

# Ideal MHD stability of NT

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# Motivation

## Main objective

Assess the potential differences in global  $n = 1$  ideal MHD stability of positive and negative triangularity plasmas.

TCV equilibria will be used as a first example.

- ▶ 69271: diverted NT
- ▶ 69515: diverted PT <sup>1</sup>

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<sup>1</sup>Smoothed equilibria archive in TSVV2 wiki does not contain EQDSK files, only gyropsi HDF5 files and EXPTNZ kinetic profiles

# Reviving the $\beta_N$ limit workflow for TCV

(Initial work by S. Medvedev and O. Sauter)

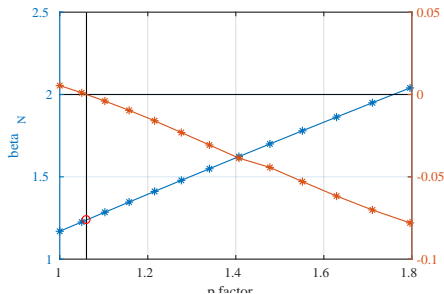
## ▶ Workflow description

- ▶ Assess the  $n = 1$  ideal MHD stability of the base equilibrium
- ▶ Gradually scale up (or down) the pressure profile (usually  $dp/d\psi$ ) with respect to the current density  $I^* = \langle \mathbf{J} \cdot \nabla\varphi \rangle / \langle \|\nabla\varphi\| \rangle$  until the stability has changed.
- ▶ Because we consider  $n = 1$  we need to avoid the internal kink solution (responsible for sawteeth), and thus we usually impose a fixed value of  $q_0 > 1$ .
- ▶ The workflow uses a combination of CHEASE (for the base equilibrium), CAXE (to produce the scaled eq.) and KINX (to assess the ideal MHD stability).

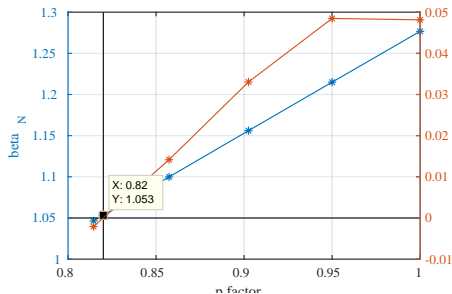
## ▶ Main work:

- ▶ Translate shell scripts to MATLAB functions
- ▶ Use latest advanced features of KINX (automatic search for most unstable eigenmode).

## First results in the no-wall limit ( $a_w/a \sim 5$ )



$$\beta_N \sim 1.2 \text{ for } q_0 = 1.20$$

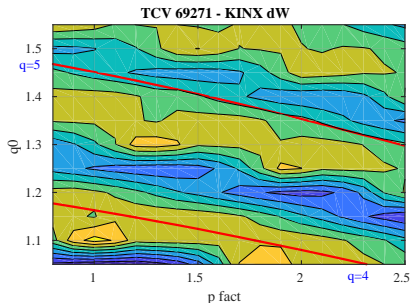


$$\beta_N \sim 1.05 \text{ for } q_0 = 1.10$$

(Right axis is  $\delta W$ , negative values correspond to unstable eq.)

- ▶ Results seemed quite sensitive to the chosen value of  $q_0$  and hints of non-monotonicity of the growth rate with respect to  $\beta_N$  were found (and persisted with increased radial and poloidal resolution)

## Influence of $q_{95}$ , $q_{edge}$



(Blue is unstable, yellow is stable)

- ▶ Stability index levels align more or less with  $q_{95}$  levels.
- ▶ Different unstable regions correspond to different dominant poloidal harmonic:  $m = 4$  if  $q_{edge} \sim 4$ ,  $m = 5$  if  $q_{edge} \sim 5$ , etc.

## Conclusions First impressions

- ▶ Allowing  $q_{95}$ ,  $q_{edge}$  to change with  $\beta_N$  does not seem like a viable path. Also the results should be resilient to small changes in  $q_0$  ( $\sim 0.1$ ).
  - ⇒ CHEASE allows to scale the pressure profile while keeping the whole  $q$  profile fixed. My next goal is to use this feature to assess the changes in stability.
- ▶ It was suggested that wall stabilization (i.e. reducing the value of  $a_w/a$ ) can reduce the influence of  $q_0$ . This will be investigated as well.

# Backup Slides

## Conclusions First impressions

- ▶ Early studies for TCV (Turnbull et al.) or more recent ones for NT reactors (Medvedev et al.) use parametrized profiles and optimization procedure to find the optimal  $\beta_N$  value. This yields a global limit for one particular shape, but might not be adequate to tell if one can still increase the plasma pressure in a particular discharge without hitting an ideal MHD limit.