

ATEP progress meeting

March 9th, 2022

agenda:

A. Bottino: PSZS diagnostics in ORB5

Y.Y Li: Numerical Results of DAEPS Code with General Axisymmetric Toroidal Geometry

Ph. Lauber: WP4 and WP2 updates

administrative news:

- ATEP 2021 report accepted
- ACH support for advanced transport models and STRUPHY development submitted, 2023/2024
- 5 EPS abstracts with ATEP contributions
- ITPA spring meeting, May 2nd -6th, ITER (abstracts till 1st April)

WP4:
Preparation of time-dependent reference cases

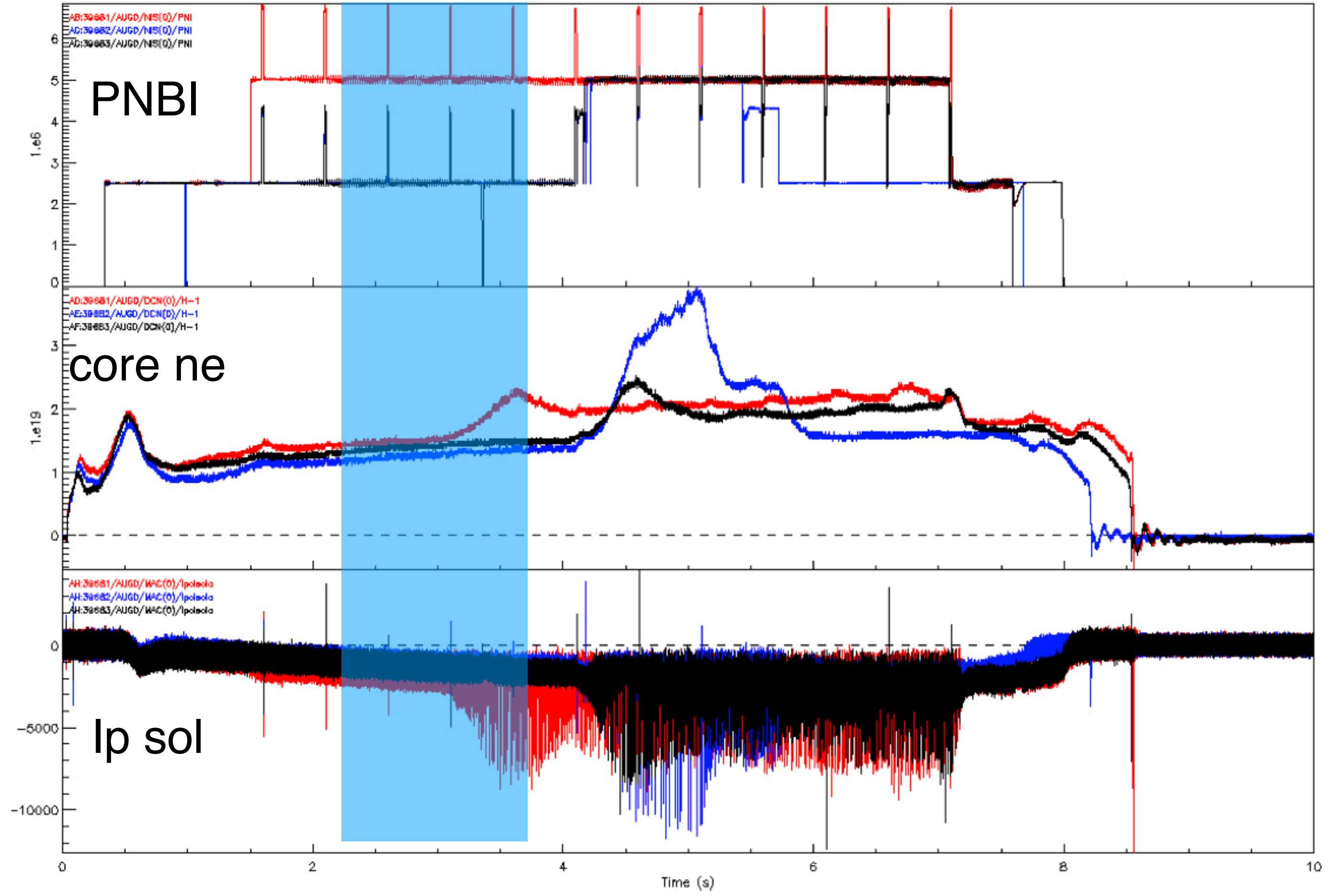


- beam box 1: H - measurements, control core Ti
- beam box 2: D - drive instabilities

in all discharges: 55-60% H/(H+D)

despite low H/(H+D) we have L mode phase with 5MW NBI - most interesting phase (& diagnostics availability)

MHI, SXR,RFL,ECEI,FILD,CXS

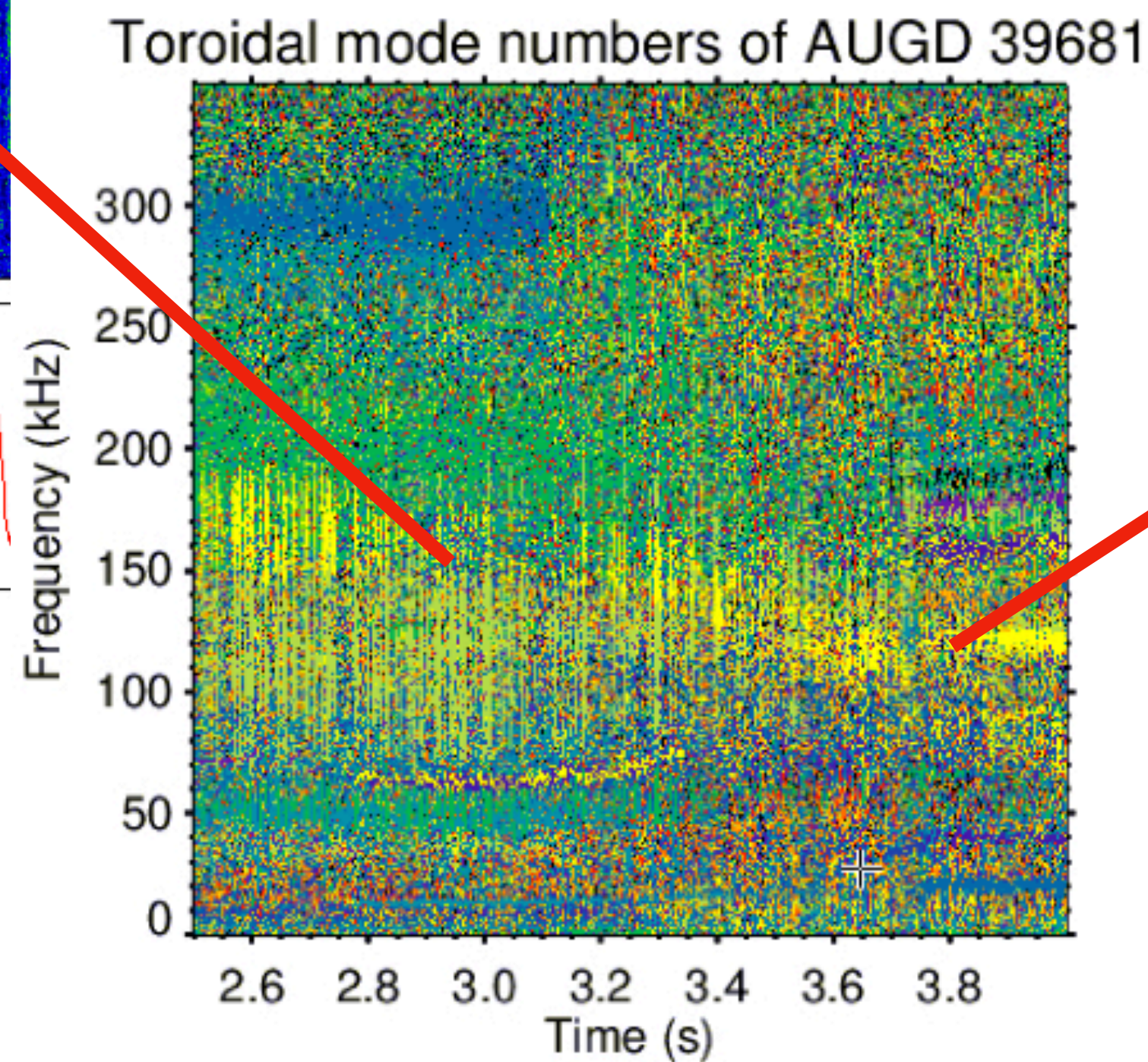
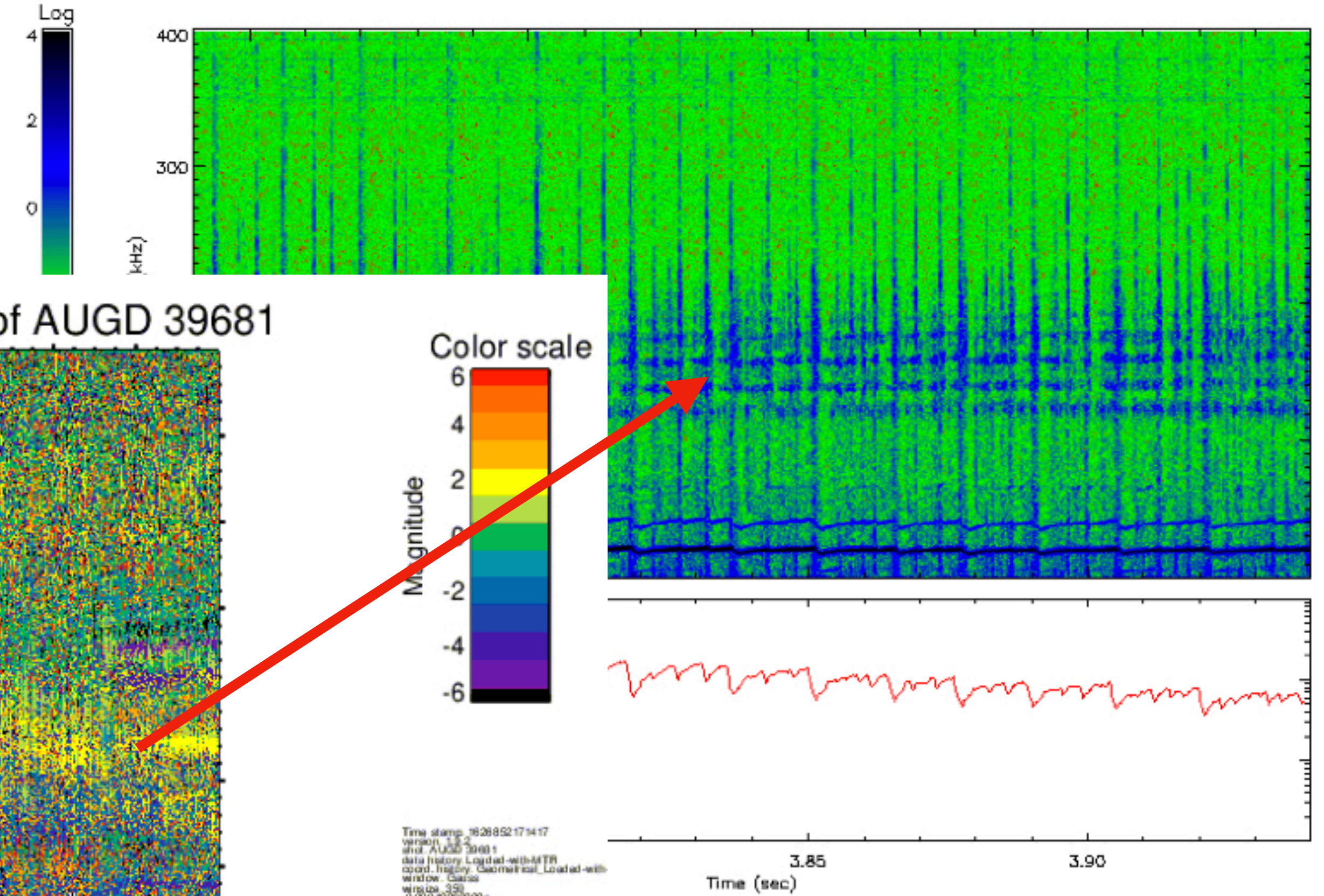
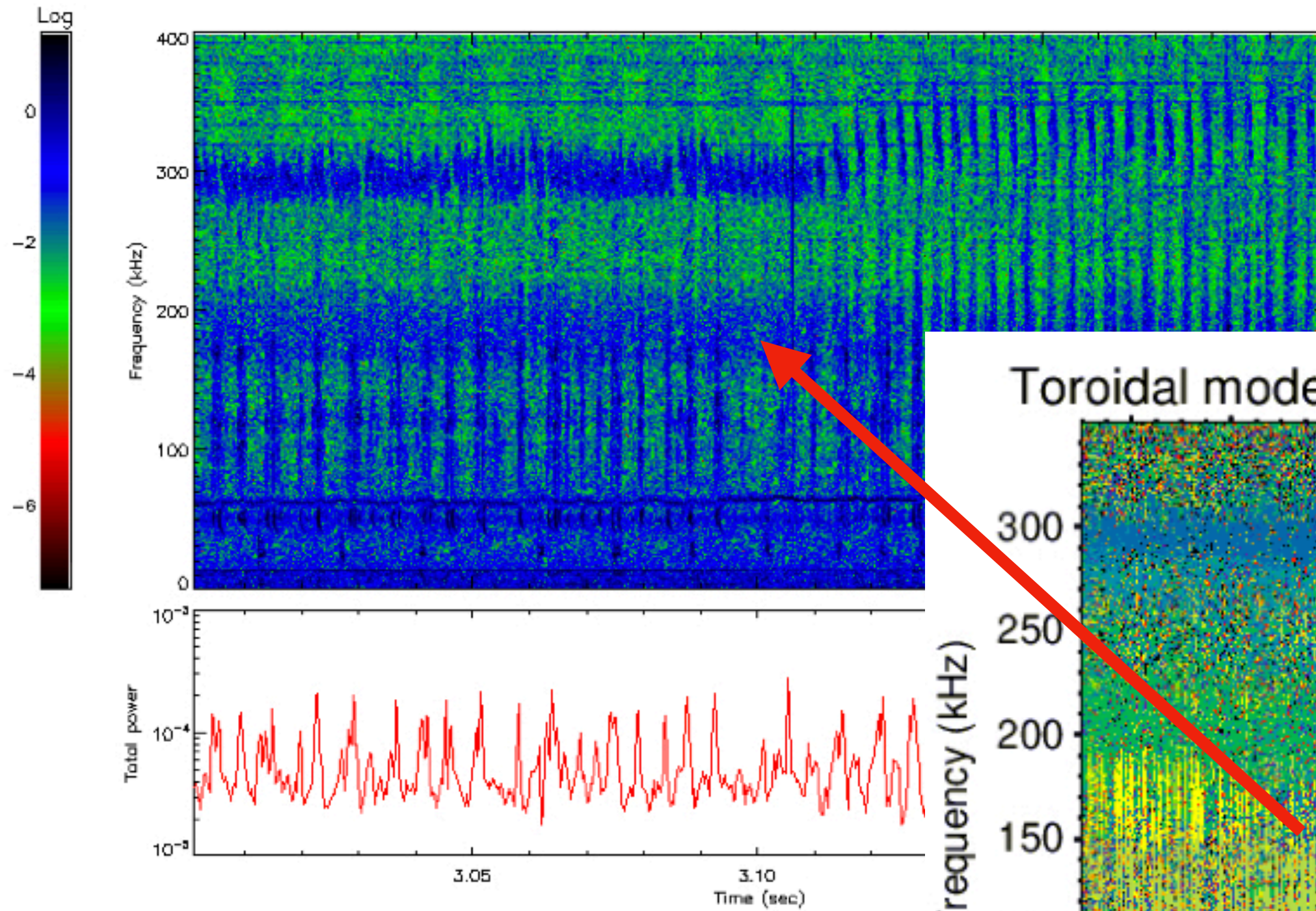


off-axis NBI heating: positive and negative spatial EP gradient study inwards transport of EPs and its effect on core background plasmas

July 2021

L mode [2.9-3.2s]

#39681 H-mode [3.7-3.9s]



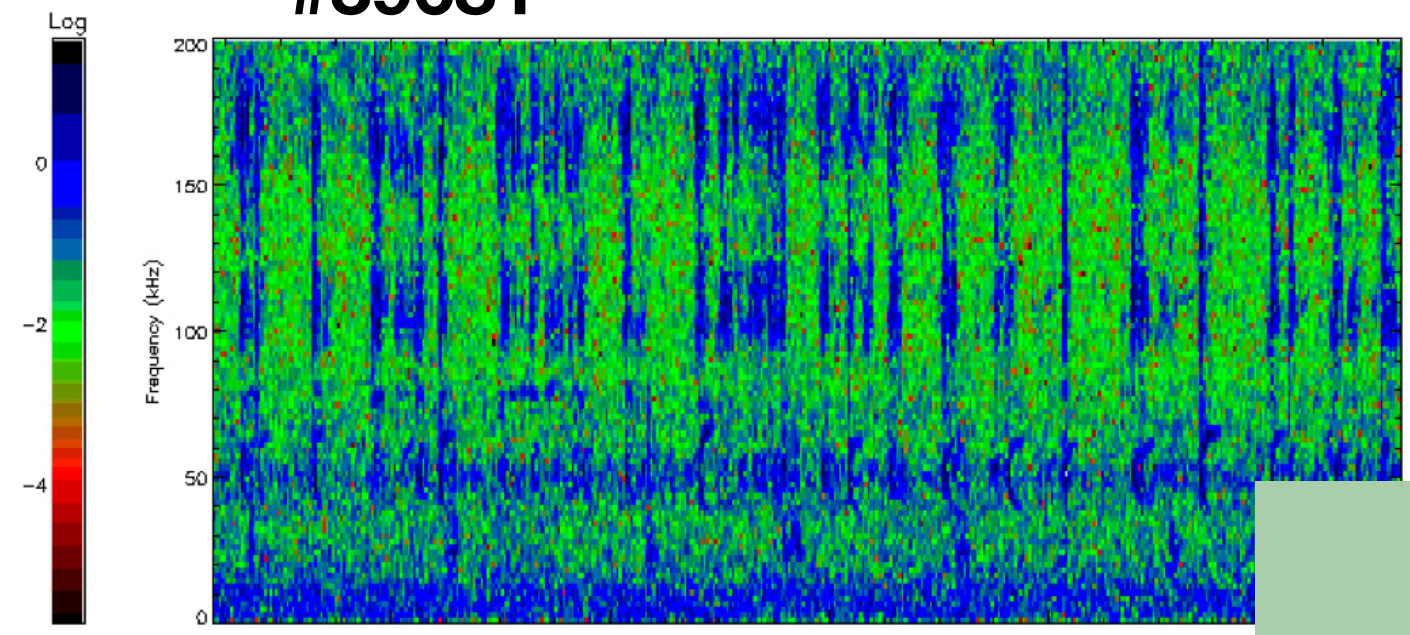
AUG Shot: 39681 : MHI : E31-14 npla: 398003
Time: 3.001 to 3.200 freq: 0.0 to 400.0 nfft: 2048 npad: 0 netp: 512 nrmse: 1000 near: 200

Time stamp: 20200521 17:14:17
version: 1.5.2
shot: AUGD 39681
data history: Logged-with-MTR
coord. history: Geometrical_Loaded-with-
window: Gauss
window: Gauss
freq: 350
freq: 0.000000000
freq: 1.400
step: 0.75
range: 0
freq: 140.000
mode steps / margin: 1.000
convergence limit: 0.00000 %
Power limit: 0.00000 %
Q limit: 100 %
duration: 26
MHI: 0.000000000-0.000000000
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July 2021

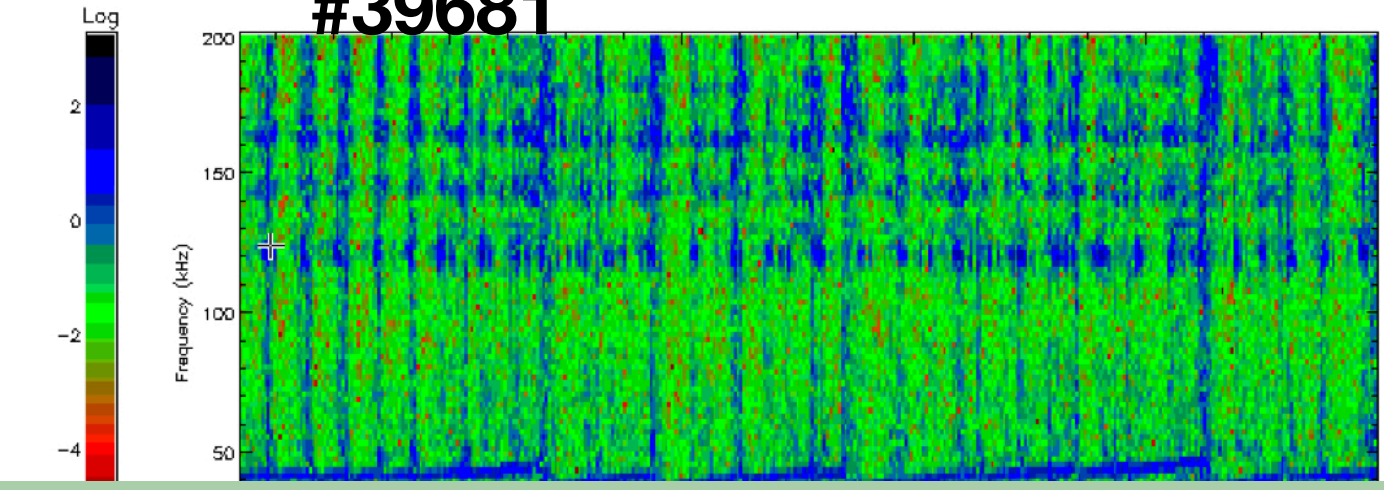
#39681

L mode

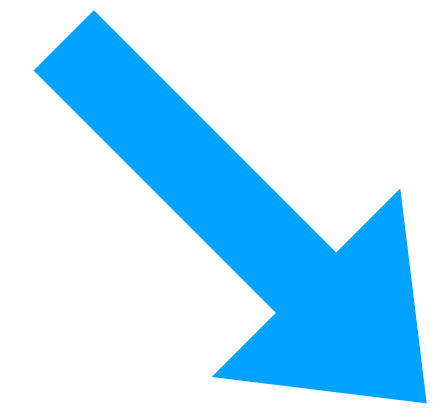


#39681

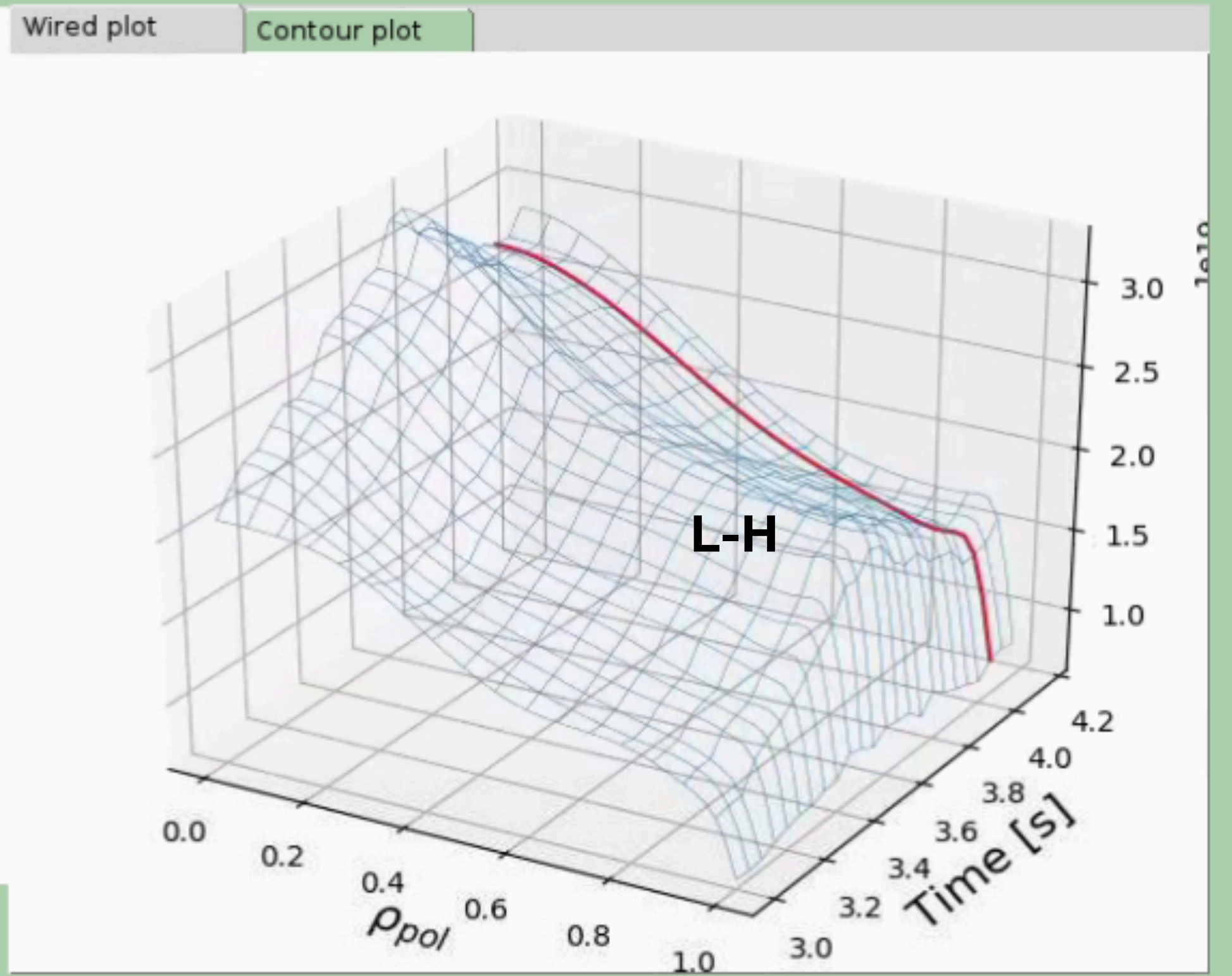
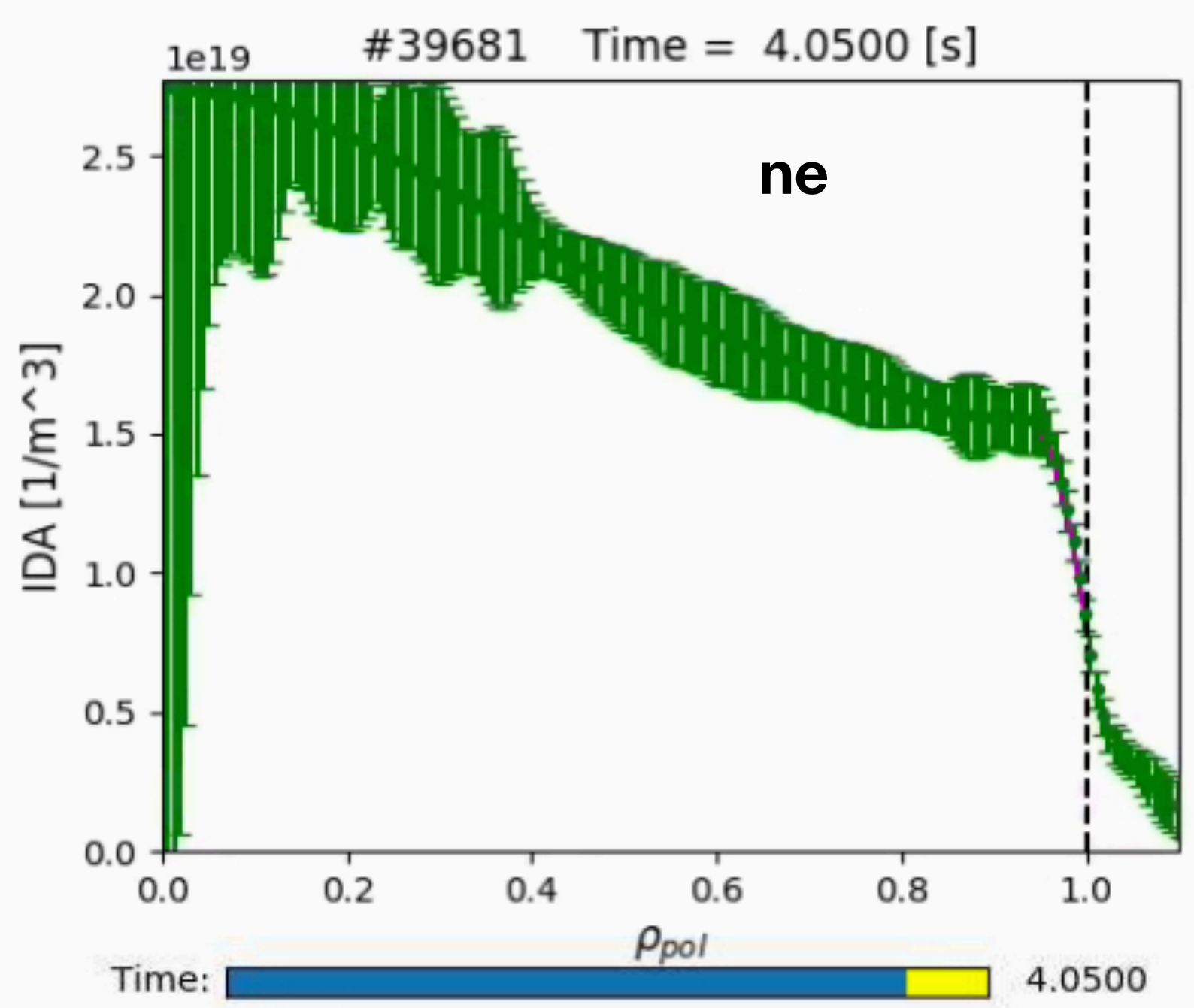
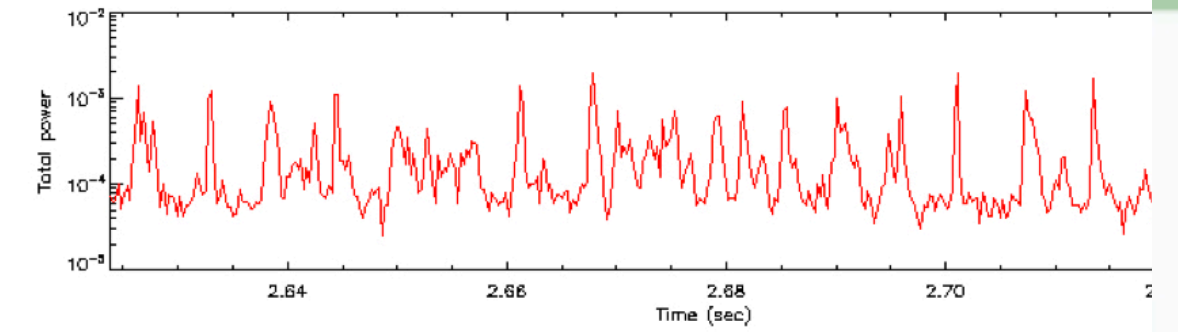
H-mode

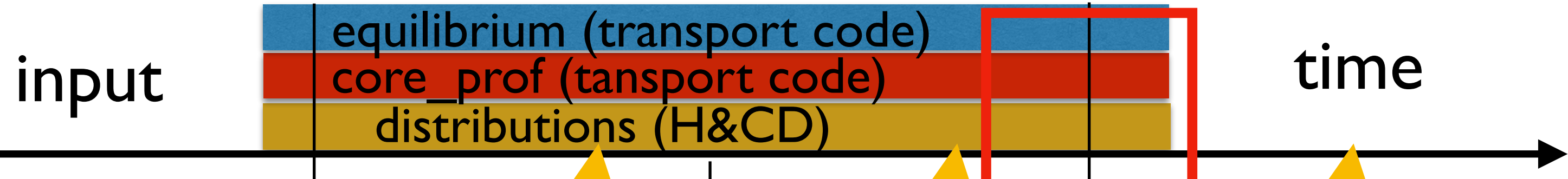


AUG experimental data base -> trview [gateway]
credits: G Tardini



AUG Shot: 39681 ; MHF : B31-14 npla: 216978
Time: 2.624 to 2.732 freq: 0.0 to 200.0 rfft: 1024 npad: 0 nslp: 512 nrmes: 1000 near: 200

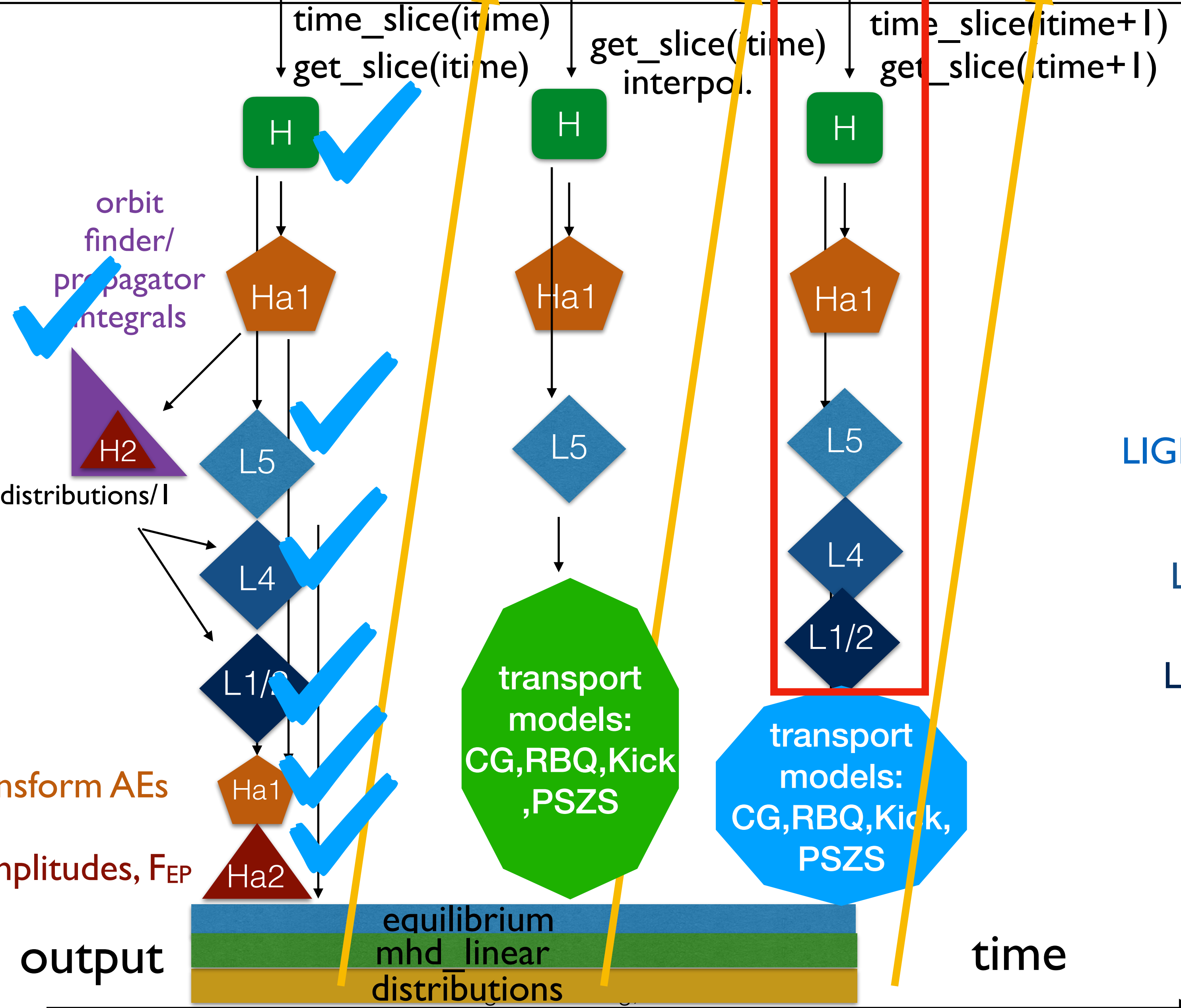




✓
ported to gateway

✓
read ETS generated data

✓
read trview generated AUG data



HELENA

HAGISI - equilibrium

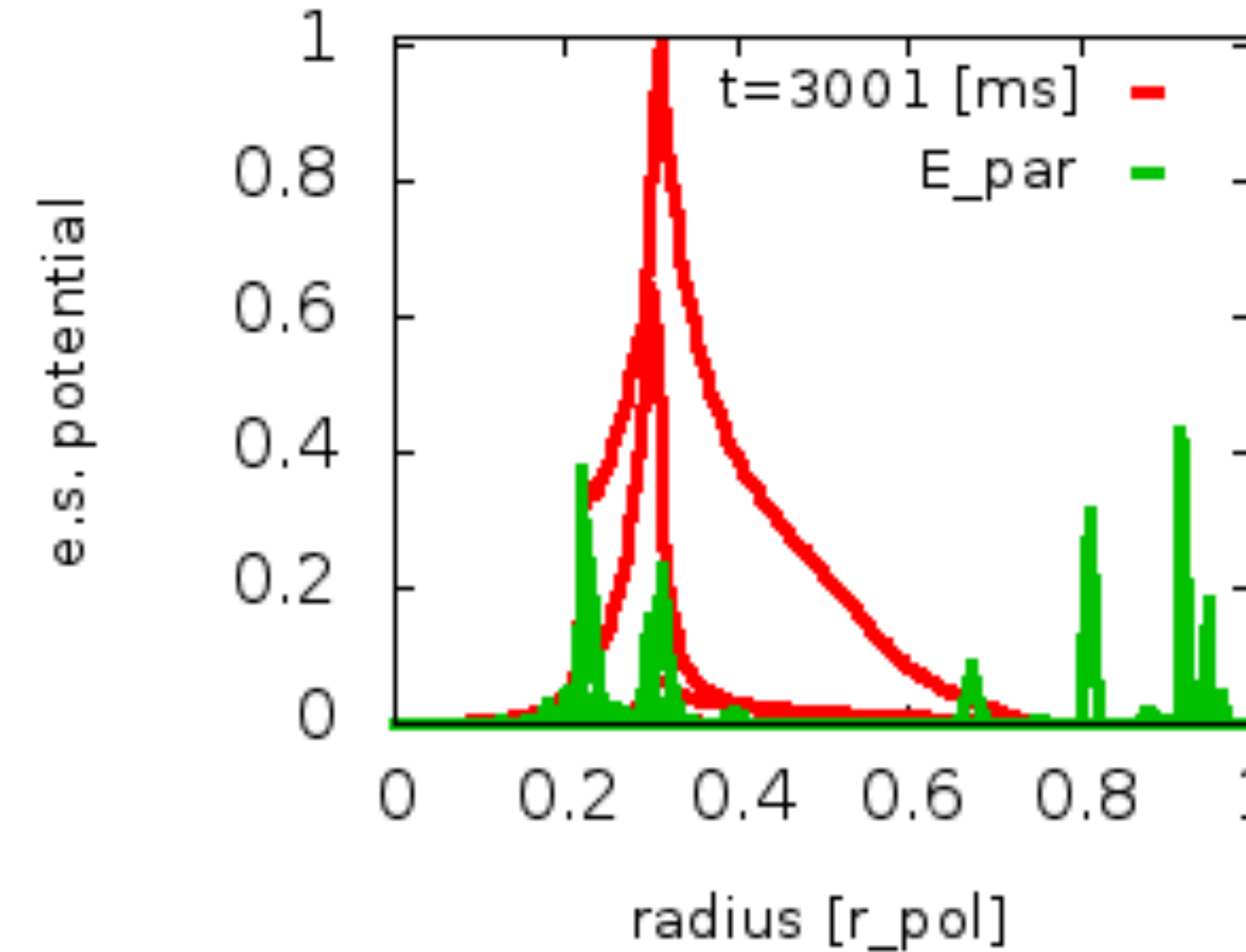
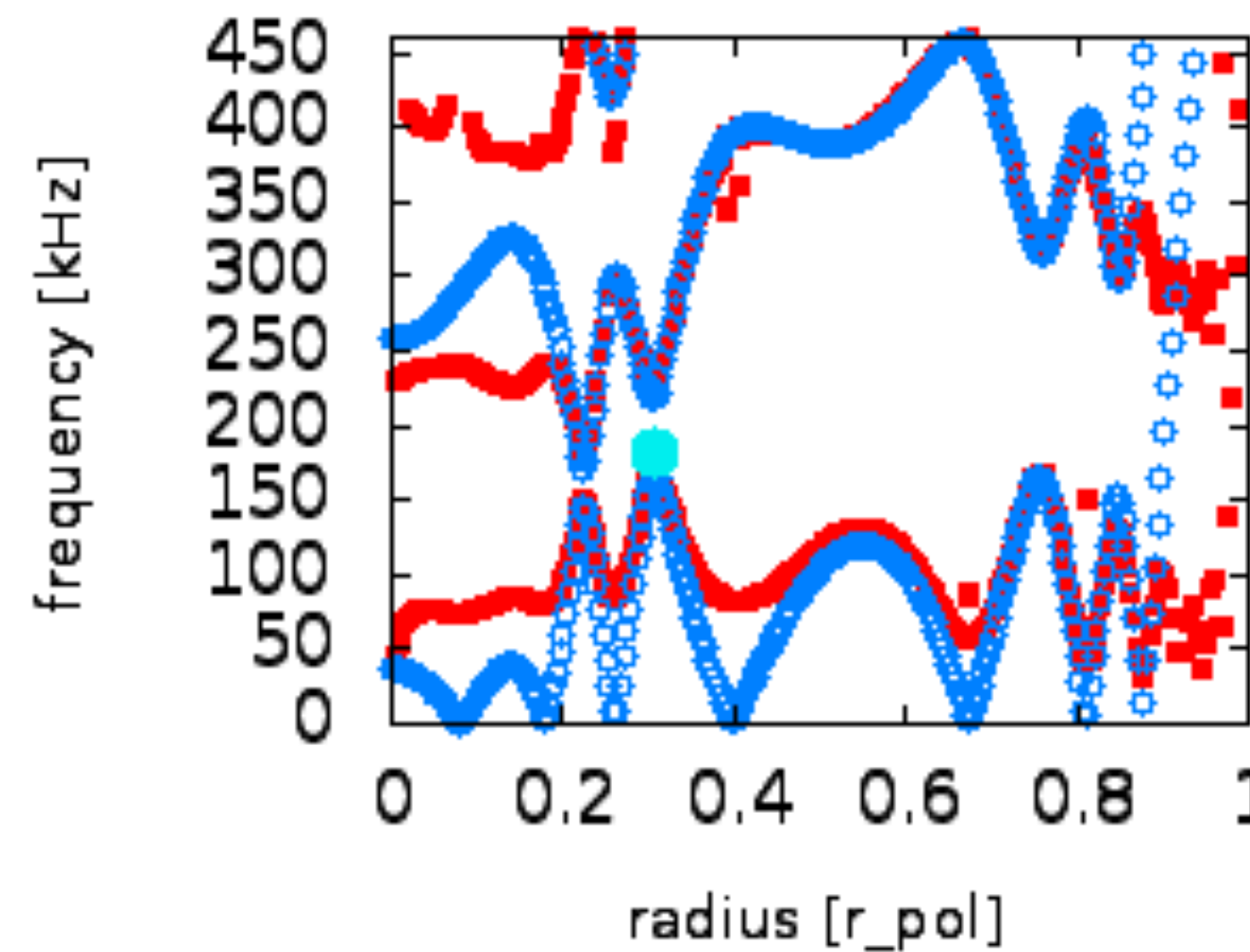
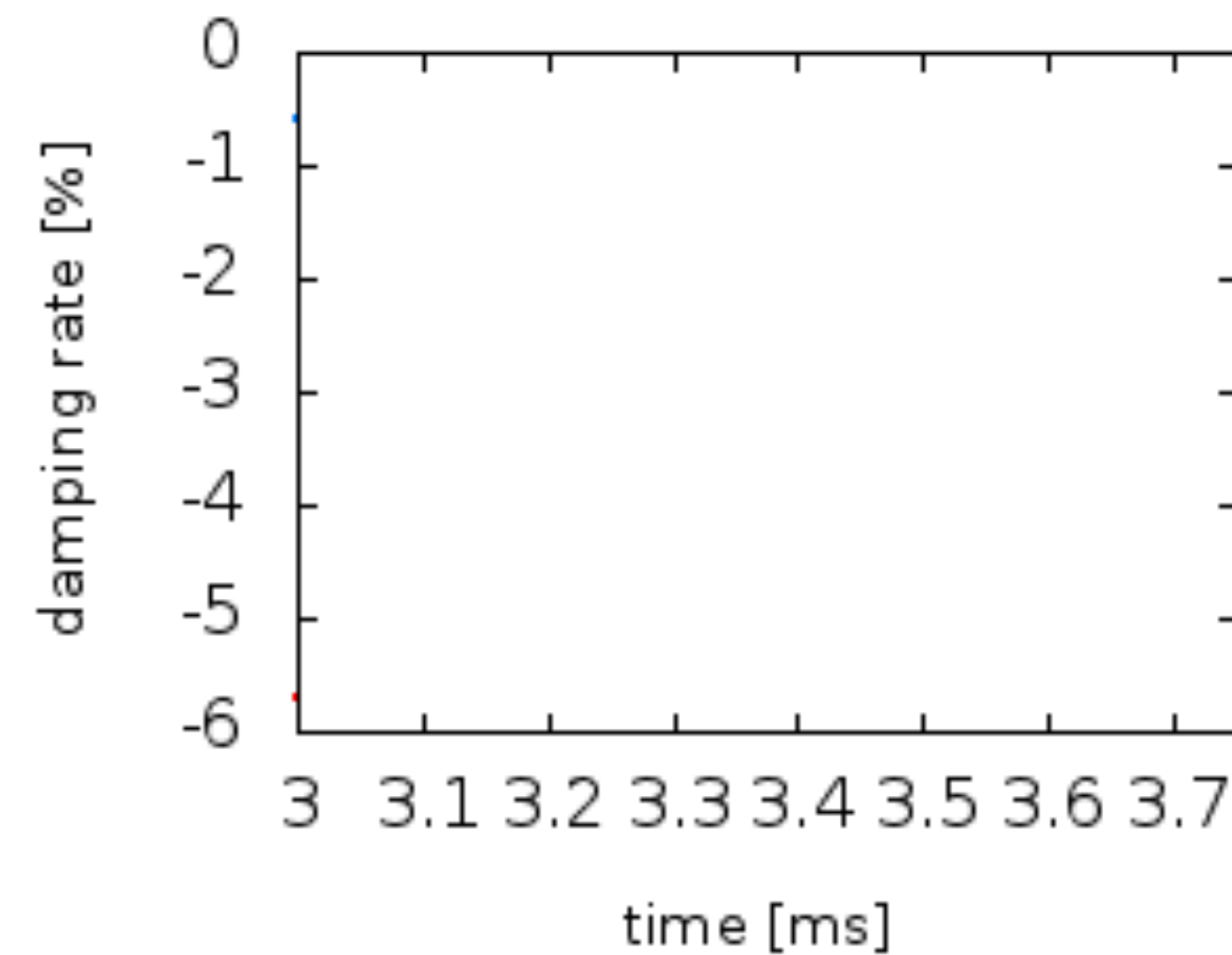
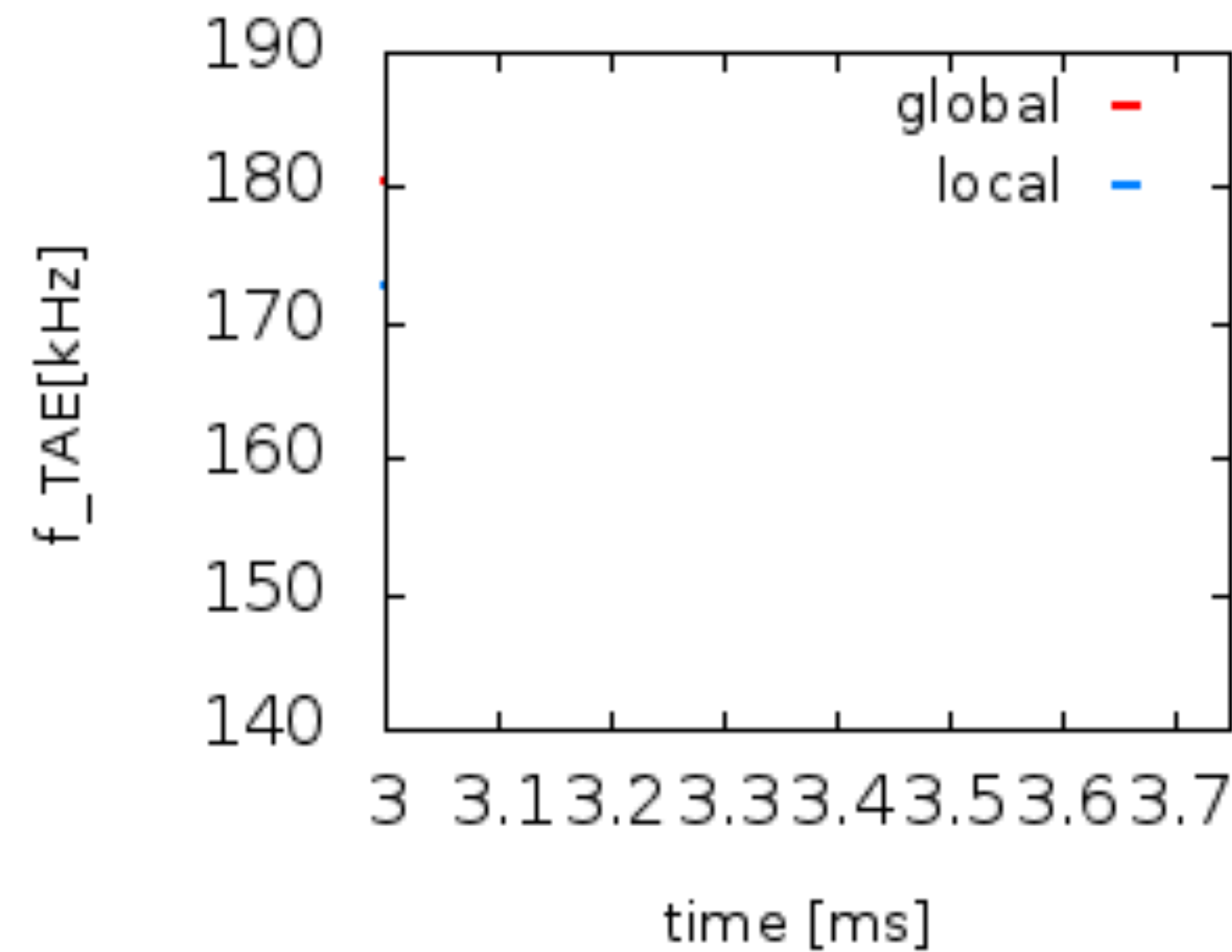
LIGKA mode 5/6 (analytical)

LIGKA mode 4 (local)

LIGKA mode 1/2 (global)

HAGISI - transform AEs

HAGIS2: add sat. amplitudes, F_{EP}



160 time slices based on IDA
largely automated analysis
(except visualisation)

ready for:

coupling to transport codes
systematic UQ, 'error bars'
scenario optimisation

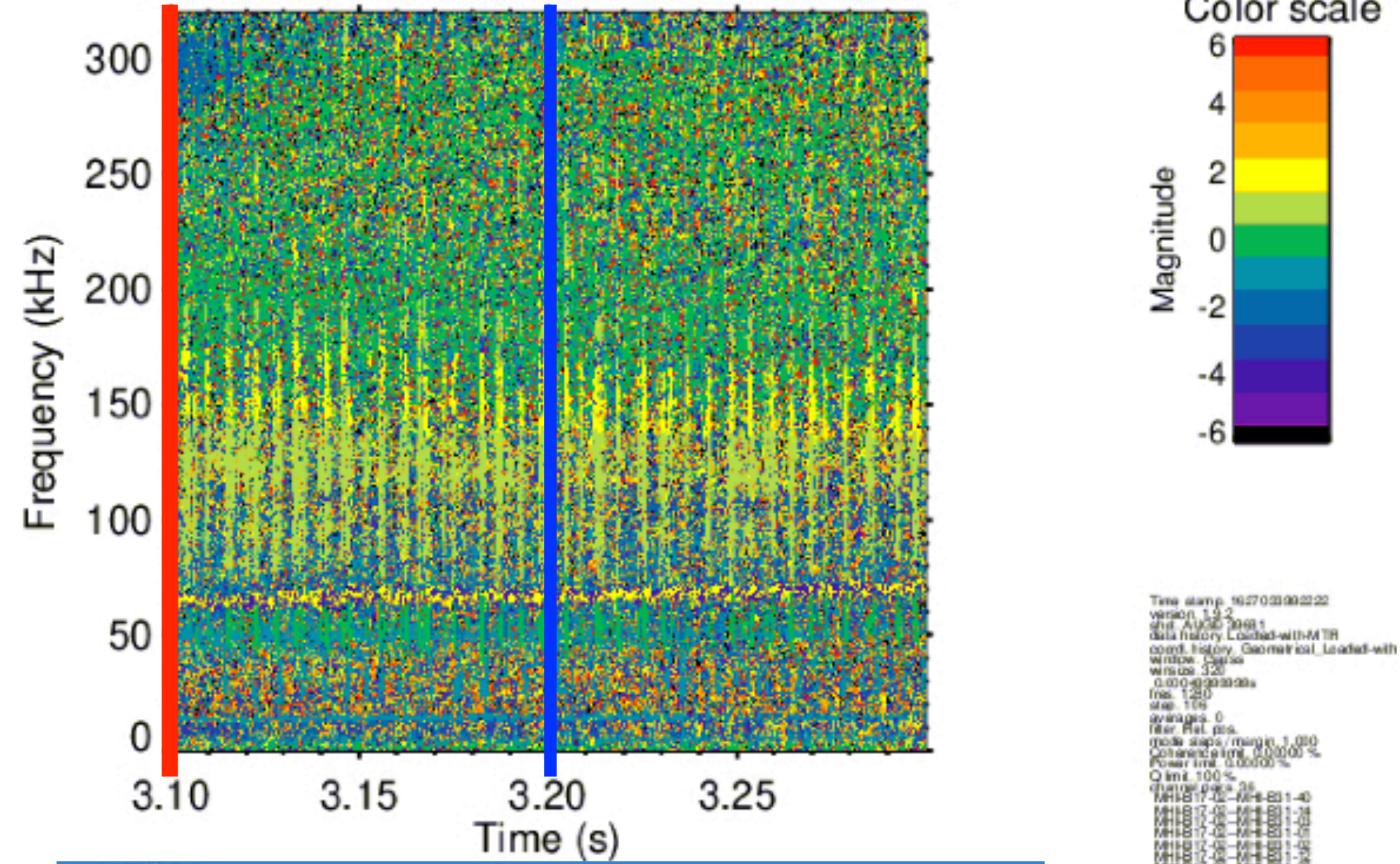
after finishing NBI module, ready for
CG calculations
(TSVV10, started testing with eq.
Maxwellian)



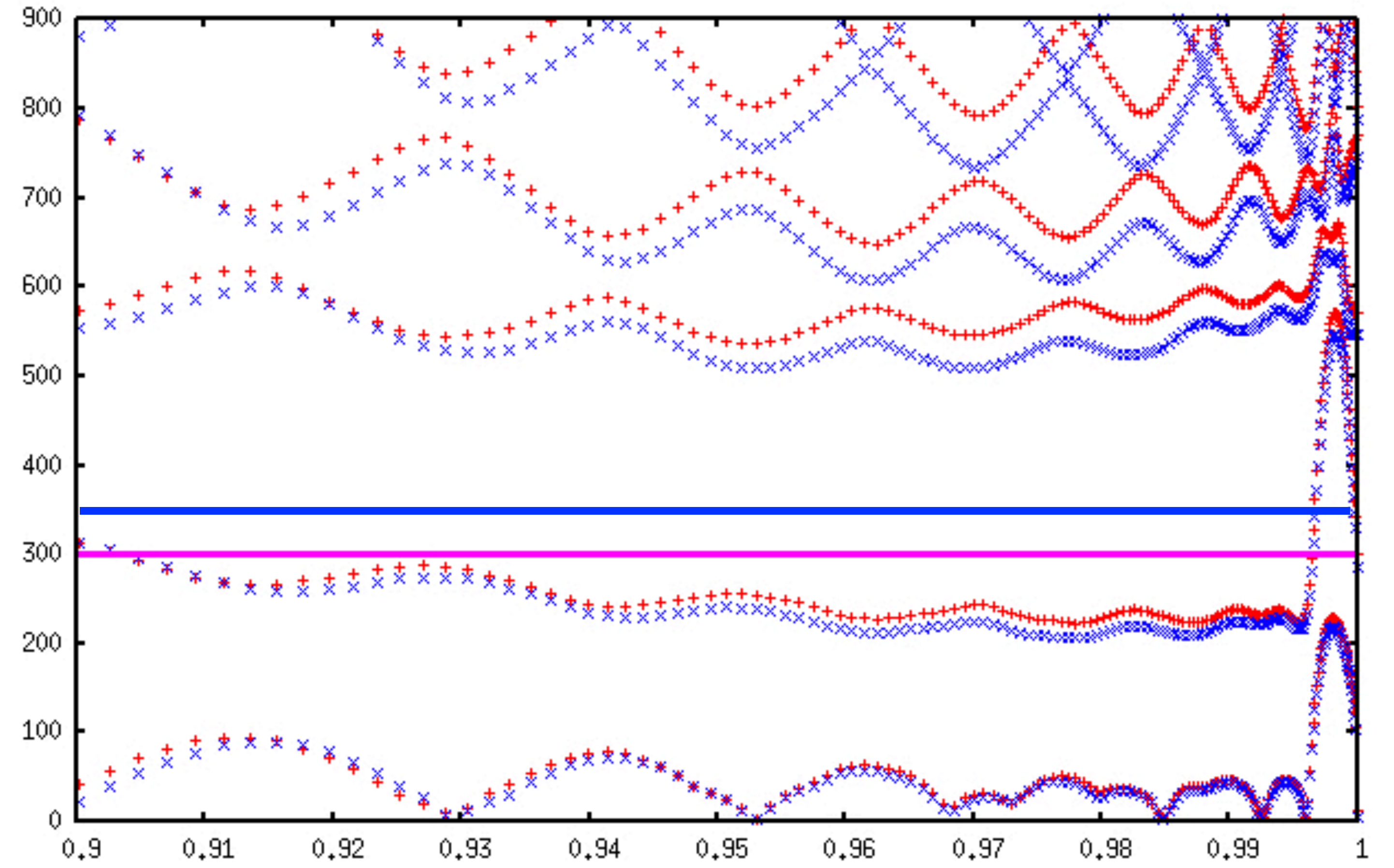
damping for $n=2$ is not changing in 100ms time window - drive must vanish!



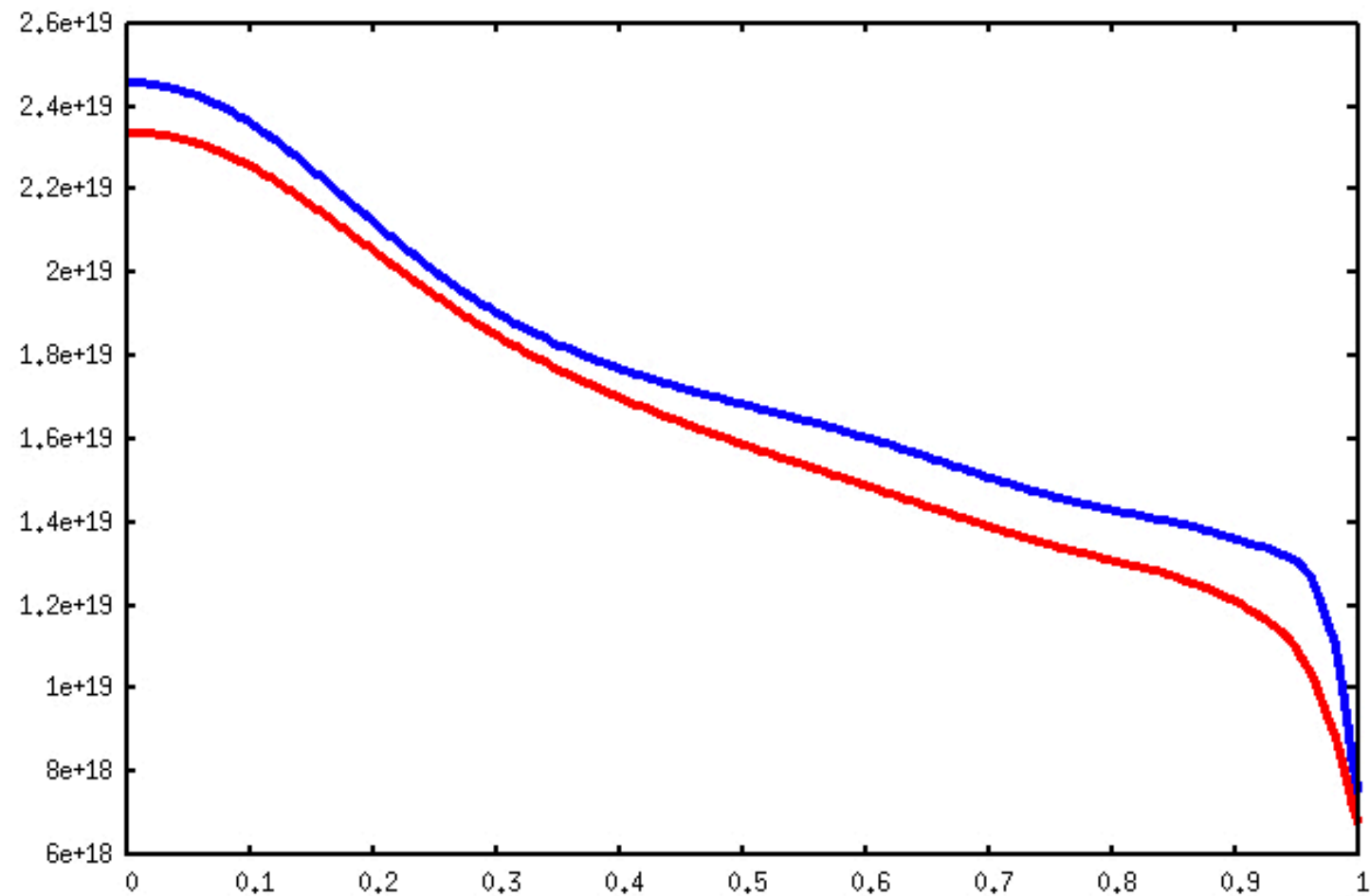
Toroidal mode numbers of AUGD 39681



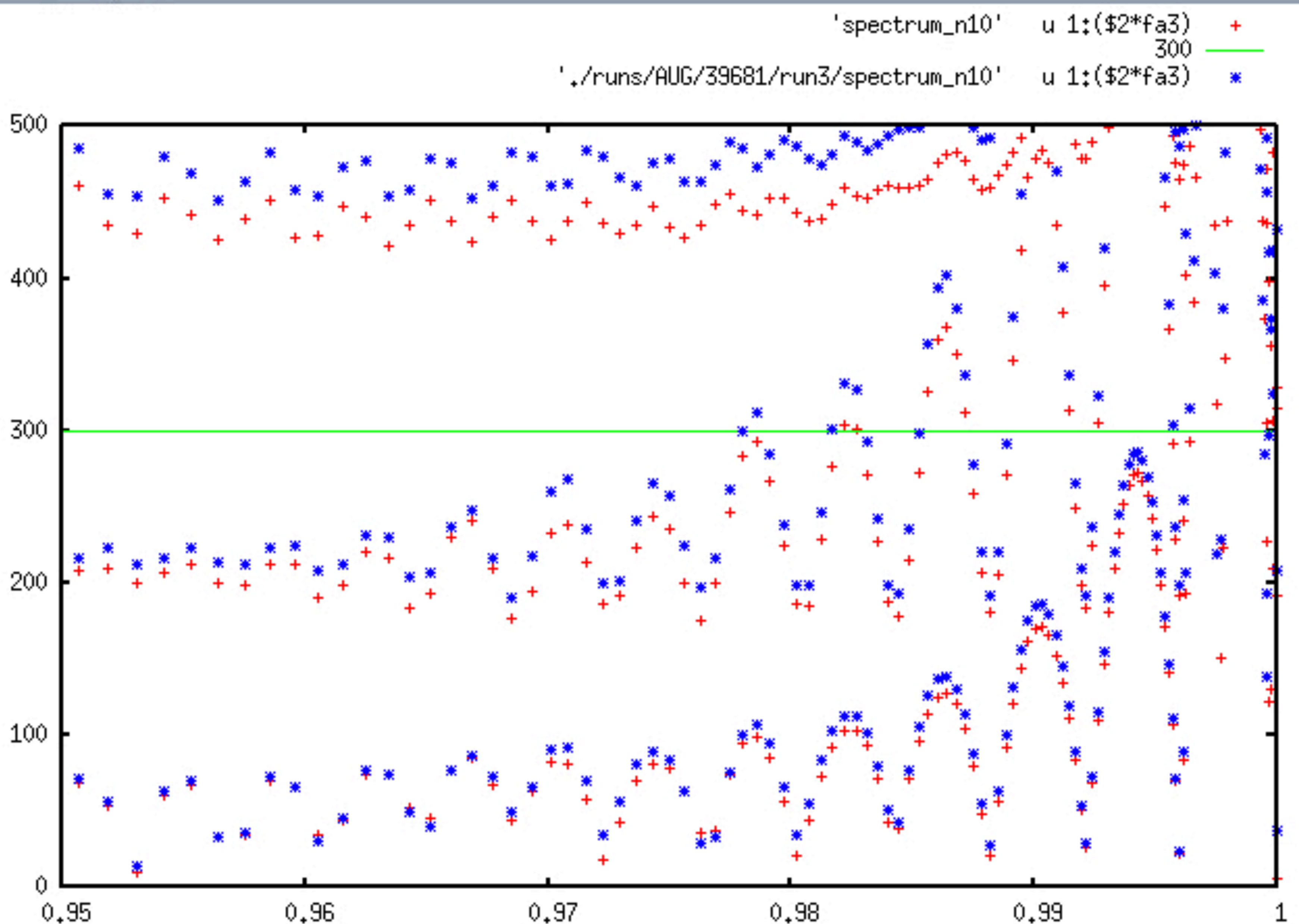
$n=2, t=3.1$ +
 $n=2, t=3.2$ x
 300 —



./runs/AUG/39681/run3/dens2' —
 ./runs/AUG/39681/run4/dens2' —

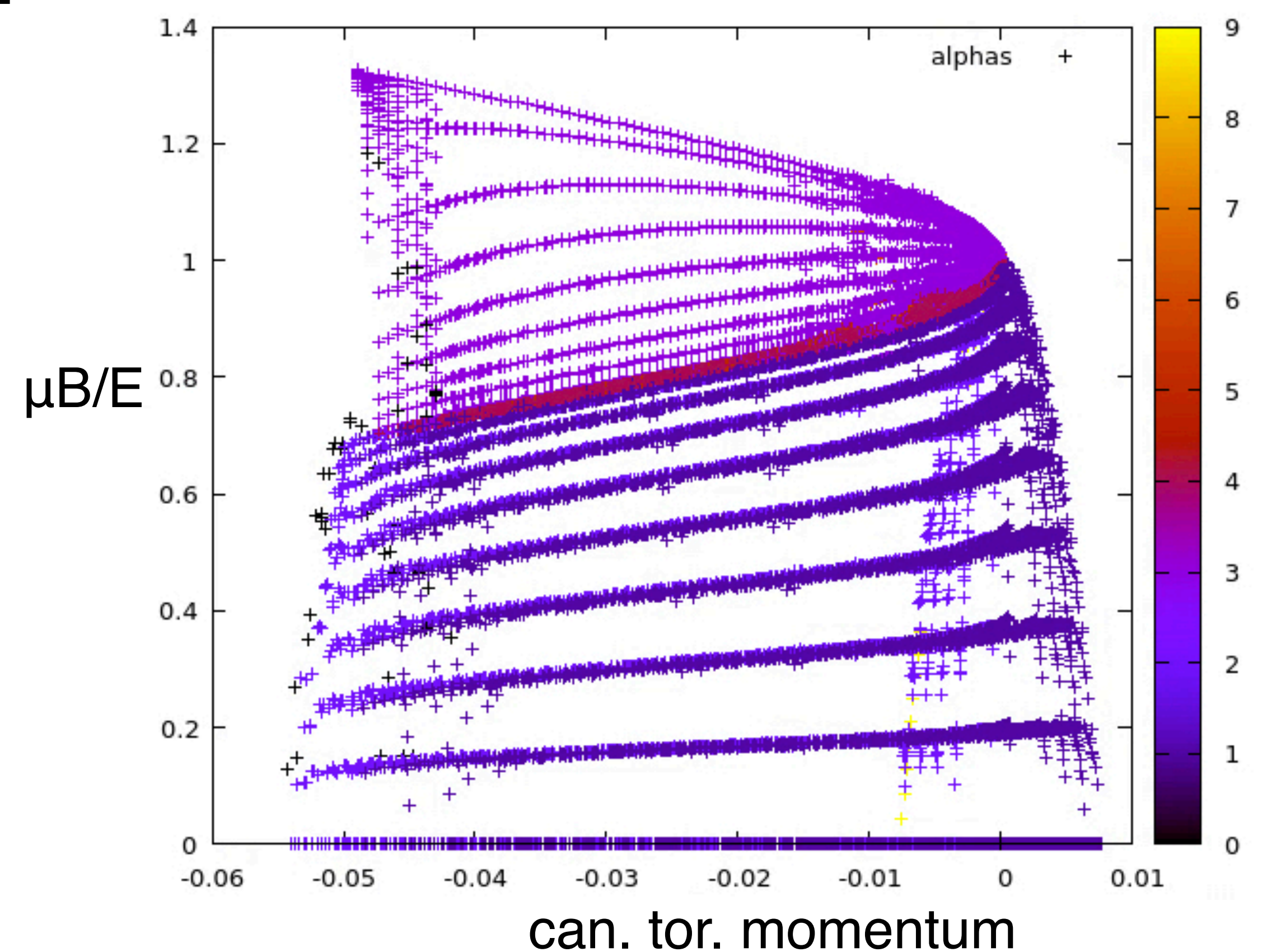
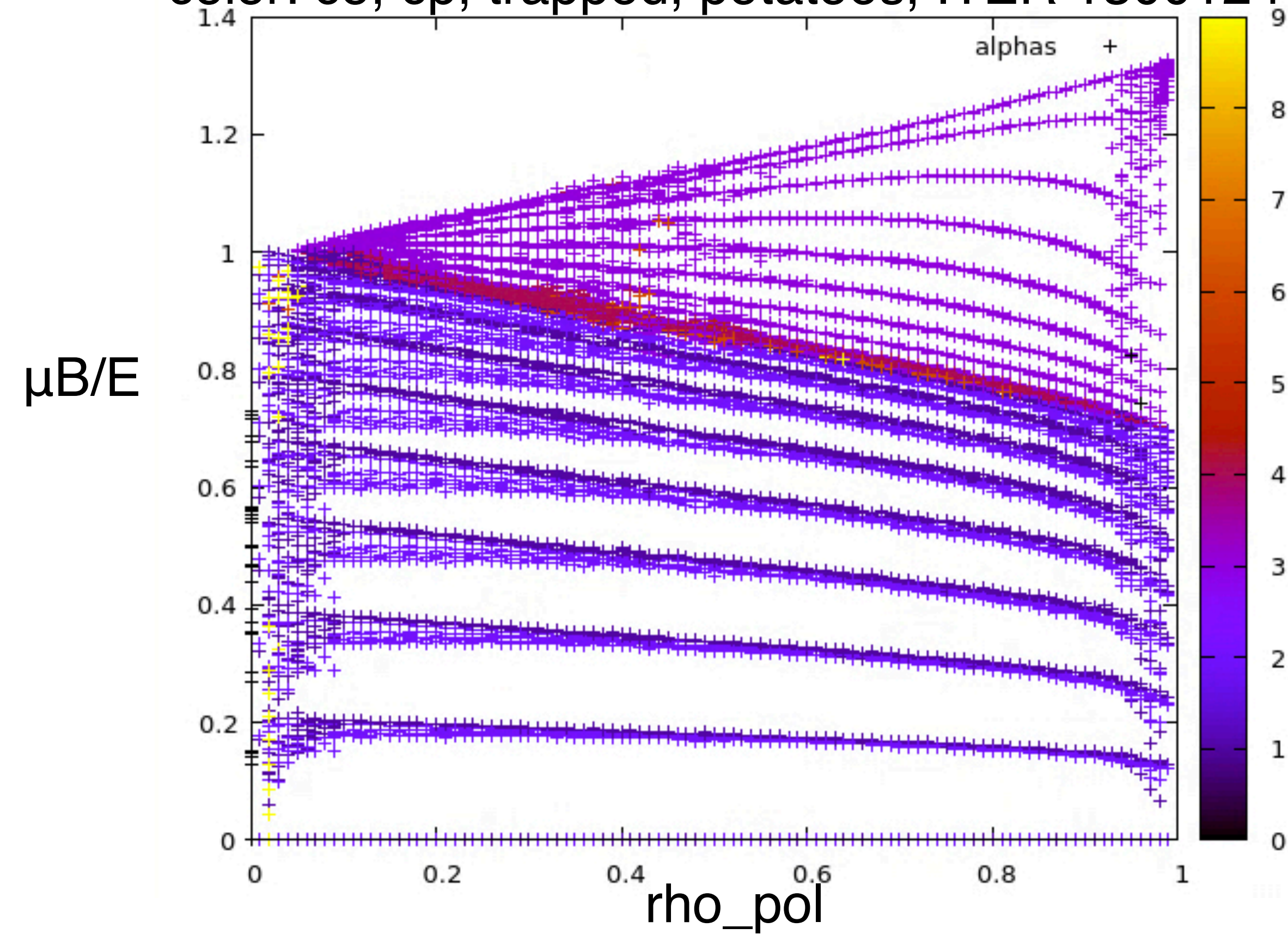


n=10



next step: how to calculate bounce-averaged quasi-linear fluxes i.e. PSZS of EPs?

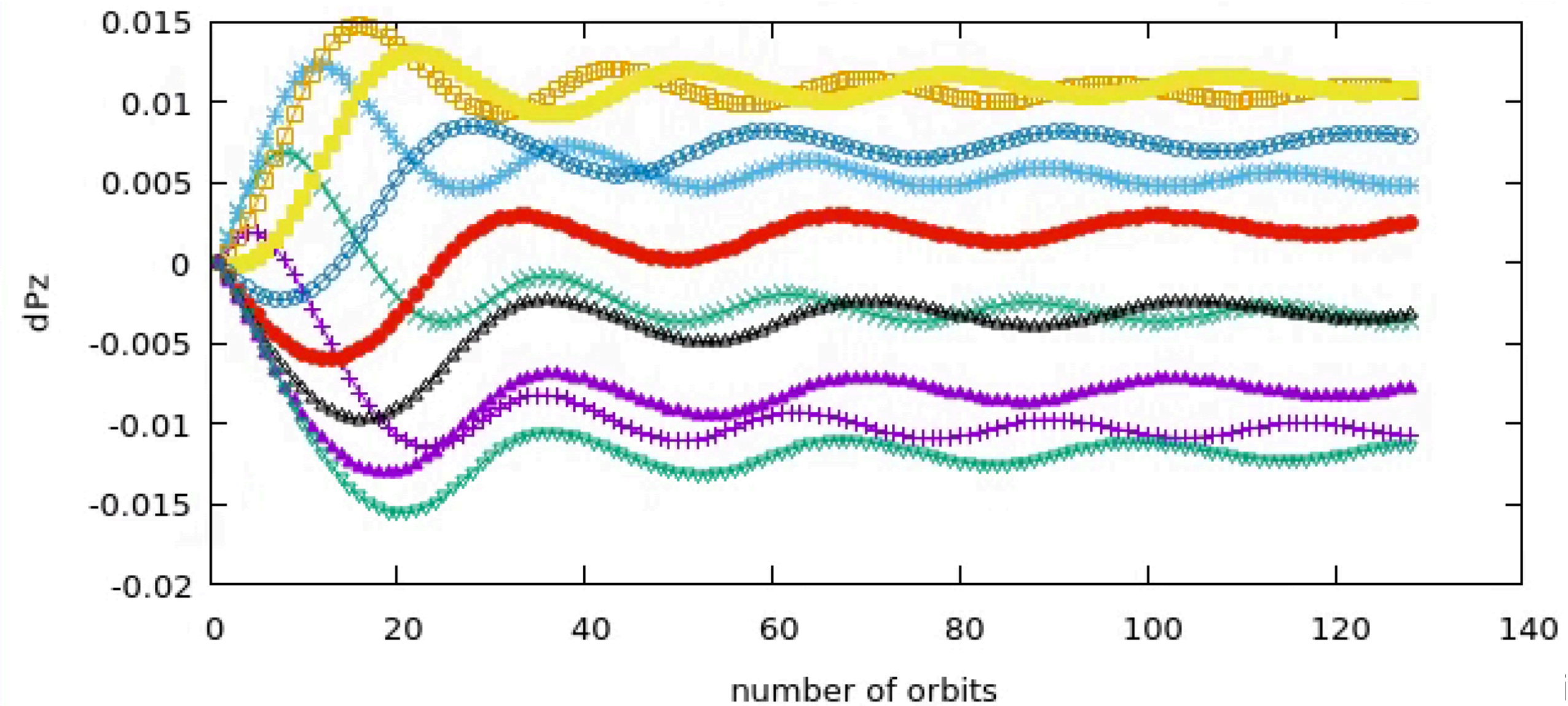
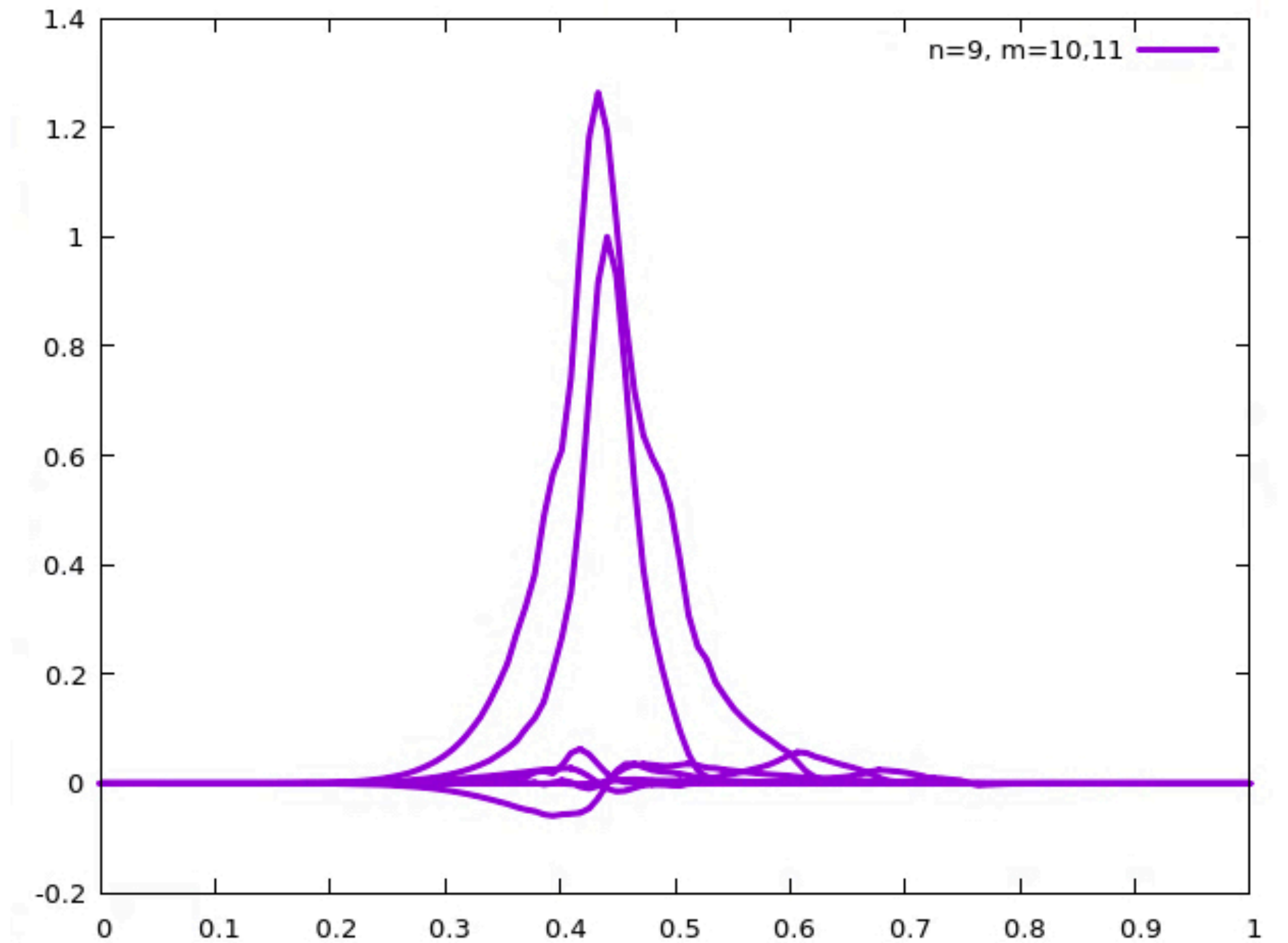
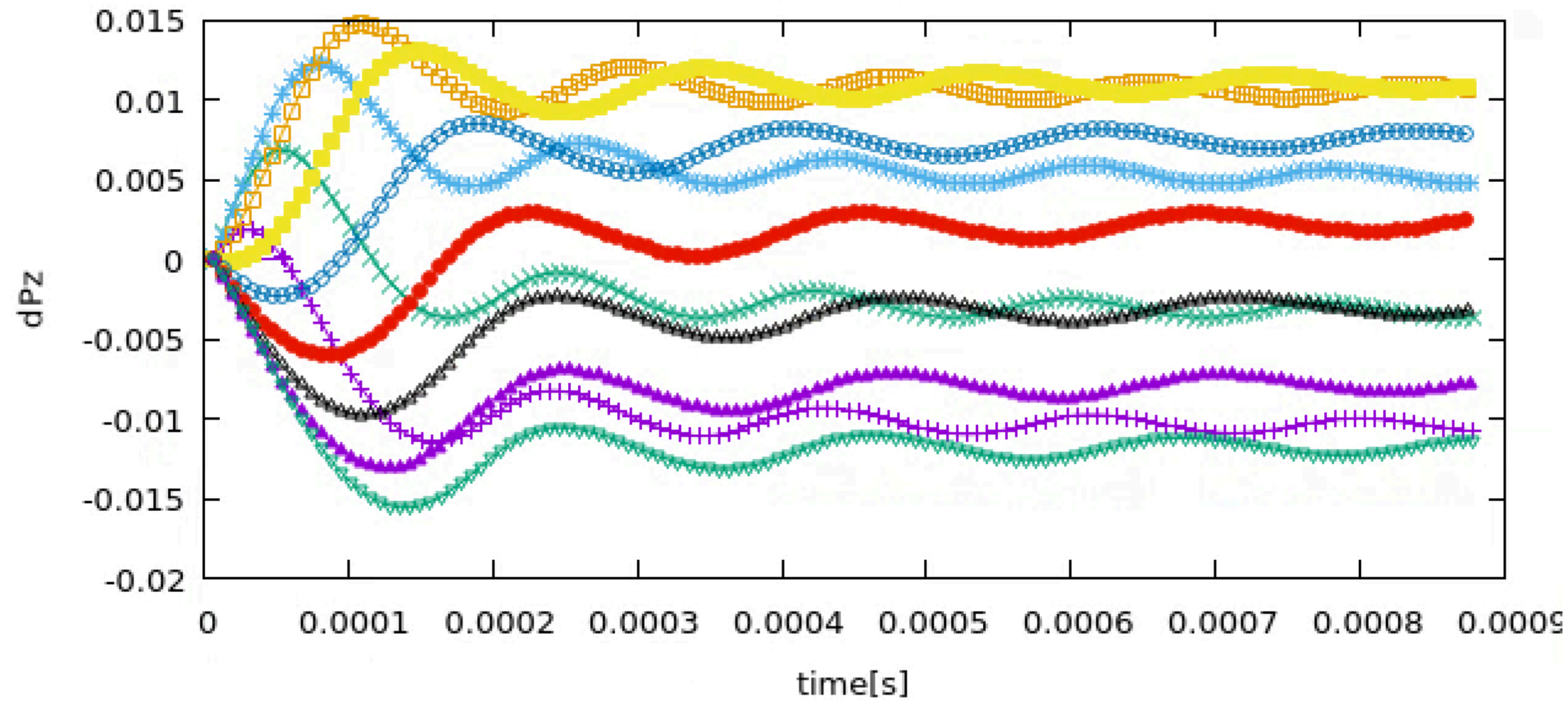
color: co, cp, trapped, potatoes, ITER 130012 run 2



- IMAS adopted 'finder' routine (fortran) to set up marker space, determine trapped-passing bnd, sort and select particles, calculate LIGKA propagators etc by calling IMAS-adopted HAGIS2 library (to be ported to PYTHON?)
- fast, and repetitive calls are possible (avoid reading equilibria, profiles, markers etc), perfect parallel scaling (128 procs)
- distributions IDS holds all orbit-averaged information about marker space - following markers one closed orbit gives full properties and all coordinate transform information [ideas similar to Bierwage CPC 2022: 'orbit database']

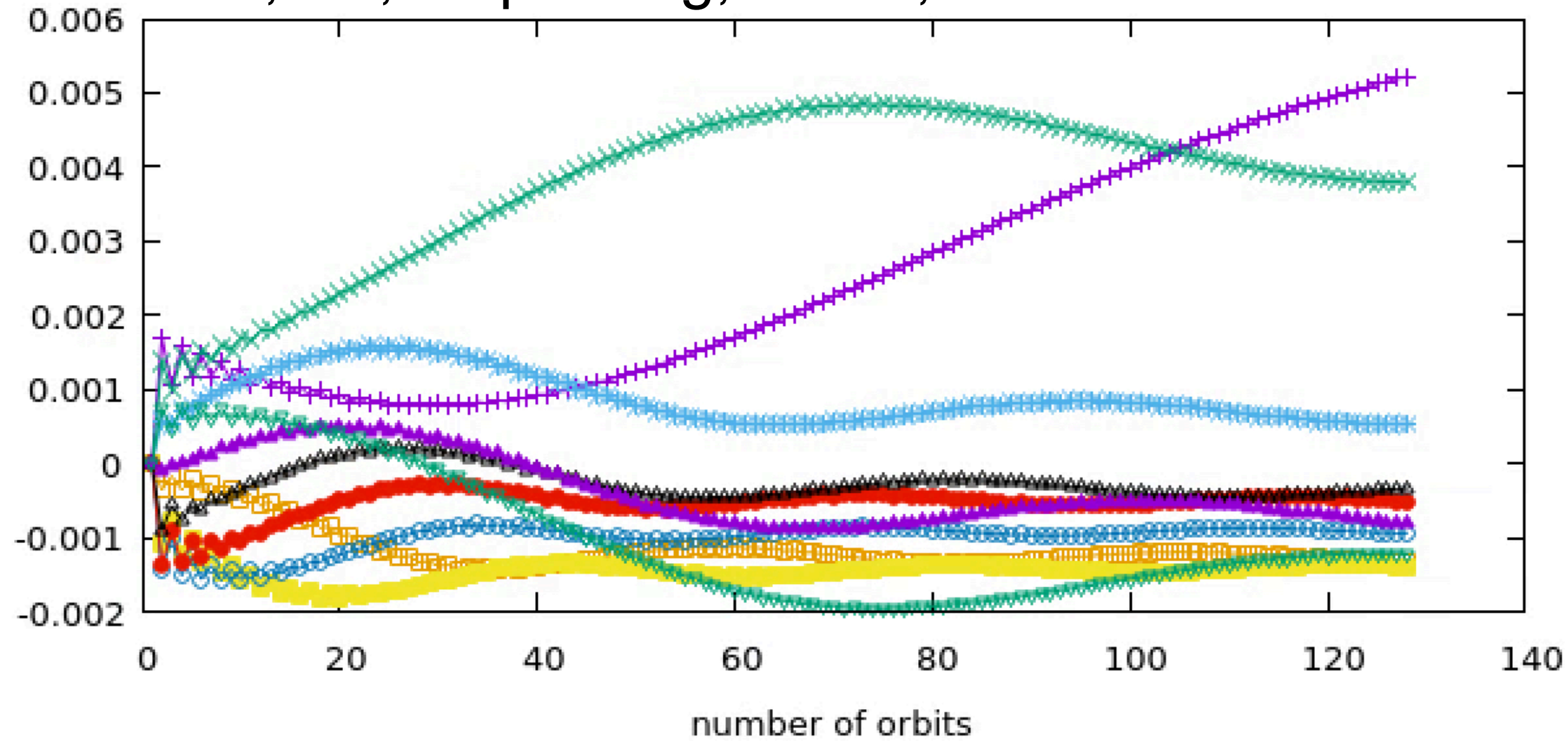
mid-radius, 1 MeV, He, co-passing, $\Lambda=0$, $n=9$ TAE with $dB/B=10^{-3}$

colours: different starting phase, 10 markers with starting tor. angle $[0: 2\pi/n]$



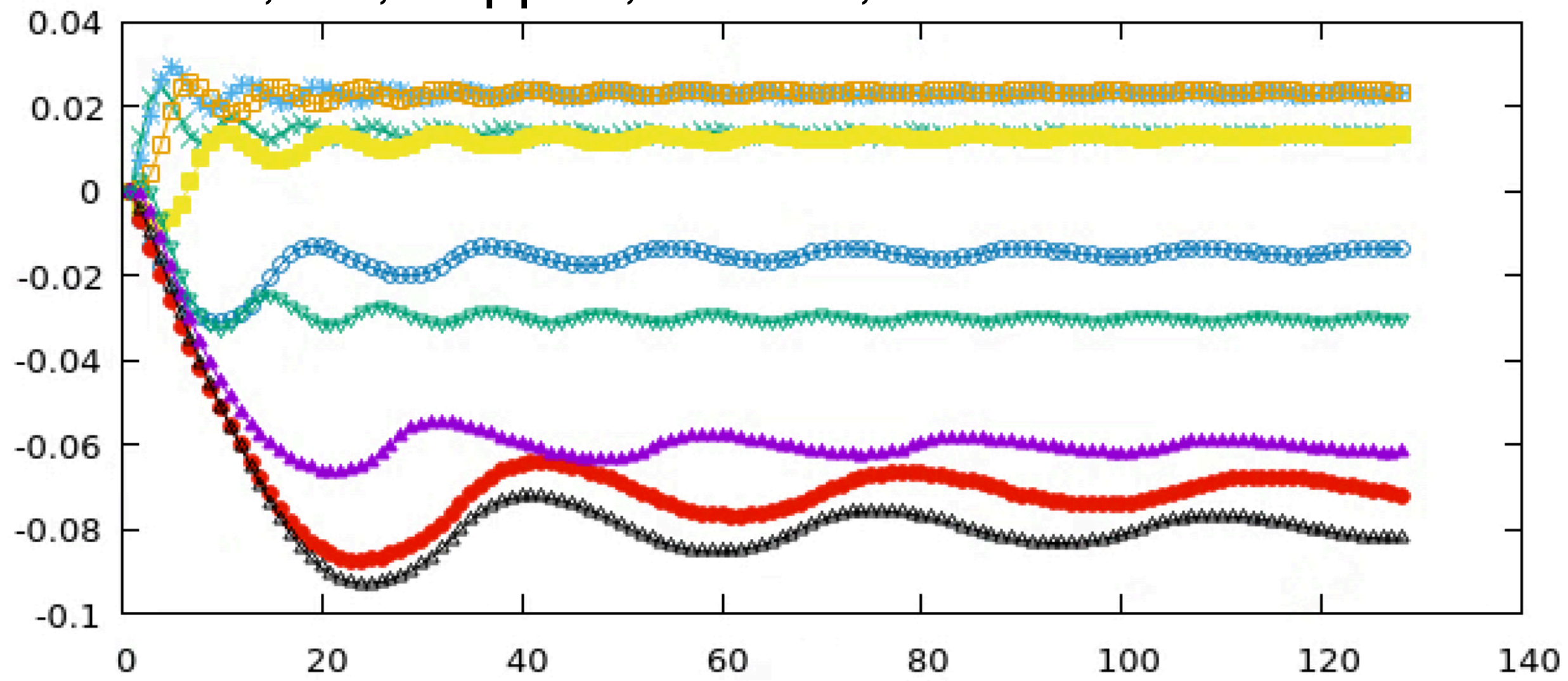
important: averaging over phase is crucial to obtain correct fluxes

1 MeV, He, co-passing, $\Lambda=0.7$, $n=9$ TAE with $dB/B=10^{-3}$

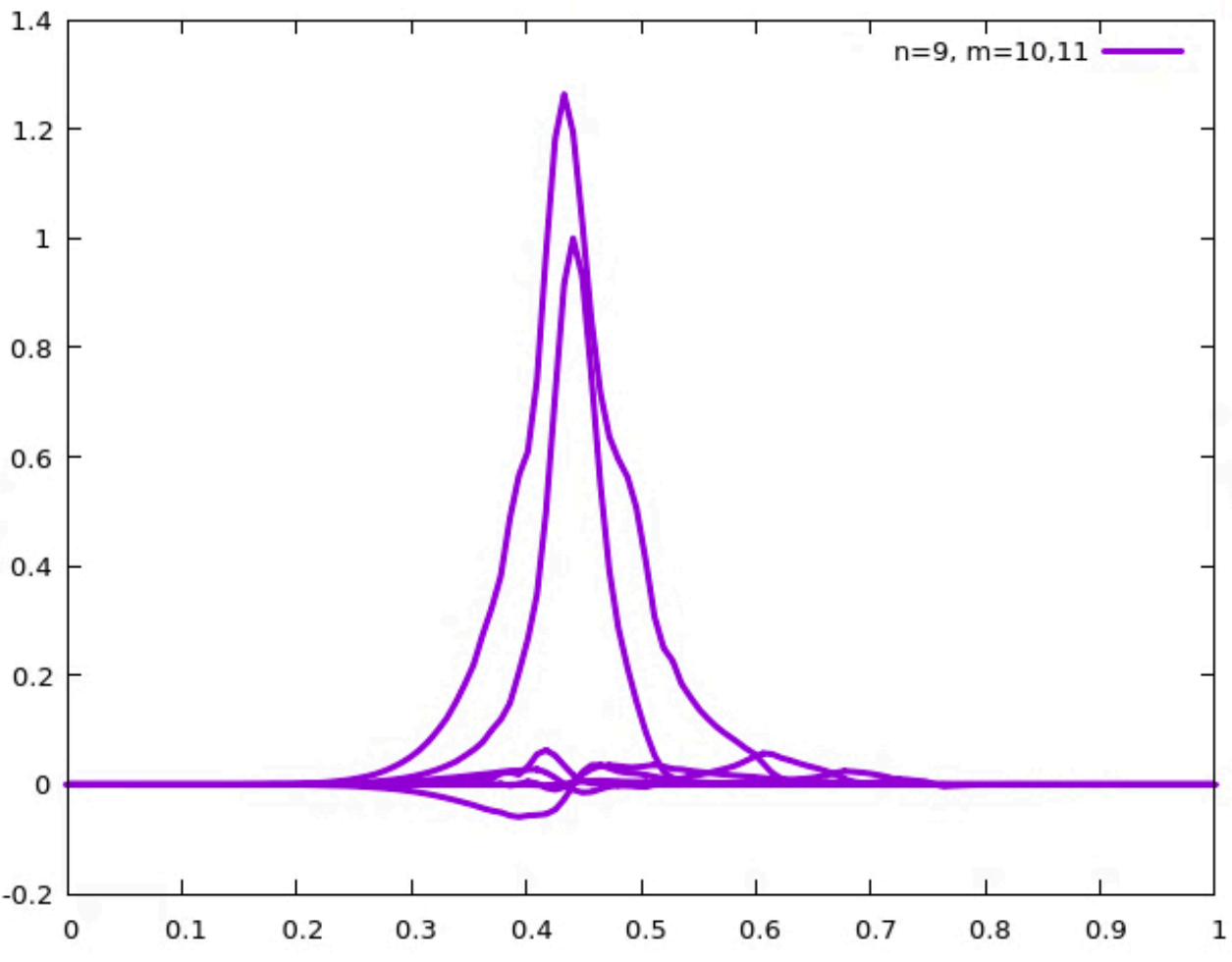


secular transport for resonance co-passing

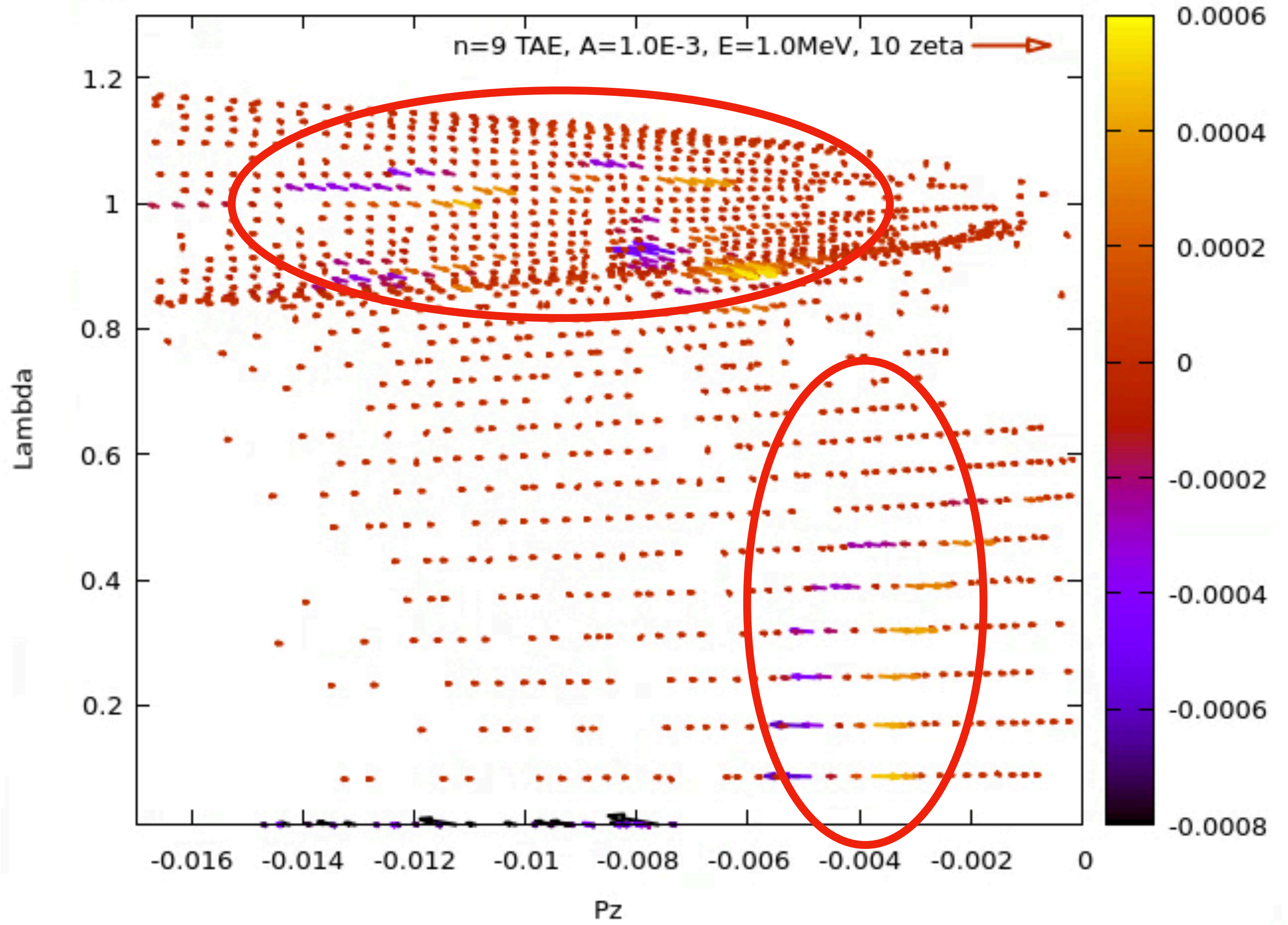
1 MeV, He, trapped, $\Lambda=1.03$, $n=9$ TAE with $dB/B=10^{-3}$



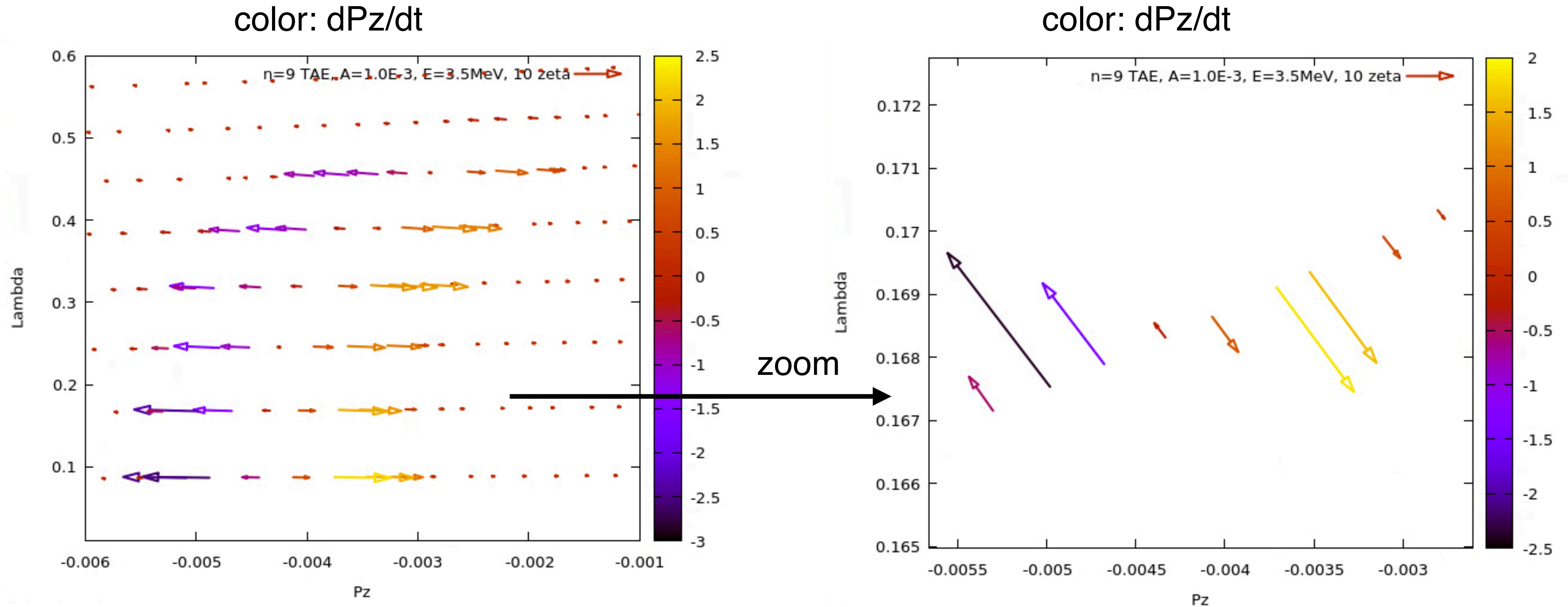
or trapped particles



- arrows: initial $(P_z, \Lambda) \rightarrow (P_z + \delta P_z, \Lambda + \delta \Lambda)$
- color: δP_z
- averages over 10 phases, 64 orbits
- 2-5 minutes to calculate
- trivial to overlay resonances...in progress
- now needs to be weighted with f to calculate QL fluxes and convective transport in phase space
- replace probability matrices of kick-model

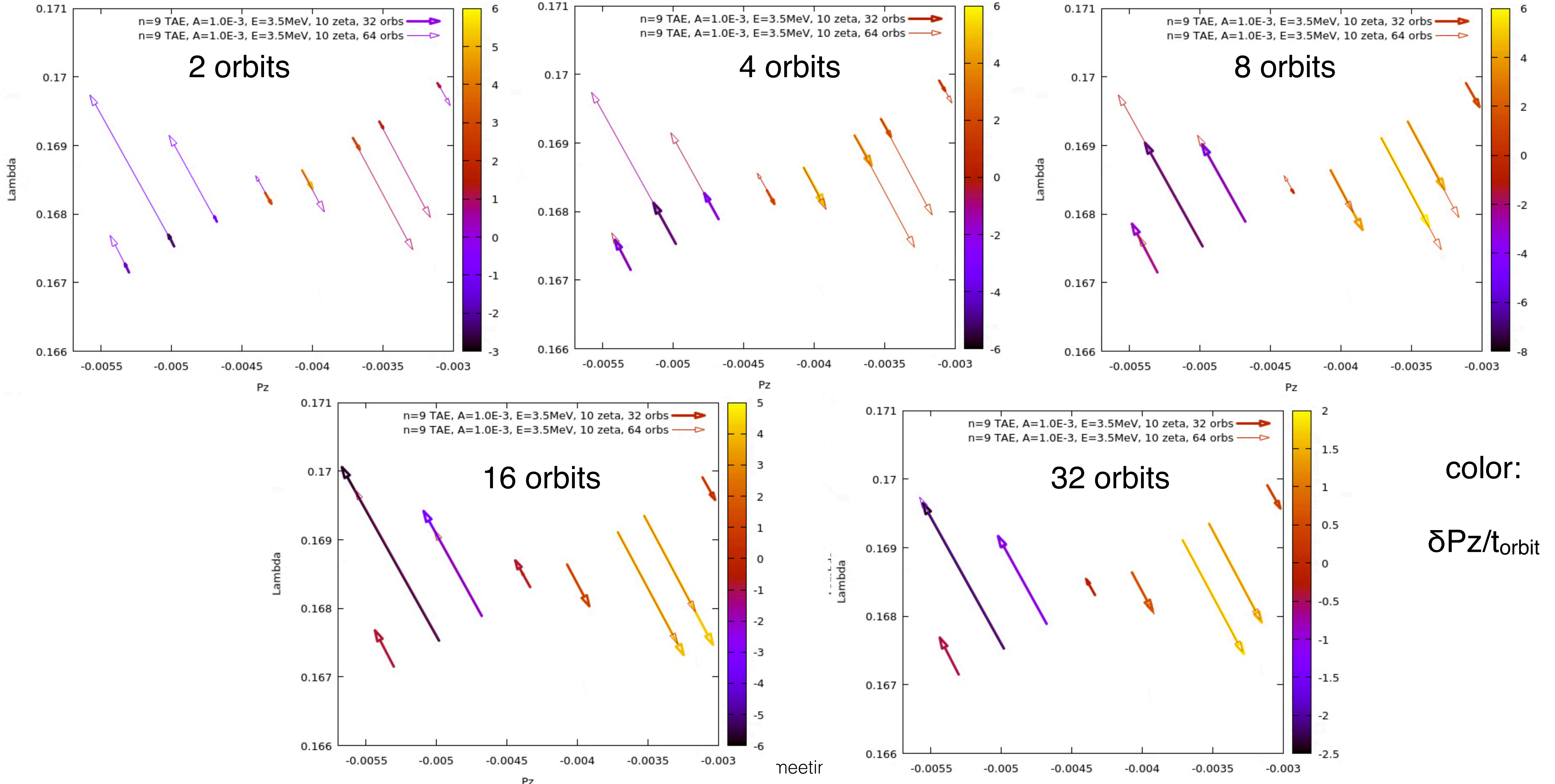


calculate fluxes: dP_z/dt [(eV/s)/s]



- divide δP_z by orbit transit time and number of orbits (here 32)
- the same information is available for Λ and E
- transport coefficients $D_{P_z}=(dP_z)^2/dt$ and $K_{P_z}=(dP_z)/dt$ can be evaluated

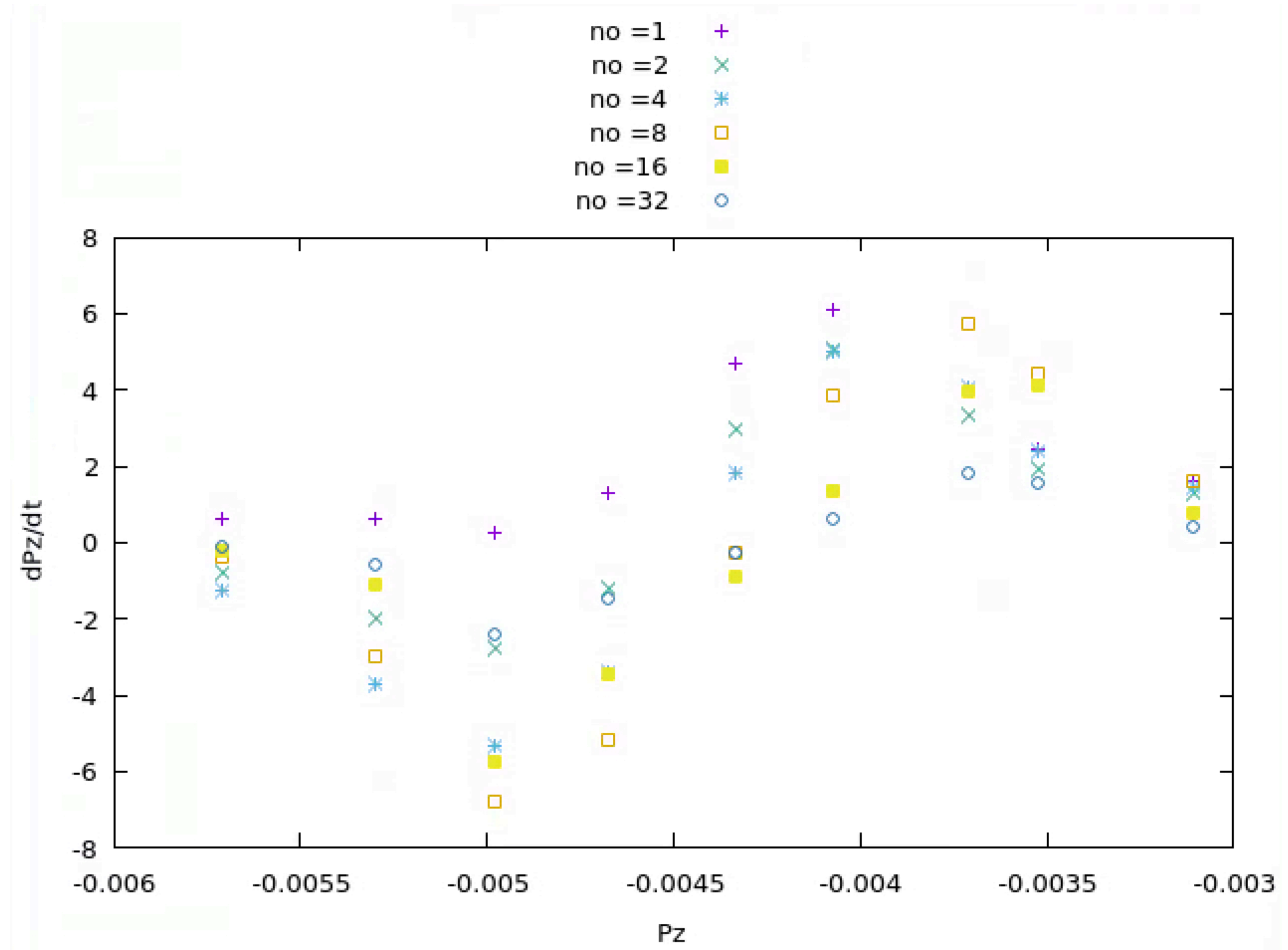
calculate δPz as function of number of orbits; compare to converged δPz (64 orbits, thin arrows)



how many orbits we need to follow in presence of perturbation?

$\delta P_z/dt$ is not uniform during redistribution process: when particles move, they feel different wave potential during the redistribution process, depending on the mode structure

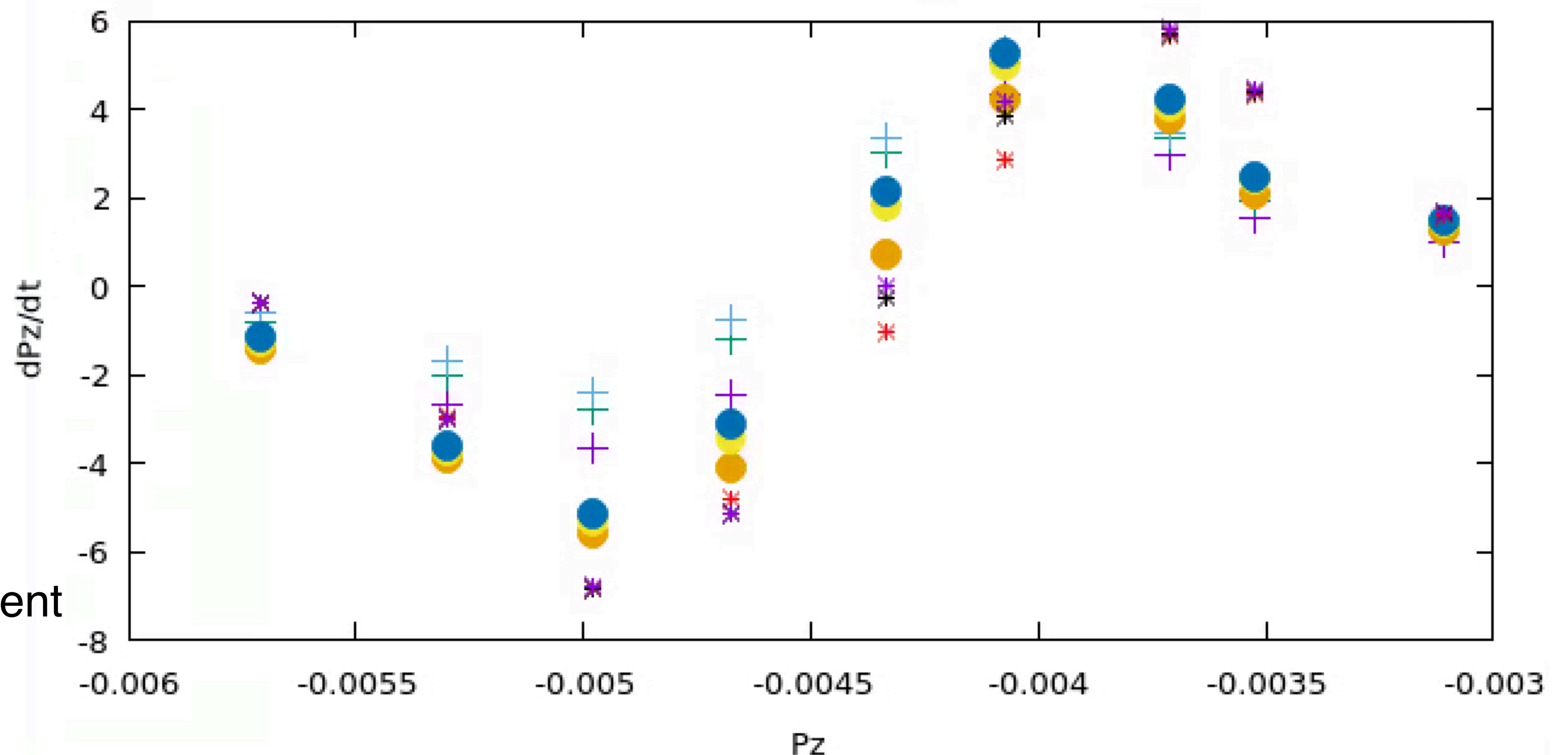
depending on what type of problem is to be solved (shortest time scale to be resolved), very few orbit transits (4-8) are sufficient.





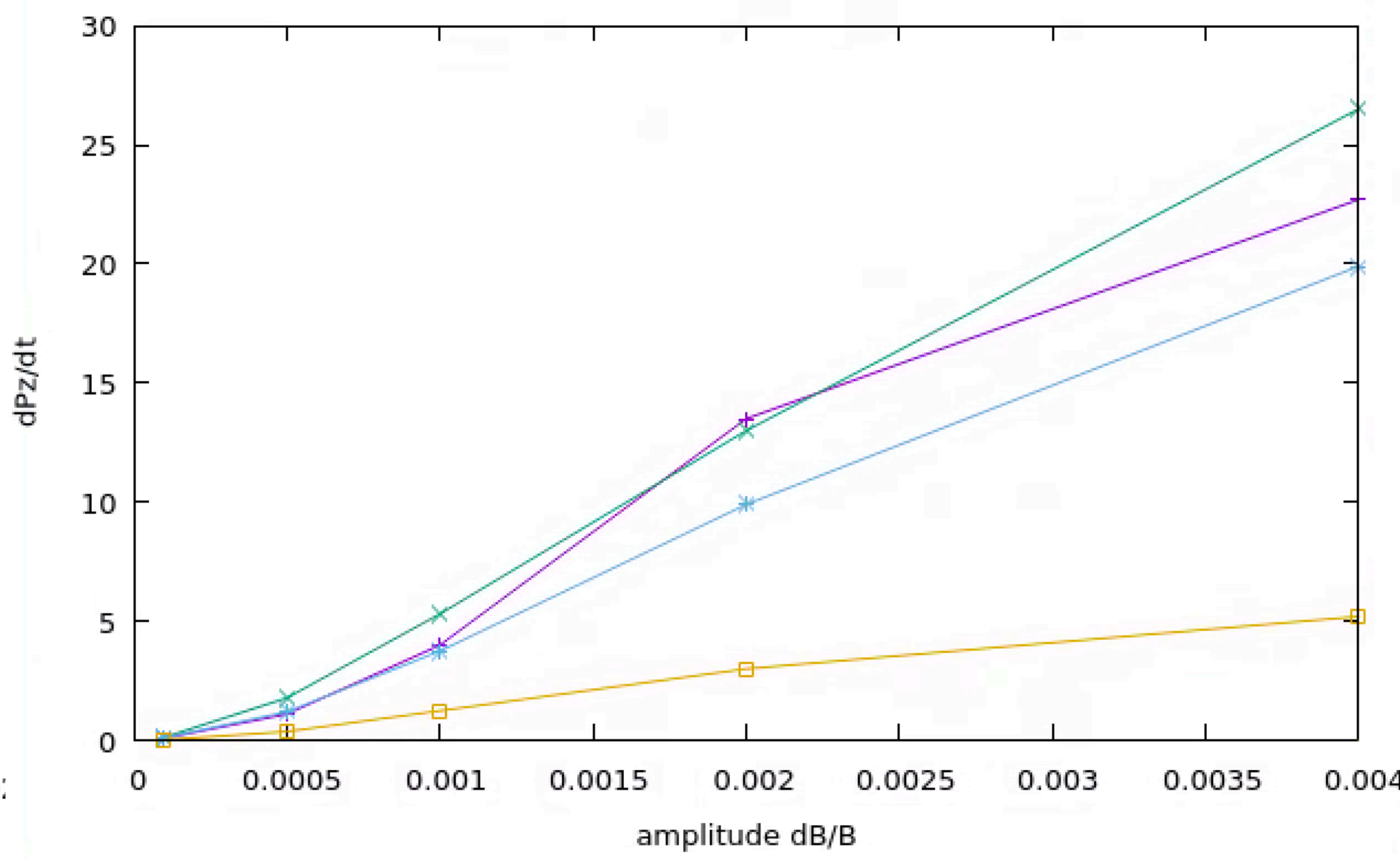
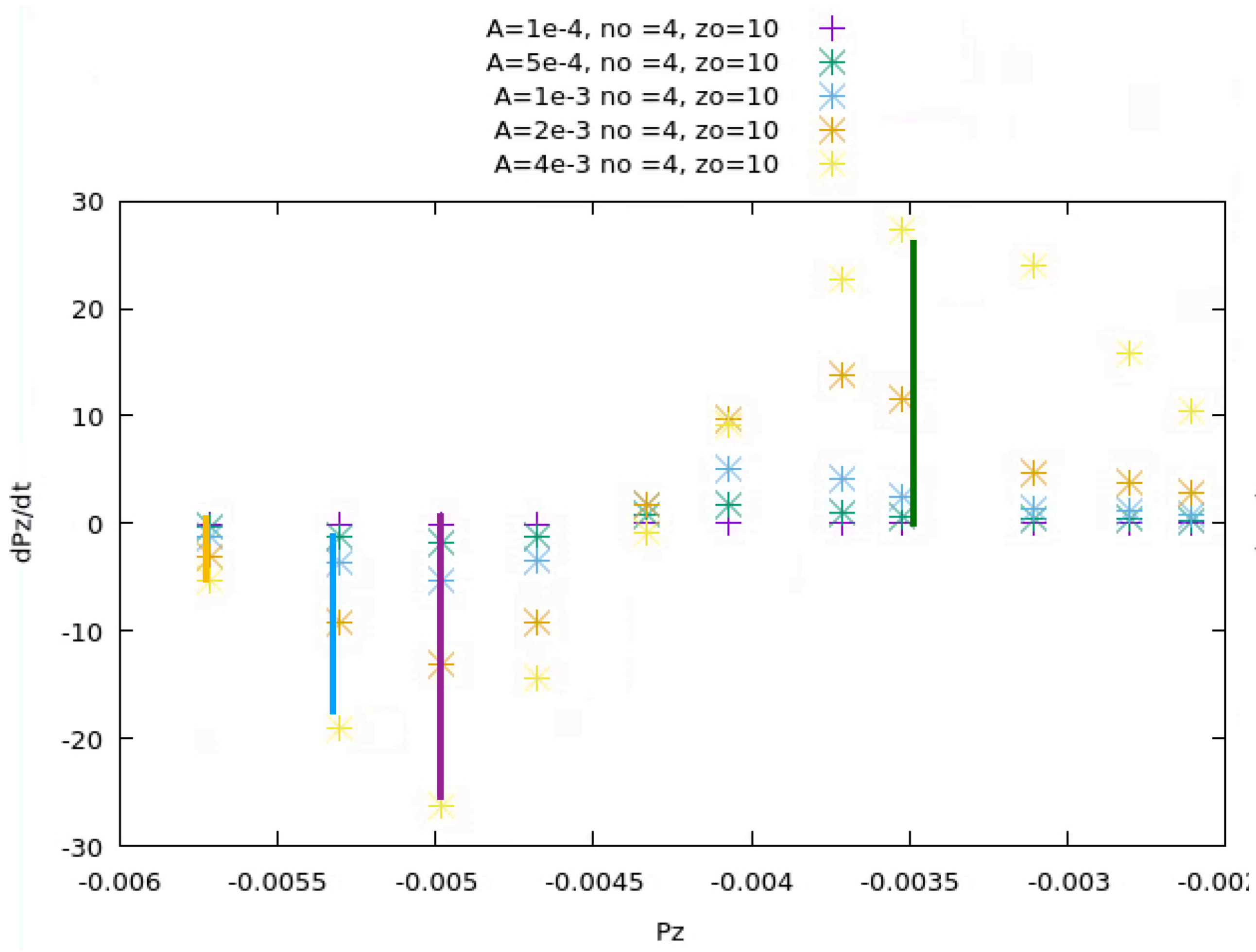
different starting phase:
 zo markers with starting tor. angle $[0: 2\pi/n]$

- no =2, zo=5 +
- no =2, zo=10 +
- no =2, zo=16 +
- no =4, zo=5 ●
- no =4, zo=10 ●
- no =4, zo=16 ●
- no =8, zo=5 *
- no =8, zo=10 *
- no =8, zo =16 *



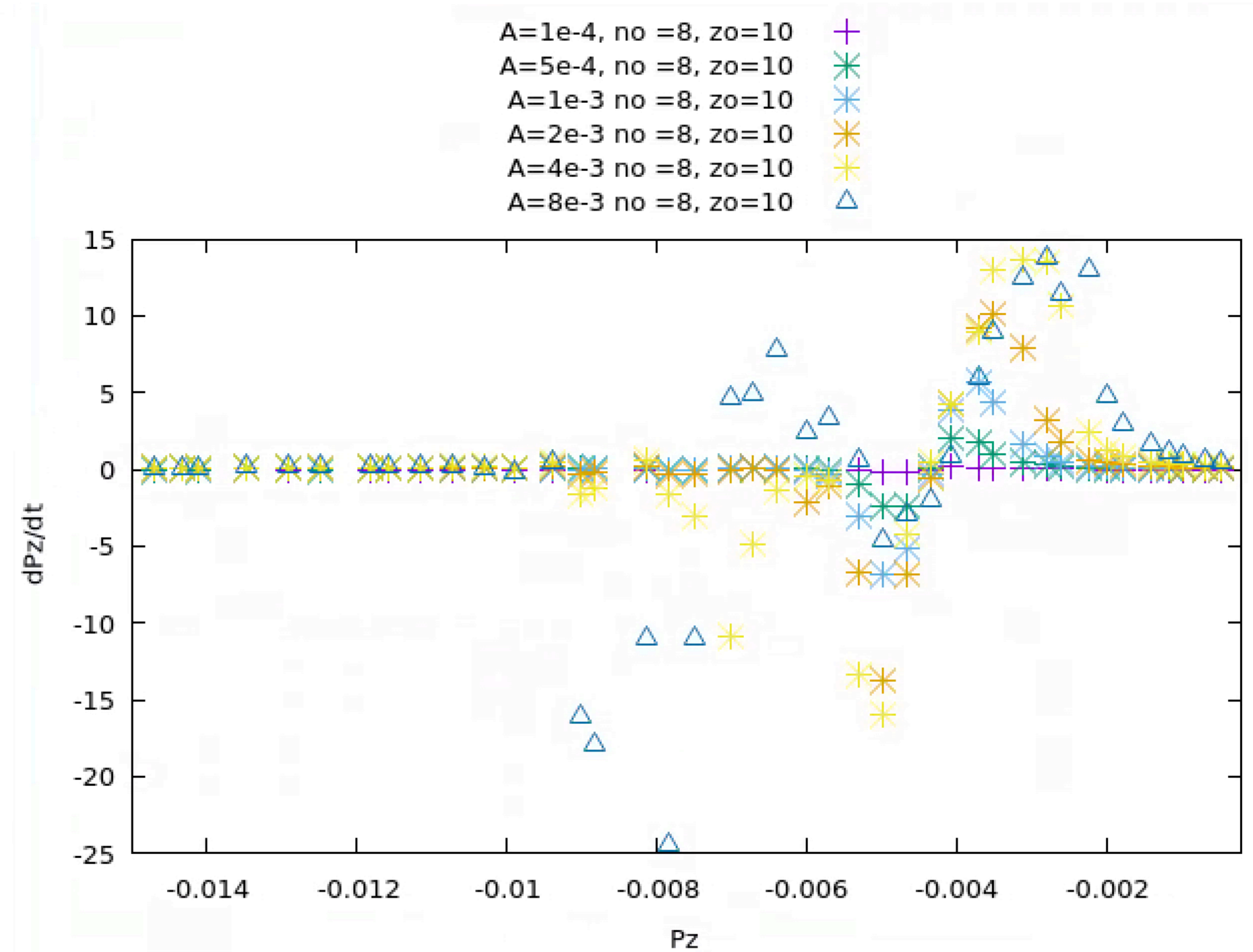
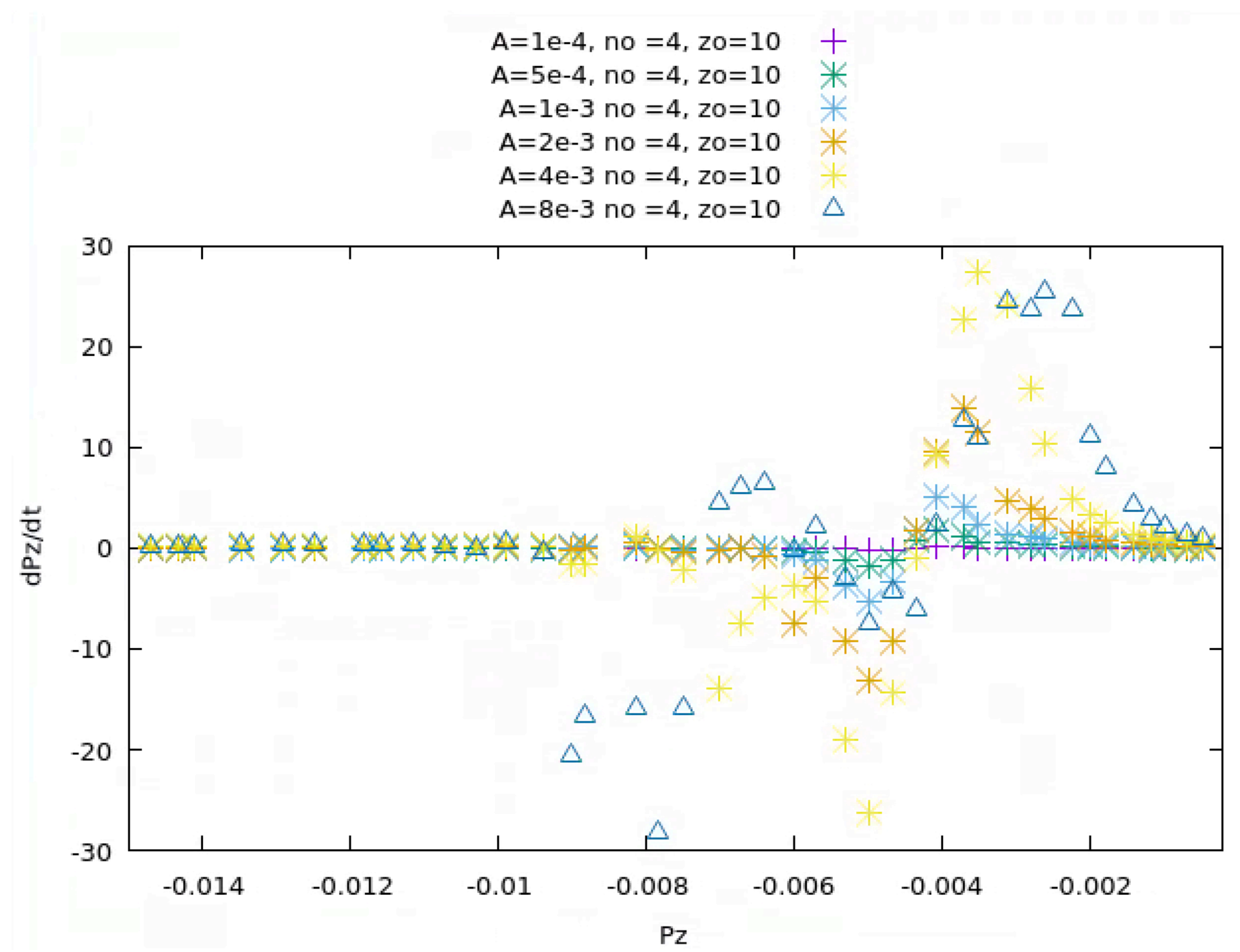
~5-10 markers per mode is sufficient

amplitude dependence: $\text{dB/B} = [10^{-4} - 4 \cdot 10^{-3}]$



$dPz/dt \sim$ quadratic for small amplitudes, linear for larger amplitudes

limit: simple scaling breaks down for $dB/B > 4 \cdot 10^{-3}$



for larger perturbations, case-by-case calculation is necessary



$$\frac{\partial}{\partial t} \overline{\delta F}_z + \frac{1}{\tau_b} \left[\frac{\partial}{\partial P_\phi} \overline{(\tau_b \delta \dot{P}_\phi \overline{F}_{z0})}_z + \frac{\partial}{\partial \mathcal{E}} \overline{(\tau_b \delta \dot{\mathcal{E}} \overline{F}_{z0})}_z \right] +$$

$$+ \frac{1}{\tau_b} \left\langle \frac{\partial}{\partial P_\phi} \overline{(\tau_b \delta \dot{P}_\phi \delta F)}_z + \frac{\partial}{\partial \mathcal{E}} \overline{(\tau_b \delta \dot{\mathcal{E}} \delta F)}_z \right\rangle_F = \overline{C^g}_z - \overline{C^g}_{z0} + \langle \bar{S} \rangle_F$$

- IMAS-based orbits data-base and QL orbit averaged particle response implemented
- next: import distribution with weights and bin to get QL fluxes, or project markers on 3D function
- speed up, neglect markers with small transport, parallelisation issues (no MPI version of IDS)
- validation: 'replay' transport of set of markers with time dependent amplitudes as given by full HAGIS2 simulation
- can be used to check diffusive vs convective model, different mode spectra
- work on various intensity closures, PSZS model implementation with M. Falessi
- orbit database in appropriate shape to use bounce-averaged collision operators [Brizard, Slaby/Kleiber, Hoppe etc] i.e. pitch angle on outboard mid plane and average radial positions are available - use RABBIT formulation?