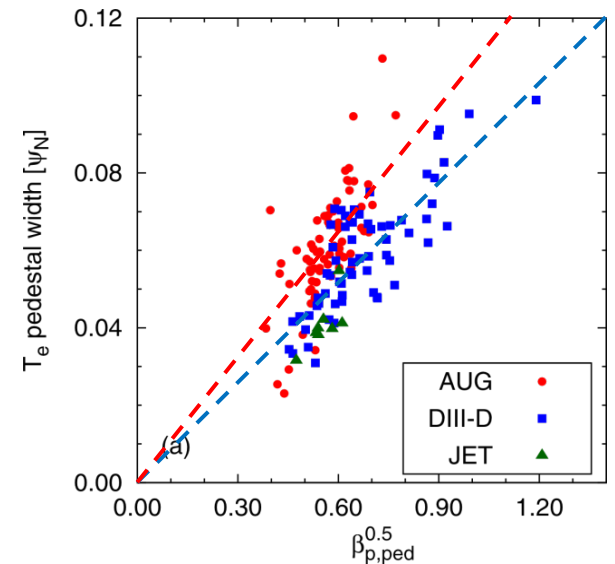
Core ↔ **Pedestal**
Complete description of transport over the whole plasma radius, w/ b.c. from SOL model



Pedestal transport model

- The EPED pedestal model: [P. B. Snyder *et al* 2009 *PoP*]
 - assumes: $\Delta\Psi_N \sim (0.076, 0.11)\beta_{p,ped}^{0.5}$
 - requires $n_{e,top}$ as input
 - assumes $T_{e,top} = T_{i,top}$
- JET data: small subset selected with the pre-ELM pedestal near the PB boundary
- AUG, DIII-D, and JET pedestals exhibit one common feature: $\langle \nabla T_e \rangle / T_{e,top} \approx \mathbf{constant}$
[P.A. Schneider *et al* 2013 *NF*]
- We implemented in IMEP the condition

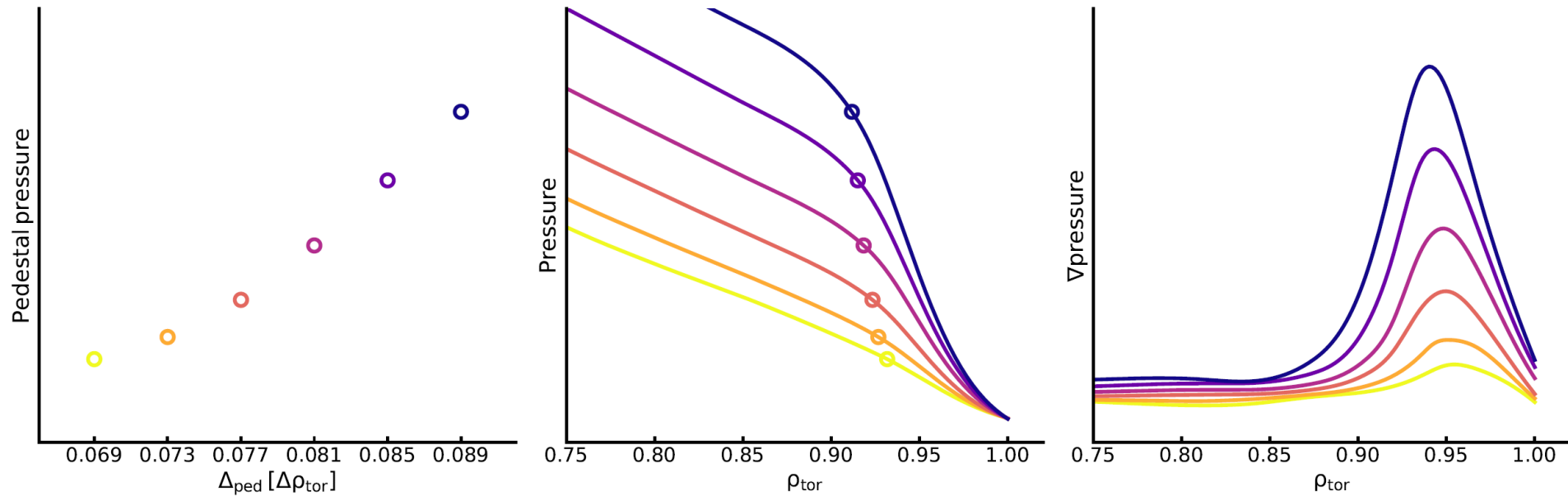
$$\frac{\langle \nabla T_e \rangle}{T_{e,top}} = -0.5 [1/cm]$$



Pedestal transport model $\rightarrow p_{\text{top}} \propto \Delta_{\text{ped}}$



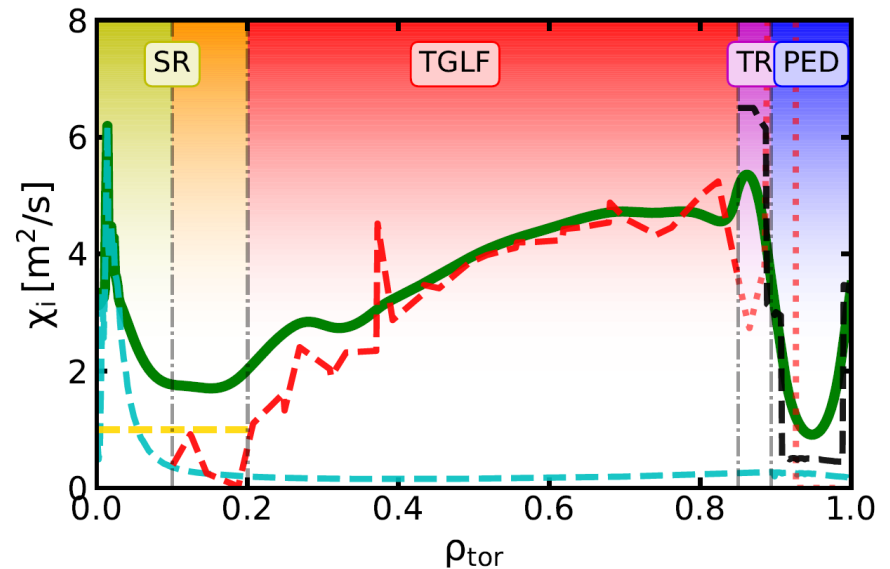
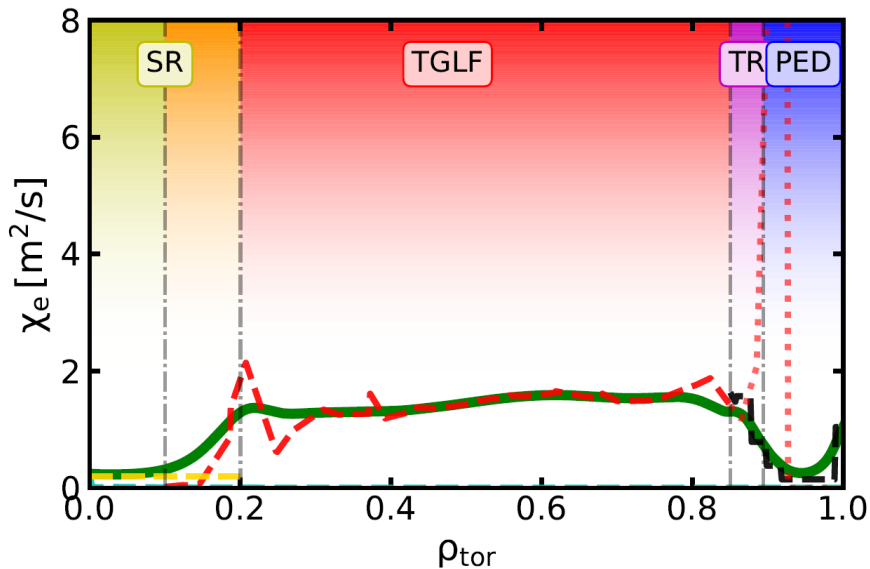
- For every Δ_{ped} of the scan, ASTRA changes $\chi_{e,\text{ped}}$ until $\frac{\langle \nabla T_e \rangle}{T_{e,\text{top}}} = -0.5$ is satisfied
- The obtained $\chi_{e,\text{ped}}$ is used to evaluate $\chi_{i,\text{ped}}$: $\chi_{i,\text{ped}} = \chi_{e,\text{ped}} + \chi_{i,\text{NEO}}$
- Modelling of the electron density: $D_{n,\text{ped}} = c_{D/\chi} \chi_{e,\text{ped}} + D_{n,\text{NEO}}$
- $c_{D/\chi} = 0.06$ and $C_{n,\text{ped}} = -0.05$ [m/s] obtained with an **optimization** procedure trying to match different experimental pedestal density profiles



Connection of the different regions

Example of the heat diffusivities for electrons and ions for a given Δ_{ped} :

- - - Before smoothing
- After smoothing



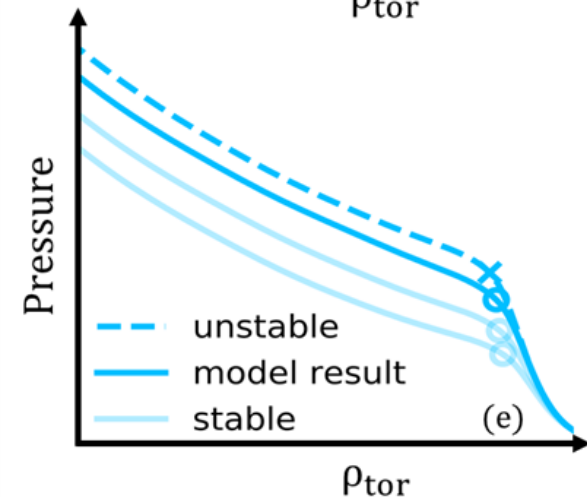
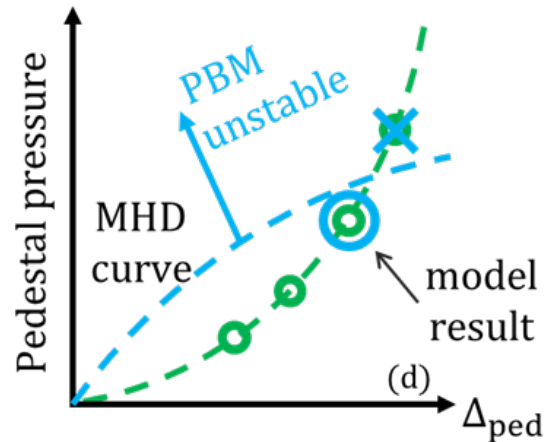
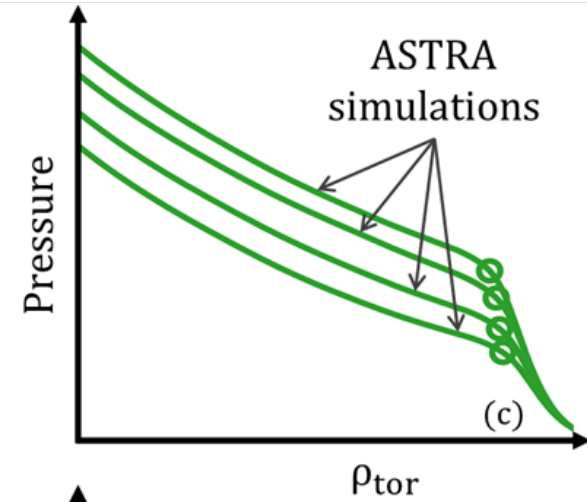
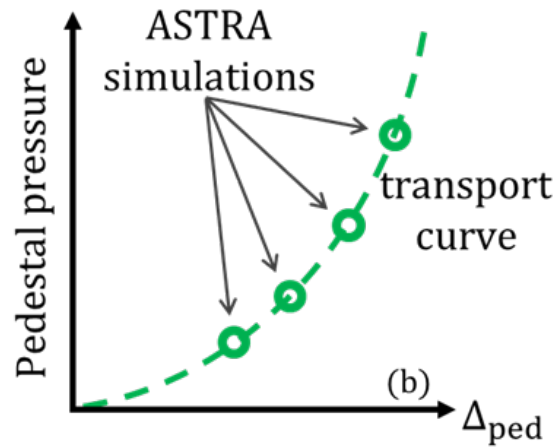
TGLF, NCLASS, sawtooth transport,
diffusivities in the **pedestal** and **transition** regions

$$\chi_{tr} = c_1 + c_2 \chi_{ped}$$

Pedestal MHD stability calculation

MHD stability code - MISHKA
Evaluates the critical
pedestal pressure

The **MISHKA** MHD stability code is run on every **ASTRA** simulation result to find the pedestal width corresponding to the **highest pedestal pressure** that is peeling-ballooning modes (PBM) stable



IMEP more accurate than IPB98(y,2) on AUG

This modeling workflow is tested by simulating **50** H-mode stationary phases from ASDEX Upgrade discharges covering wide variations in:

$$B_t = 1.5 - 2.8 \text{ [T]} \quad I_p = 0.6 - 1.2 \text{ [MA]}$$

$$P_{\text{net}} = 2 - 14 \text{ [MW]} \quad q_{95} = 3 - 8$$

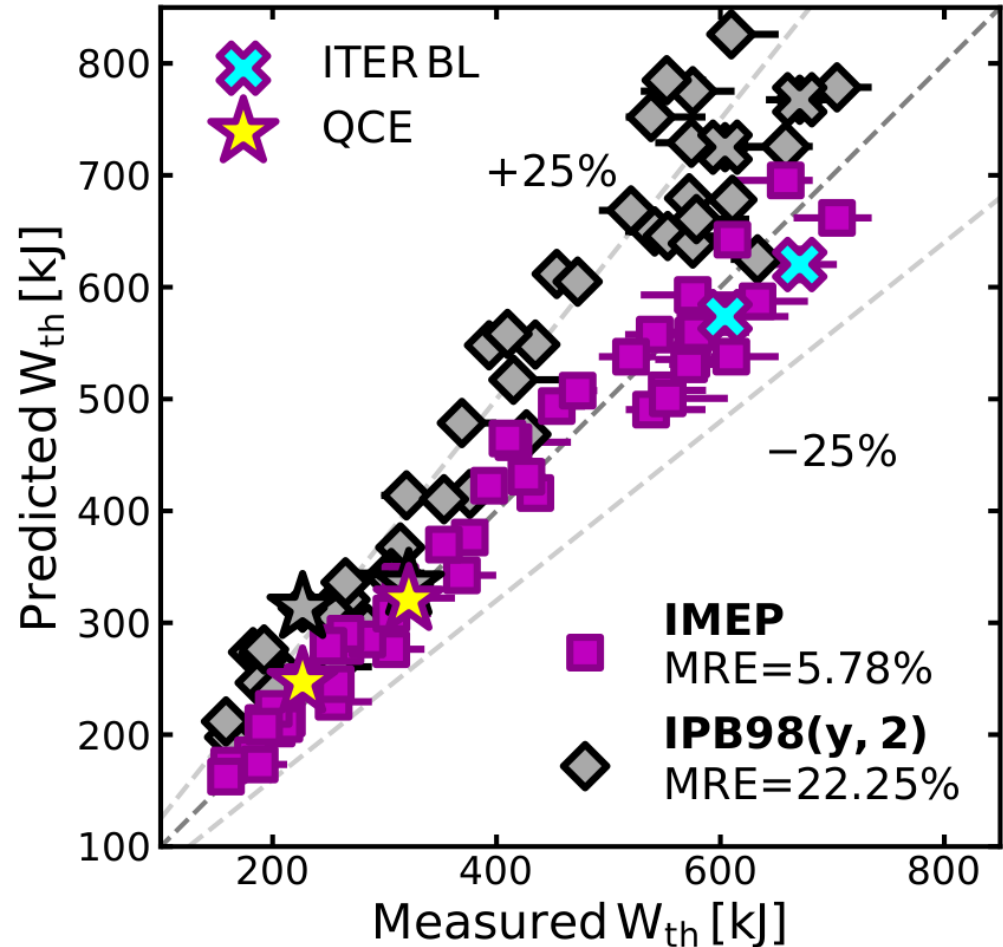
$$\Gamma_D = 0 - 8 \times 10^{22} \text{ [e/s]}$$

$$\delta = 0.19 - 0.42$$

$$V_{\text{NBI}} = 42 - 92 \text{ [kV]}$$

IMEP:

- ✓ is **more accurate** with respect to the IPB98(y,2) scaling law
- ✓ can accurately **capture the effect** of the different operational parameters



... and then recent more accurate scaling laws



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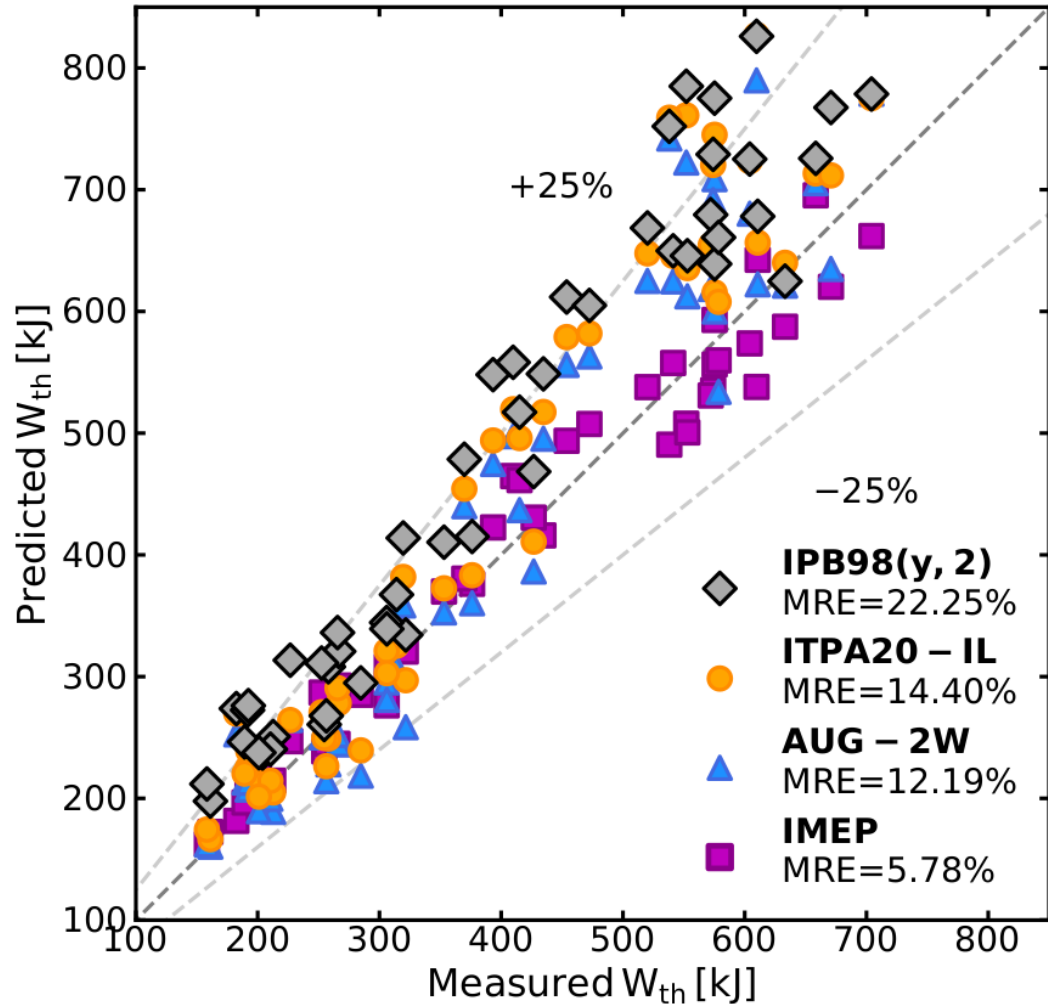
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IMEP is even more accurate than a regression on **ASDEX Upgrade data only** (AUG-2W)

Core and pedestal confinement

This modeling workflow is tested by simulating **50** H-mode stationary phases from ASDEX Upgrade discharges covering wide variations in:

$$\mathbf{B}_t = 1.5 - 2.8 \text{ [T]} \quad \mathbf{I}_p = 0.6 - 1.2 \text{ [MA]}$$

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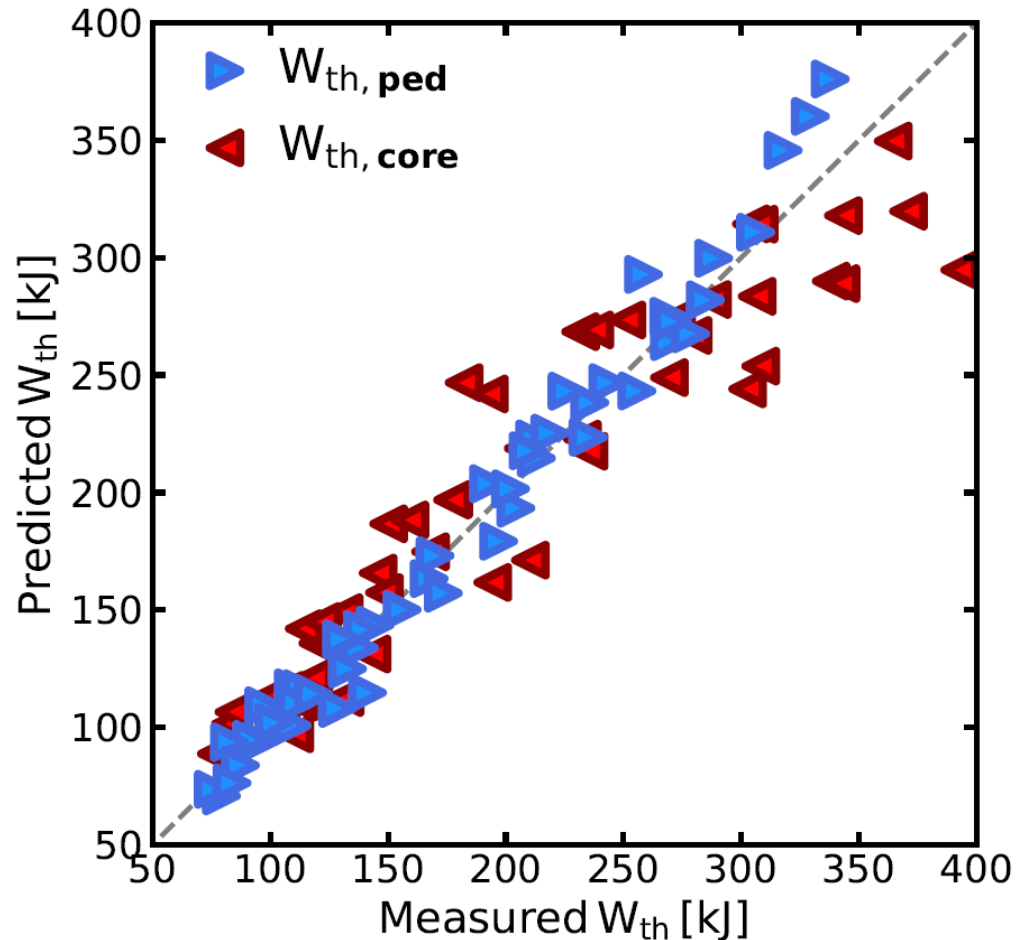
$$\mathbf{\Gamma}_D = 0 - 8 \times 10^{22} \text{ [e/s]}$$

$$\mathbf{\delta} = 0.19 - 0.42$$

$$\mathbf{V}_{\text{NBI}} = 42 - 92 \text{ [kV]}$$

This approach can accurately predict the **pedestal energy**, and can describe the effect of the different parameters on pedestal confinement for this database

The **core energy** can be overpredicted by TGLF due to low stiffness, or underpredicted due to too low stabilization mechanisms (fast ions, β effects)



Density prediction

This modeling workflow is tested by simulating **50** H-mode stationary phases from ASDEX Upgrade discharges covering wide variations in:

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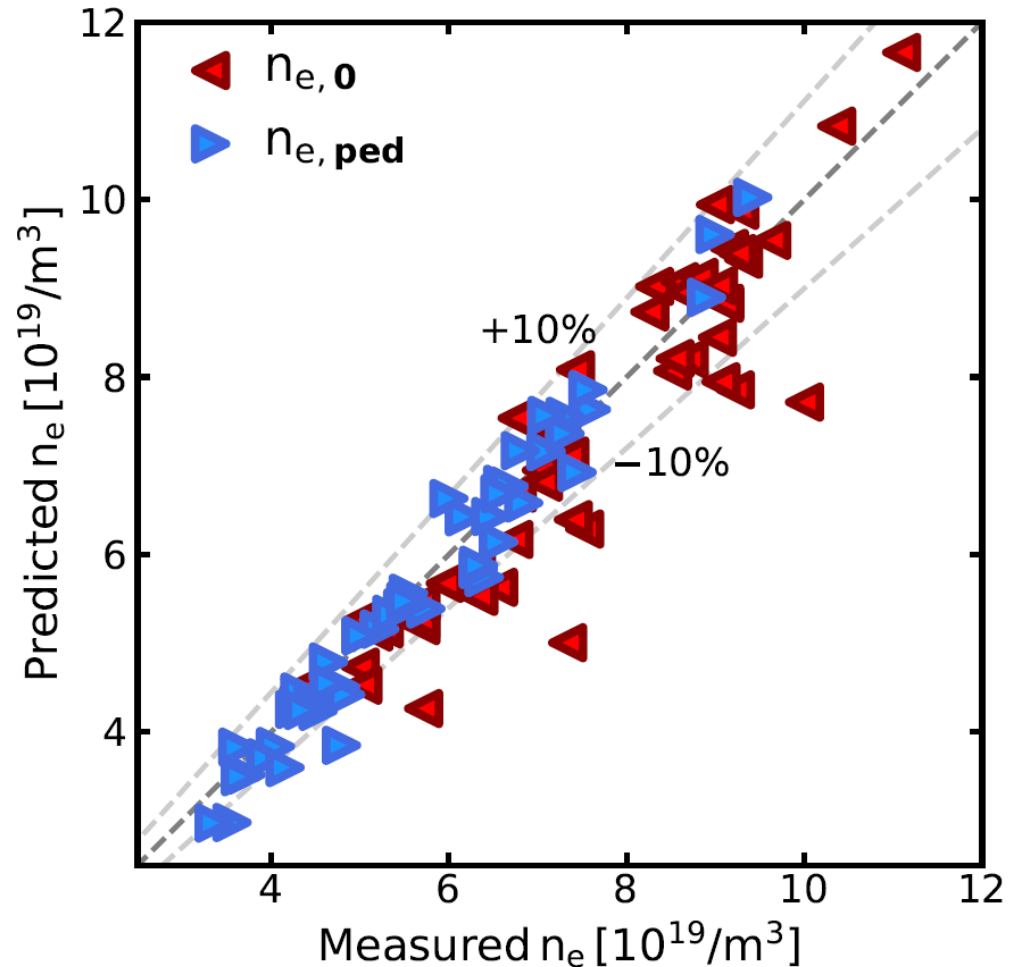
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$$V_{\text{NBI}} = 42 - 92 \text{ [kV]}$$

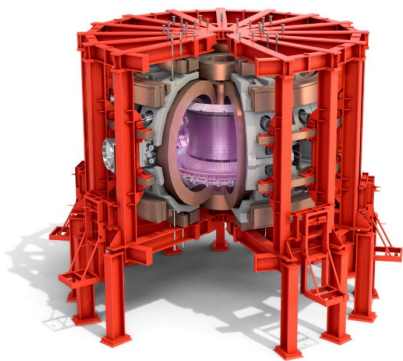
IMEP can accurately predict the **pedestal top density**, a great advantage over the EPED model where this must be given as input

The **core density** prediction is also accurate, it might be underpredicted due to too low stabilization mechanisms (fast ions, β effects)

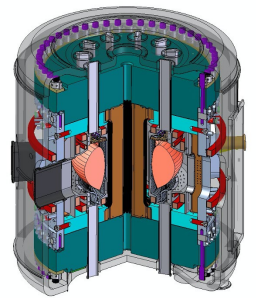
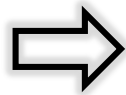


Application of the model to other devices

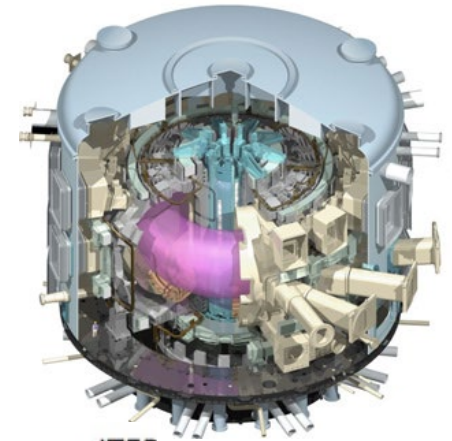
- The successful validation of the model on a database of AUG experiments is very promising for a more **physics based prediction** of plasma confinement
- It is important to extend the validation to **other devices** to test the validity of the assumptions and to gain confidence for the prediction of future devices



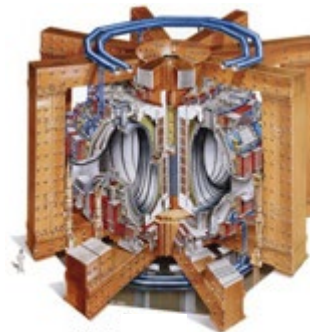
AUG



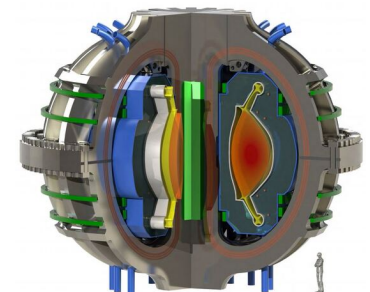
Alcator C-Mod



ITER



JET

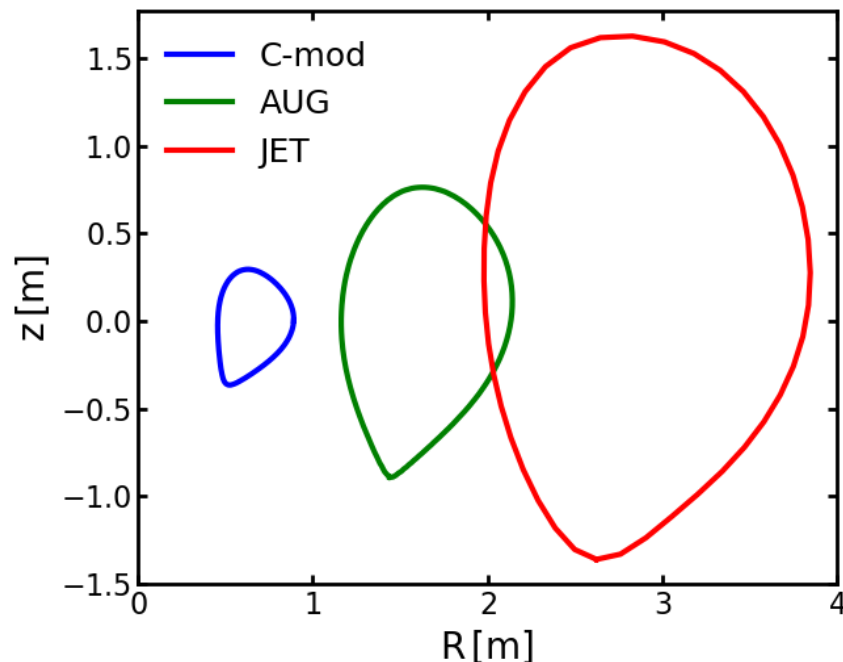


ARC

Test on C-Mod and JET-ILW ELMy H-mode

	P_{heat} [MW]	I_p [MA]	B_t [T]	q_{95}	n_e [10^{19} m $^{-3}$]
C-Mod	2.5	0.9	5.5	4.3	16.5
AUG	12.0	1.0	2.5	4.0	7.0
JET	14.5	2.0	2.3	3.6	2.0

JET data: small subset selected with the pre-ELM pedestal near the PB boundary



Simulations setup:

- boundary conditions at separatrix (T_e , T_i , n_e) fixed to experimental values
- pedestal top density fixed to experimental value (via feedback on neutrals density) → **no SOL model**
- power deposition (ICRH, NBI) from TRANSP

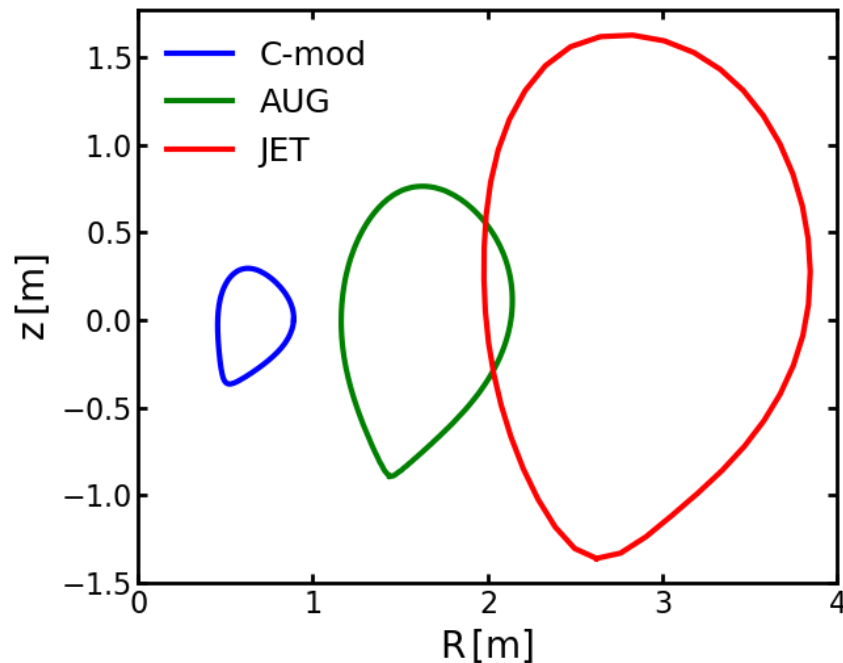
$$\frac{\langle \nabla T_e \rangle}{T_{e,\text{top}}} = \text{constant also for C-Mod and JET?}$$

Can IMEP correctly reproduce the pedestal pressure for the other tokamaks?

Test on C-Mod and JET-ILW ELMy H-mode

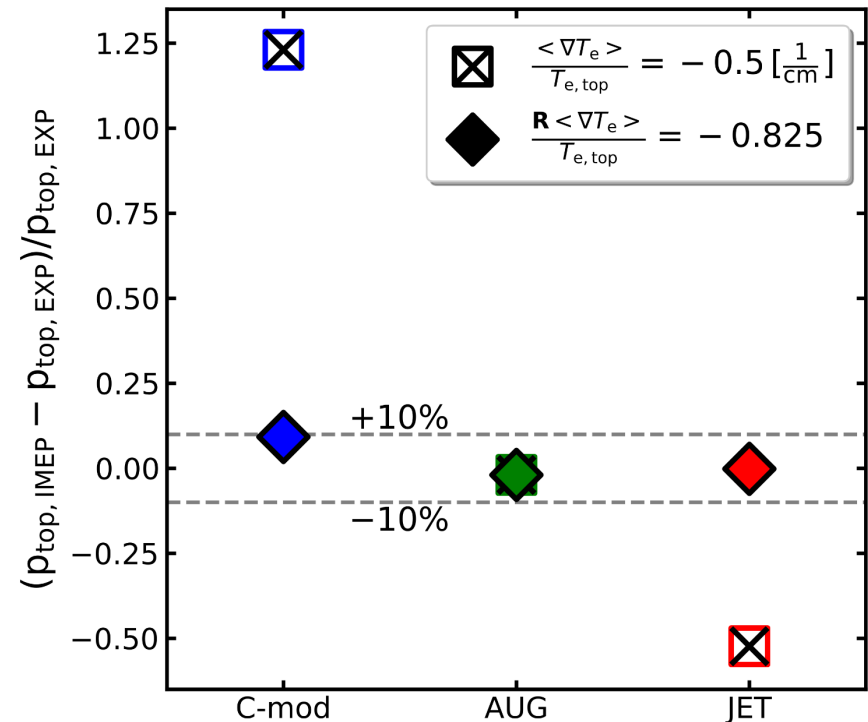
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JET data: small subset selected with the pre-ELM pedestal near the PB boundary



$$\frac{\langle \nabla T_e \rangle}{T_{e,\text{top}}} = \text{constant} \rightarrow \text{large error!}$$

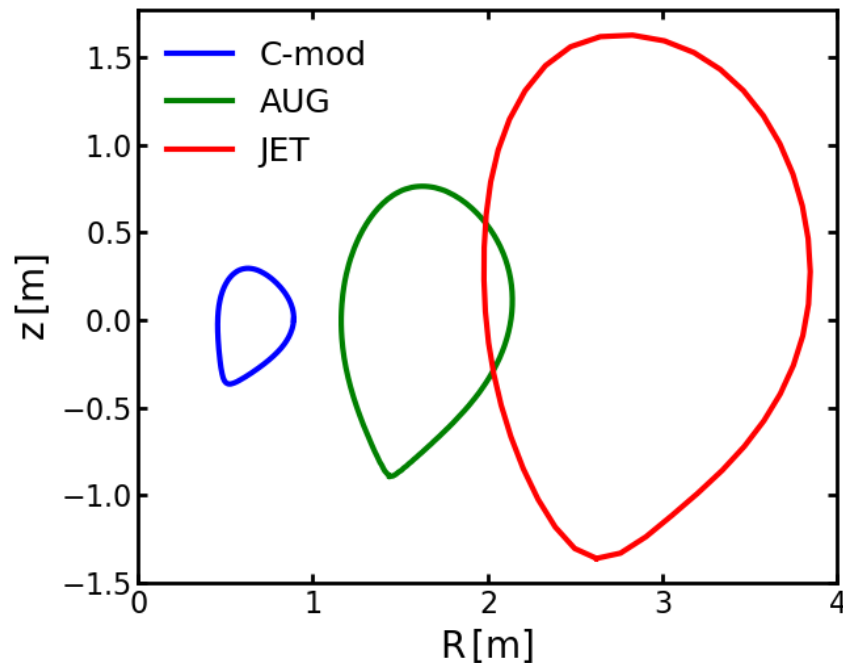
$$\frac{R \langle \nabla T_e \rangle}{T_{e,\text{top}}} = \text{constant} \rightarrow \text{very accurate!}$$



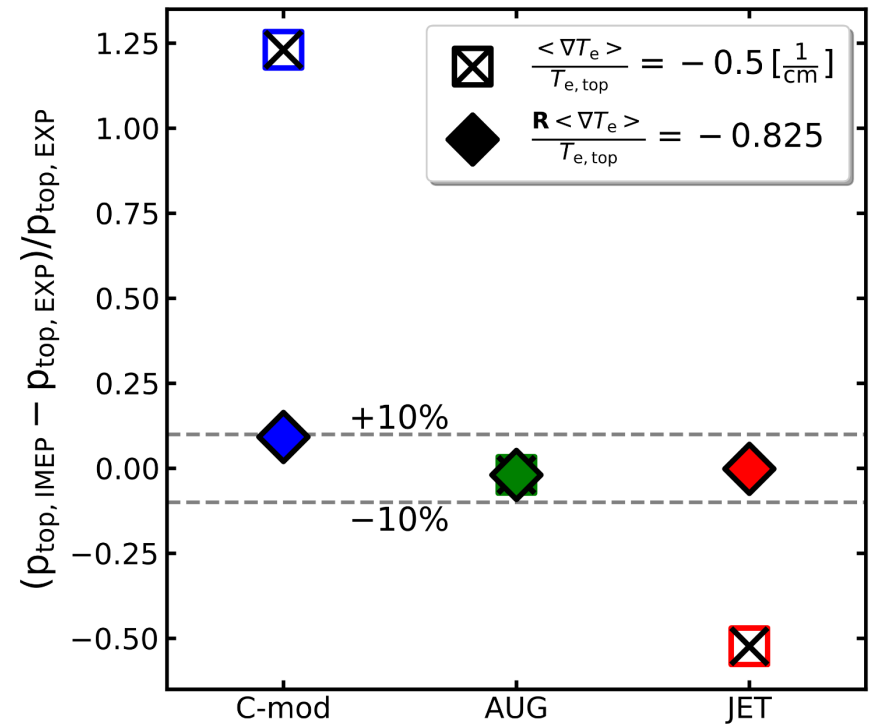
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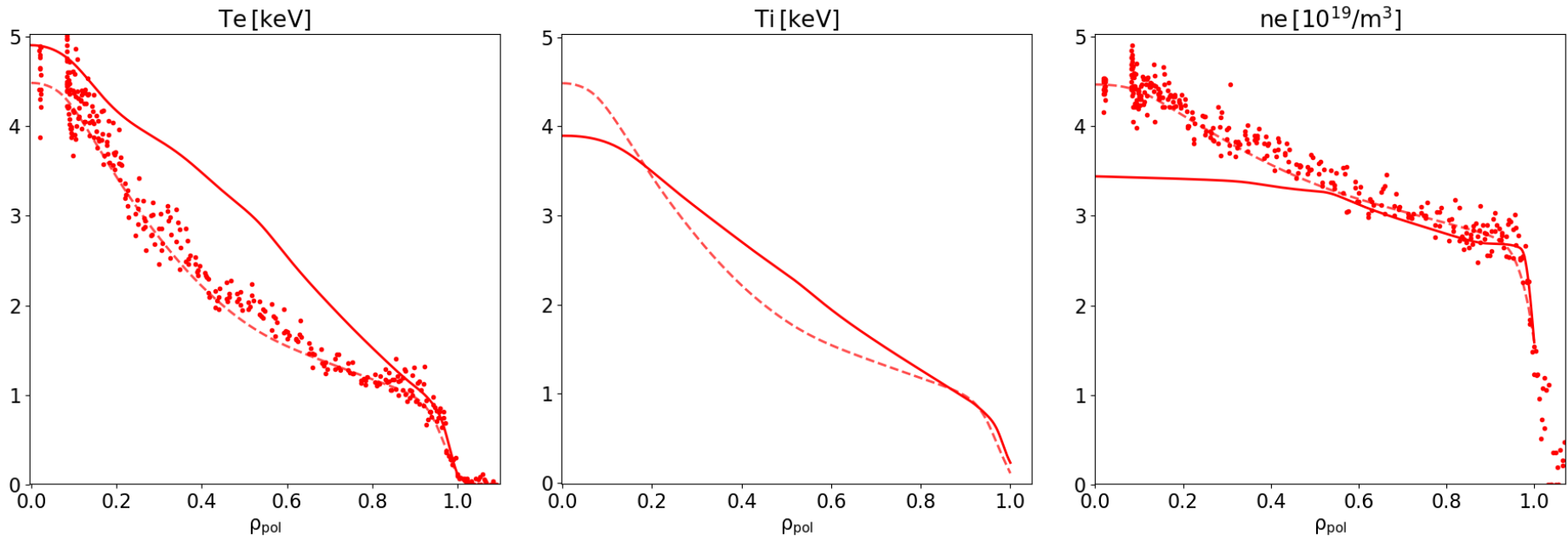
M5.1 - Heuristic pedestal transport model refined based on parameter scans performed in deliverable 1 and exp. results from machines other than AUG
D5.1 - Refined heuristic transport model ready for interfacing



JET-ILW simulations



	P_{heat} [MW]	I_p [MA]	B_t [T]	q_{95}	n_e [$\frac{10^{19}}{\text{m}^3}$]
JET	14.5	2.0	2.3	3.6	3.0

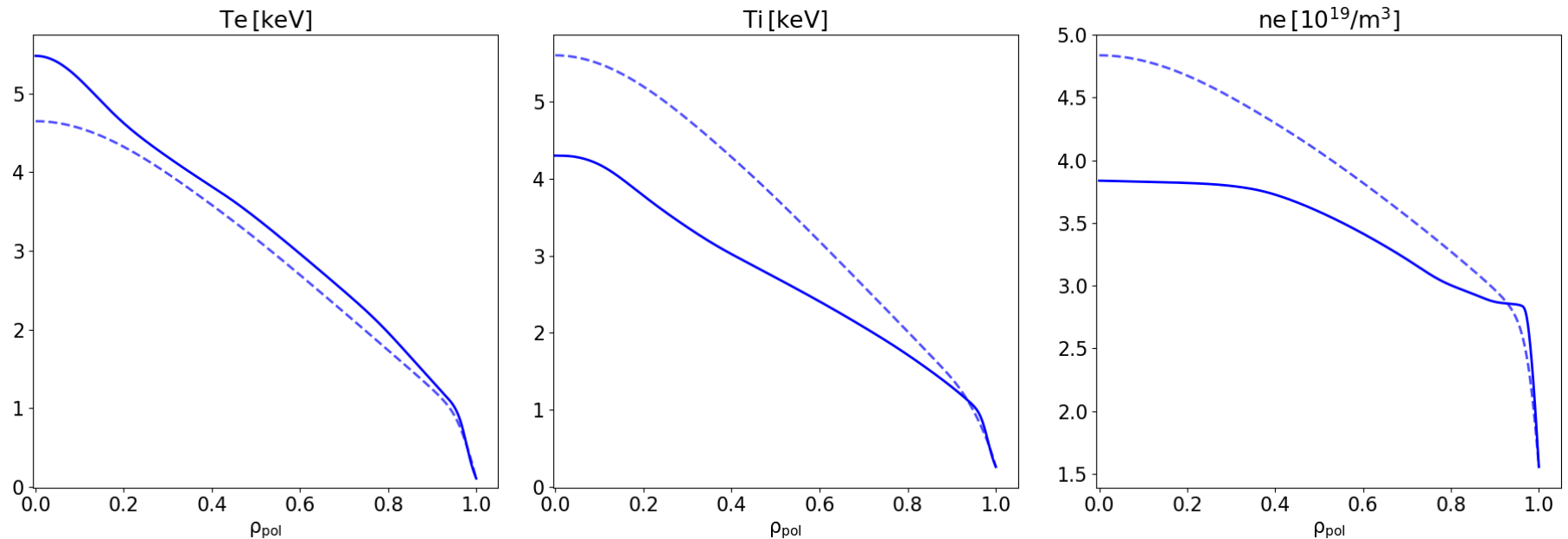


Pedestal top quantities well reproduced
Core profiles not very well reproduced by QuaLiKiz-NeuralNetwork

JET-ILW simulations



	P_{heat} [MW]	I_p [MA]	B_t [T]	q_{95}	n_e [$\frac{10^{19}}{\text{m}^3}$]
JET	12	1.4	1.7	4.4	3.8



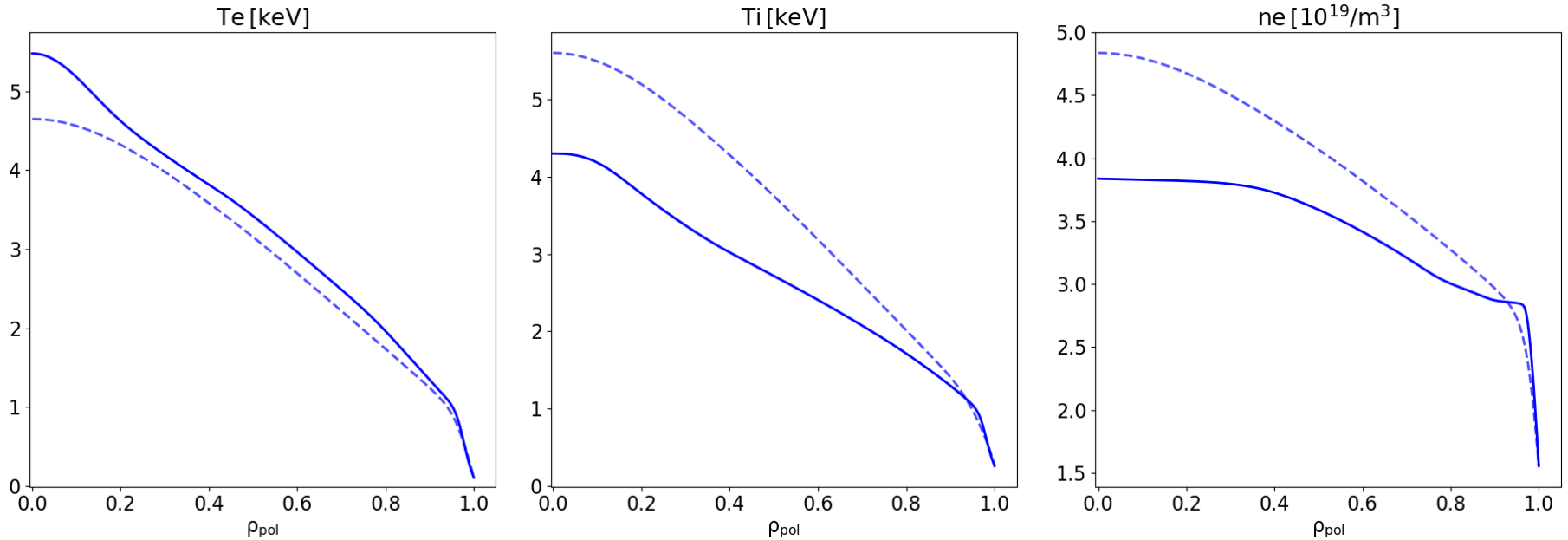
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JET-ILW simulations



	P_{heat} [MW]	I_p [MA]	B_t [T]	q_{95}	n_e [$10^{19}/\text{m}^3$]
JET	12	1.4	1.7	4.4	3.8

Database will be expanded with fueling and power scans



Pedestal top quantities well reproduced
Core profiles not very well reproduced by QuaLiKiz-NeuralNetwork

- **IMEP predicts entire radial profiles** of AUG H-mode plasmas, from magnetic axis to separatrix, only using global parameters as inputs
- Validation on AUG database with large variations in operational parameters demonstrates that IMEP can capture physics effects determining plasma confinement **beyond the possibilities of empirical scaling laws**
- The model can accurately **predict the pedestal top density**, which is a great improvement over the current situation where this must be given as input
- **Dimensionless parameter** $\frac{R\langle\nabla T_e\rangle}{T_{e,\text{top}}}$ = constant is shown to be promising candidate in AUG, C-Mod, and JET-ILW (PB limited pedestal) to accurately predict the pedestal pressure in different devices (with experimental b.c.)
- The empirical elements of the SOL model need to be generalized in order to be applied also to **different machines**. In particular, the scaling for the divertor neutral pressure p_0 is AUG specific
- In the long term the model could contribute to develop and optimize ITER, DEMO, and SPARC scenarios to **reach the best fusion performance**

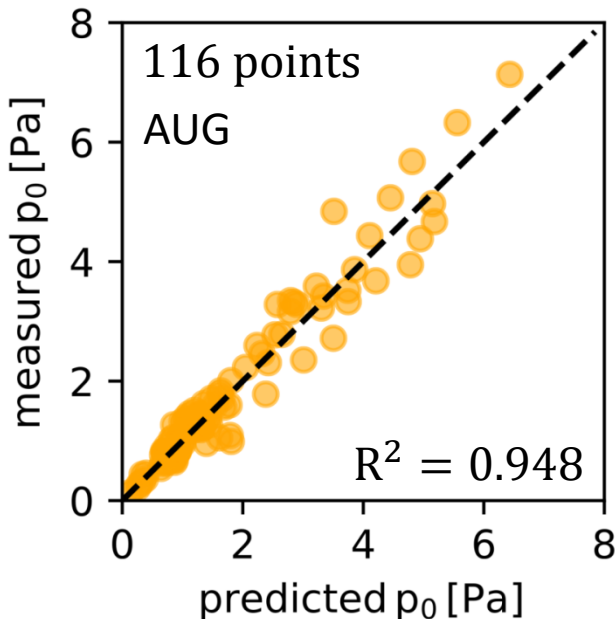
Scrape Off Layer model

Gives a relation between gas puffing, separatrix density, and incoming neutral particles

From the 2-point model:

$$\mathbf{T}_{e,sep} = \left(\frac{7P_{sep}\pi q_{cyl}R}{3k_0k_z} \right)^{2/7}$$

[A Kallenbach *et al* 2018
Nuclear Materials and Energy]



$$\mathbf{n}_{e,sep} = 0.35 \left(\frac{P_{sep}B}{3\pi \langle \lambda_{q,HD} \rangle \langle B_p \rangle} \right)^{3/14} \cdot R^{-0.5} (\gamma \sin \alpha)^{-\frac{1}{2}} \left(\frac{2k_0k_z}{7\pi q_{cyl}} \right)^{\frac{2}{7}} \frac{2}{e} \left(\frac{m_D}{2} \right)^{0.5} \cdot (1.5 \cdot 10^{23} \text{ Pa}/(\text{at m}^{-2} \text{ s}^{-1}))^{0.5} \mathbf{p}_0^{1/4}$$

Divertor neutral pressure \longrightarrow

$$\mathbf{\Gamma}_{0,sep} = \alpha (f_R \mathbf{\Gamma}_{e,sep} + c_{div,wall} (\mathbf{\Gamma}_D - \mathbf{\Gamma}_{pump}))$$

α : ionization and CX processes considering Franck-Condon neutrals ($T_0 = 5\text{eV}$)

$$\mathbf{p}_0 = 0.174 \mathbf{\Gamma}_D^{0.63} \mathbf{\Gamma}_{N2}^{-0.057} P_{NBI}^{0.33} V_{pump}^{-0.67}$$