



# Overview of activities of interest for the optimization of stellarator turbulent transport in TSVV 13

J. M. García Regaña on behalf of the TSVV13 Team

P.I. for the *TSVV13 Stellarator Turbulence Simulation*

*Thrust 4: Stellarators*

Meeting on optimization of turbulent transport

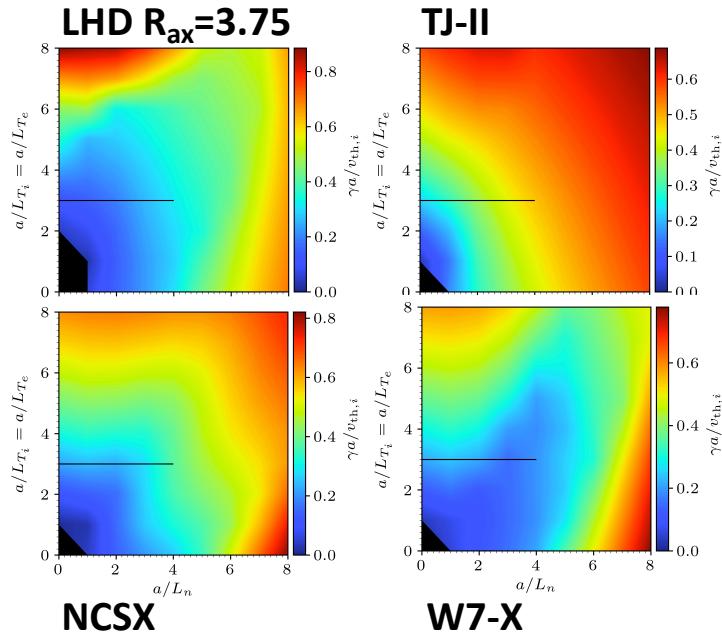
October 7th, 2022



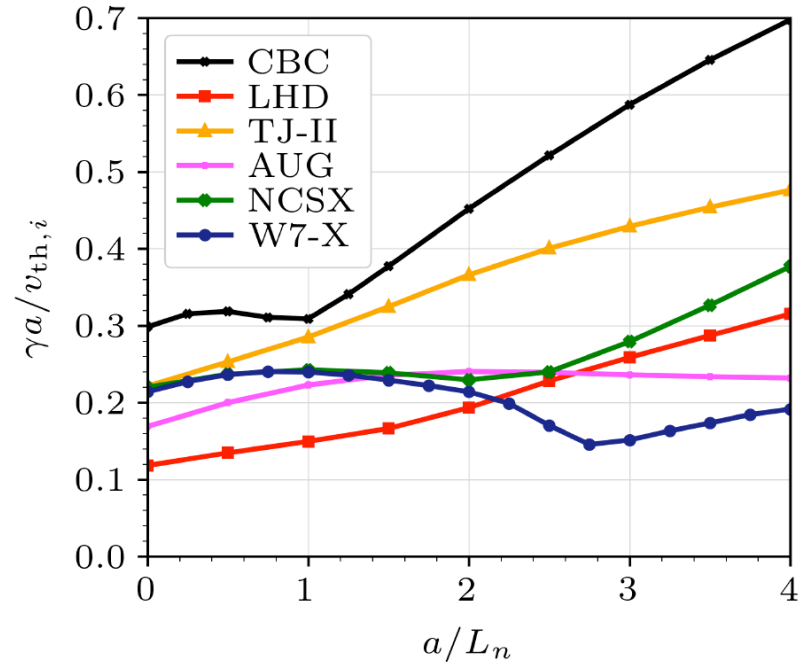
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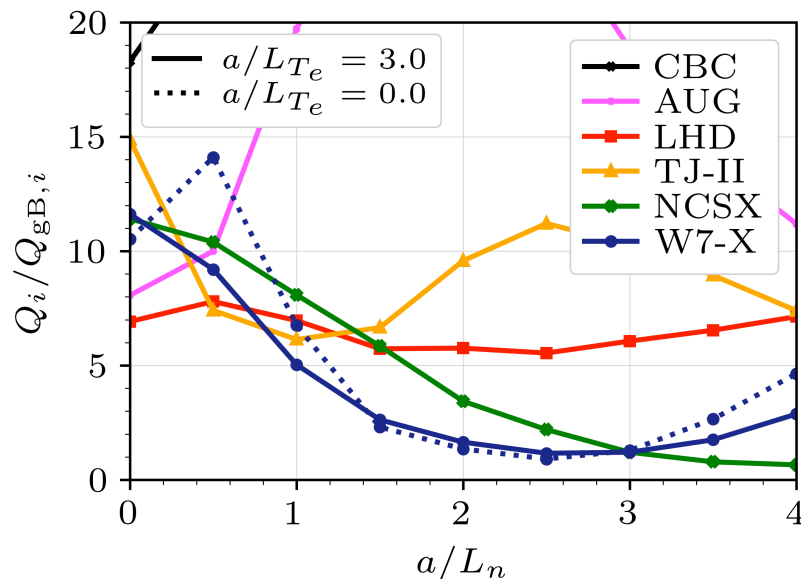
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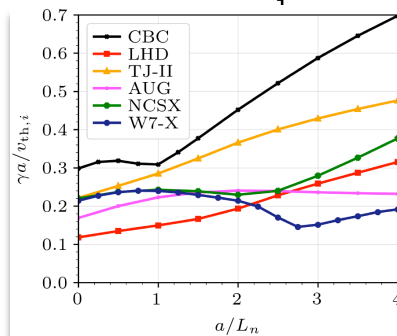
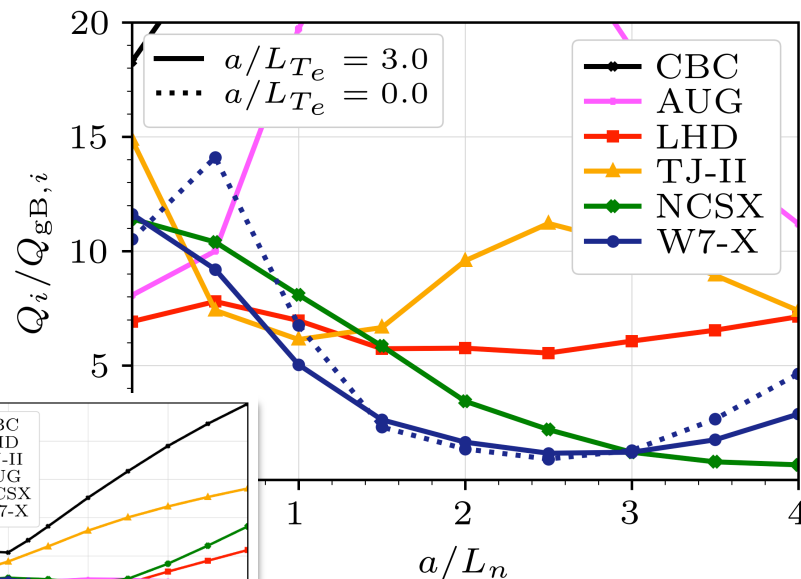
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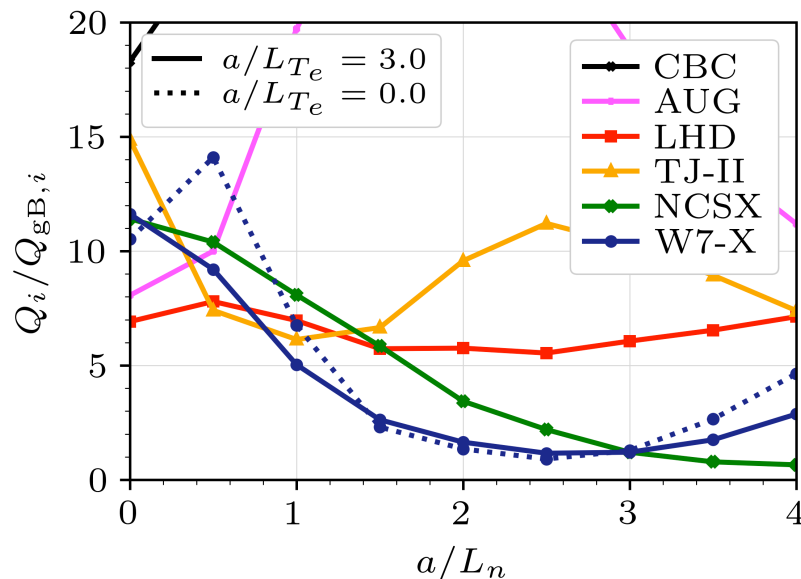
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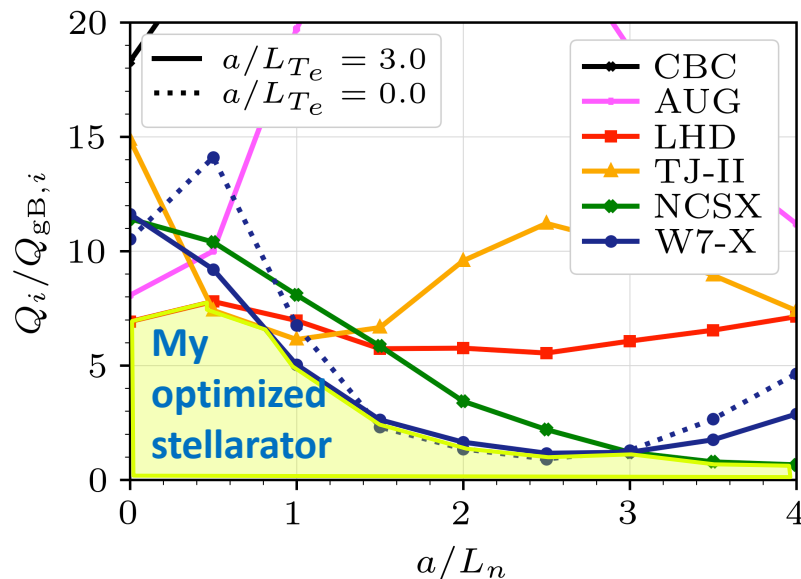
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  - **Can we design a stellarator with lower turbulence than known stellarators?**

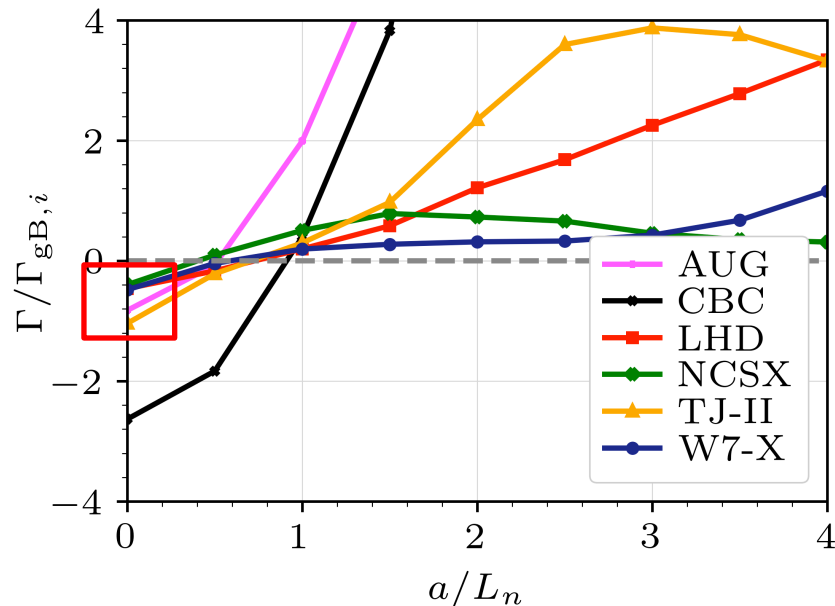
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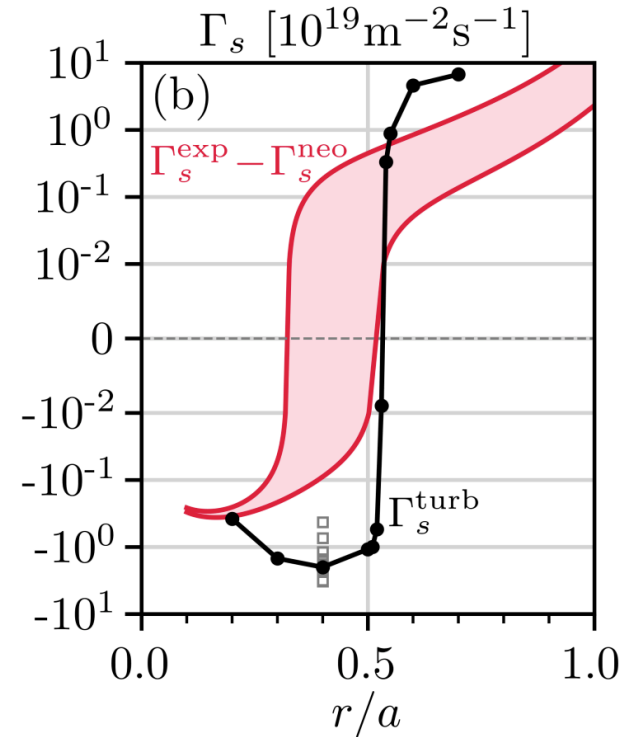
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[Thienpondt ISHW'22]



- Turbulence driven by finite  $T'_e$  and  $T'_i$  produces a **particle pinch** in all stellarators analyzed.
- **Neoclassical theory** predicts for stellarators in general and for W7-X in particular [Maassberg PPCF'99, Beidler PPCF'18], **strongly hollow density profiles**. This turbulent pinch explains their absence in experiment.

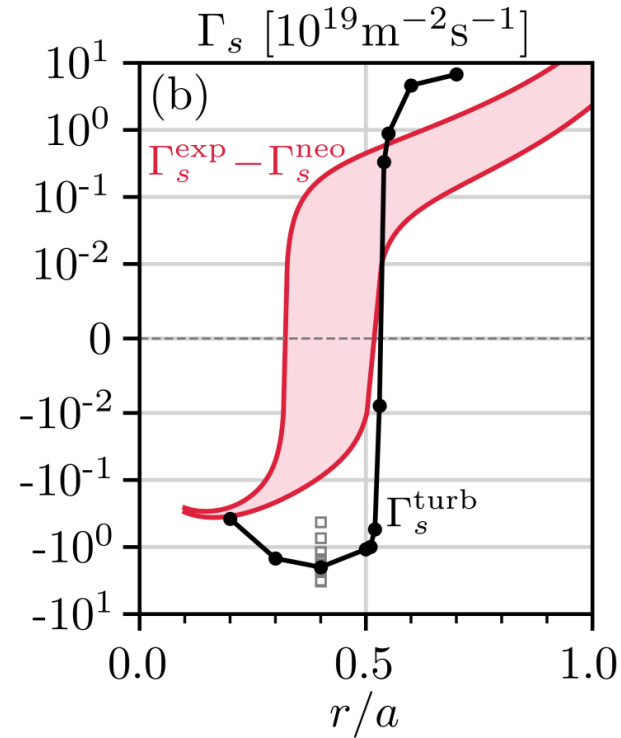


[Thienpondt arXiv 2209.04194]





- ❑ Turbulence driven by finite  $T'_e$  and  $T'_i$  produces a **particle pinch in all stellarators analyzed.**
- ❑ **Neoclassical theory** predicts for stellarators in general and for W7-X in particular [Maassberg PPCF'99, Beidler PPCF'18], **strongly hollow density profiles. This turbulent pinch explains their absence in experiment.**
- ❑ **Optimization efforts should not overlook particle transport, as this pinch is essential to prevent core density depletion in stellarators.**



[Thienpondt arXiv:2209.04194]



## Motivation:

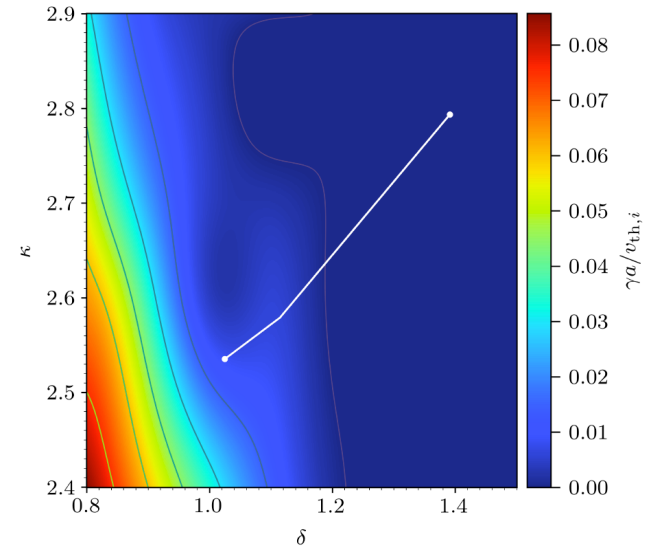
- High-dimensionality of parameter space makes optimization scans computationally expensive.

## Aims:

- Develop an **adjoint method for EM gyrokinetics** to facilitate rapid calculation of gradients of the linear growth rate with respect to a (general) set of parameters.
- Implement this into `stella`, and consider the case of optimising with respect to the magnetic geometry, using Miller formalism.

## Results:

- Comparison with finite difference scan when varying triangularity ( $\delta$ ) and elongation ( $\kappa$ ):



$\gamma(\delta, \kappa)$  for an ion temperature gradient of  $R_0/L_{Ti}=3.48$ , increased from  $R_0/L_{Ti}=2.42$ . The first point, in the unstable region, is provided by the previous iteration, at a lower temperature gradient, and a nearby stable geometry is located. The **optimisation path using the Adjoint Method path is indicated in white** (Courtesy of G. Acton and M. Barnes)