

Recycling in the FCI approach?



TSVV, neutrals (bi-weekly meeting), March, 22, 2023

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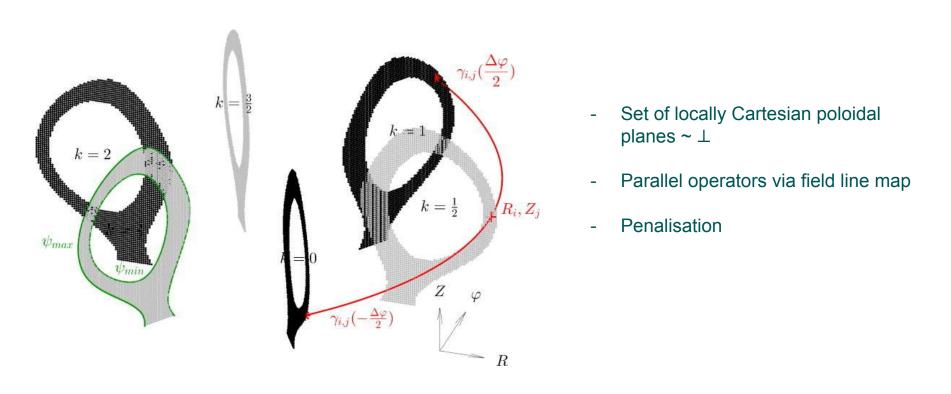


Plasma model: Neutral model model: $\partial_t N - \nabla \cdot \left(\frac{1}{nk_{cx}} \nabla NT_i \right) = -S$ ${\partial}_t \, n +
abla \cdot ig(n {f v}_{\, ExB} \, + n {f v}_{\, e, dia} \, + n v_{\, e, \parallel} \, {f b} ig) = S$ $S = k_{iz} nN - k_{rec} n^2$ Total particle conservation: $\frac{d}{dt} \int_{V} (n+N) \, dV = \int_{\partial V} \left(\underbrace{\frac{1}{nk_{cx}} \nabla NT_i}_{i} \underbrace{-n\mathbf{v}_{ExB} - n\mathbf{v}_{e,dia}}_{\Gamma} \underbrace{-nv_{e,\parallel} \mathbf{b}}_{\Gamma} \right) \, d\mathbf{S} \stackrel{!}{=} 0$ $\left\| \Gamma_N
ight\|_{\partial_V} = \left(\Gamma_{n,\perp} + \Gamma_{n,\parallel}
ight)
ight\|_{\partial_V}$

Here: Ideas how to compute perpendicular and parallel fluxes within the FCI approach

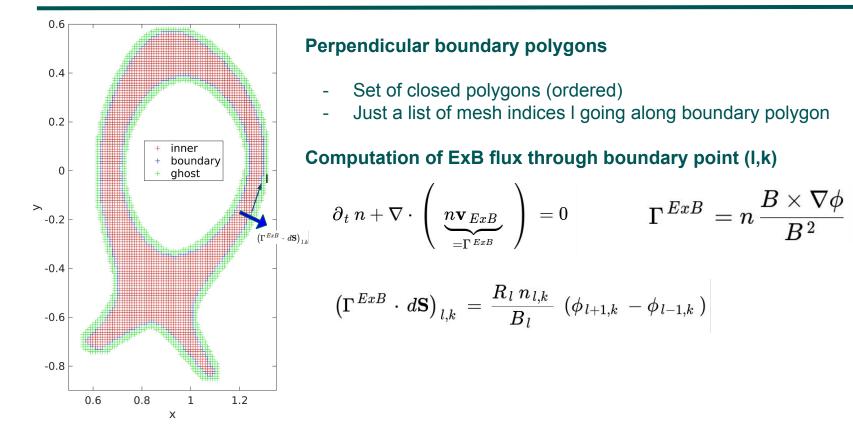
Reminder: FCI





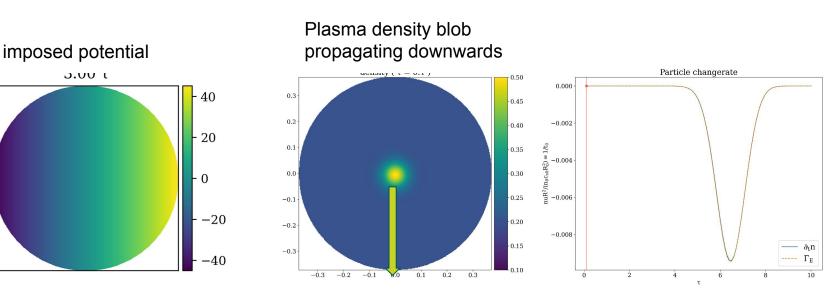
Perpendicular fluxes





$${\partial}_t \, n +
abla \cdot \left(egin{array}{c} n {f v}_{ExB} \ = \Gamma^{ExB} \end{array}
ight) \, = 0$$

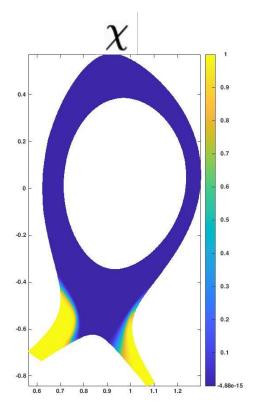
3.00 ι





Penalisation



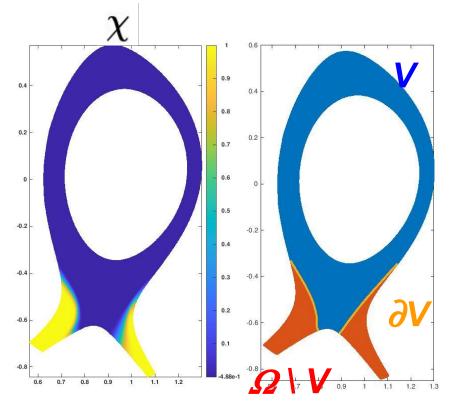


Penalisation

$${\partial}_t \, n + (1-\chi) \left[
abla \cdot (n {f v}_{\, e} \,) - S
ight] + rac{\chi}{\epsilon} \, \left(n_{\, pen} \, - n
ight) = 0 \, igg| \, ext{ in } arDelta
abla$$

Penalisation





Penalisation

$$\partial_t \, n + (1-\chi) \left[
abla \cdot (n {f v}_e \,) - S
ight] + rac{\chi}{\epsilon} \, \left(n_{\, pen} \, - n
ight) = 0 igg| \, \, {
m in} \, \, {\cal Q}$$

Physical boundary

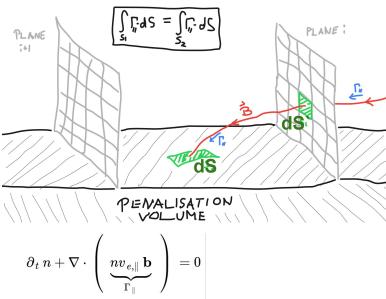
- Physical domain is $V = \{(R, \varphi, Z) | \chi(R, \varphi, Z) = 0\}$ Here the conservation laws are fulfilled
- Penalisation region is *Ω* \ ∂V, where conservation laws are violated
- The physical boundary is *∂V*, where computation of boundary flux takes place

Perpendicular flux computation

- as described before

Parallel fluxes

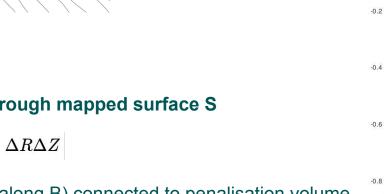


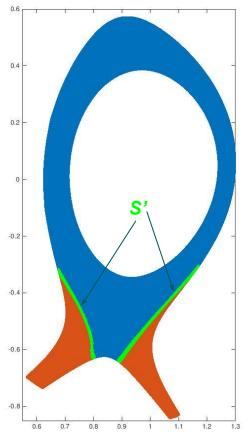


Computation of parallel flux through mapped surface S

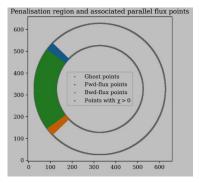
$$\Gamma_{\parallel} \, \cdot d{f S} = n v_{\,e,\parallel} \, dS^{\,\prime} = n_{\,s^{\,\prime}} \, \, v_{\,e,\parallel,s^{\,\prime}} \, \, \Delta R \Delta Z$$

 \rightarrow Find points that are parallely (along B) connected to penalisation volume

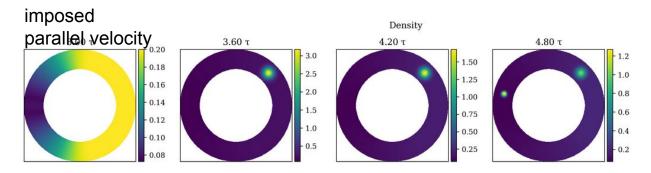


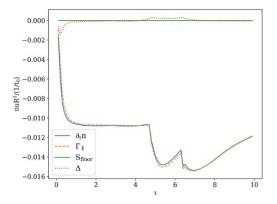






Blob propagating along field line into limiter





- Good agreement
- Quantitative behaviour currently under investigation



- Modelling of recycling requires accurate computation of plasma fluxes through boundaries
- This is challenging in FCI as mesh and field lines are not conformal with boundaries
- Perpendicular fluxes: Finite difference along boundary polygons
- Parallel fluxes: Integration over area mapped back from penalisation onto poloidal planes

Next steps

- More quantitative investigation in turbulent state
- Coupling with fluid neutral model
- Test case: TCV-X23