

ORB5 solver optimization

EPFL Initial profiling

- CYCLONE-based simulation
- 1024 x 1024 x 256 grid, 800'000 ions, adiabatic electrons, 10 steps
- Focus on the Poisson/Ampère equations because dominant on GPU

	Poisson	3191 s			
		field_dft	1656 s	52 %	
			pptransp	821 s	50 %
64 tasks			fourcol	167 s	10 %
		field_idft	1417 s	44 %	
			pptranps	776 s	47 %
			fourcol	169 s	10 %

128 tasks	Poisson	8350 s			
		field_dft	4175.5 s	50 %	
			pptransp	3712 s	89 %
			fourcol	72 s	2 %
		field_idft	3978.5 s	48 %	
			pptranps	3578 s	90 %
			fourcol	74 s	2 %

EPFL Construction of the Poisson RHS in Fourier space

- In ORB5, the field solver works in Fourier space for the toroidal and poloidal directions
- Filtering is also applied to keep only relevant modes

$$\hat{\rho}_{ik}^{m} = \sum_{j=0}^{N_{\theta}-1} \rho_{ijk} \exp\left(-\frac{2\pi i j m}{N_{\theta}}\right), \quad \forall m \in [m_{1}^{f}, m_{2}^{f}],$$

$$\hat{\hat{\rho}}_{i}^{nm} = \sum_{k=0}^{N_{\varphi}-1} \hat{\rho}_{ik}^{m} \exp\left(-\frac{2\pi i k n}{N_{\varphi}}\right), \quad \forall n \in [n_{1}^{f}, n_{2}^{f}],$$

$$\forall n \in [n_1^f, n_2^f], \quad m \in [-nq(s) - \Delta m, -nq(s) + \Delta m],$$

Typically, $\Delta m \sim 5$

EPFL Parallel data transpose

- The FFTW algorithm used in ORB5 needs the dimension being transformed to be contiguous
- Since ORB5 uses domain cloning, parallel data transposes are needed



EPFL miniORB5

- A mini application called miniORB5 has been implemented
- It contains only the DFT (back and forth) of the RHS
- Lightweight and small, it allows one to easily test various strategies
- It copies ORB5 interface so that work can be copy/pasted back into ORB5
- Reproduces ORB5 timings

64 tasks	field_dft	310 s		
		pptransp	202 s	65 %
		fourcol	43 s	14 %
	field_idft	351 s		
		pptranps	205 s	66 %
		fourcol	43 s	14 %

128 tasks	field_dft	564 s		
		pptransp	553 s	98 %
		fourcol	4 s	1 %
	field_idft	228 s		
		pptranps	212 s	93 %
		fourcol	4 s	2 %

EPFL Alternative to original DFT algorithm Local DFT

- Poloidal DFT same as original
- Toroidal DFT done partially on each subdomain
- Reduce scatter used to finalize the toroidal DFT

$$\hat{\rho}_{ik}^{m} = \sum_{j=0}^{N_{\theta}-1} \rho_{ijk} \exp\left(-\frac{2\pi i j m}{N_{\theta}}\right), \quad \forall m \in [m_{1}^{f}, m_{2}^{f}],$$
$$\hat{\rho}_{i}^{nm} = \sum_{k=0}^{N_{\varphi}-1} \hat{\rho}_{ik}^{m} \exp\left(-\frac{2\pi i k n}{N_{\varphi}}\right) = \sum_{s \in S} \sum_{k=0}^{N_{\varphi}^{f}-1} \hat{\rho}_{ik}^{m} \exp\left(-\frac{2\pi i k n}{N_{\varphi}}\right)$$

$$\forall n \in [n_1^f, n_2^f], \quad m \in [-nq(s) - \Delta m, -nq(s) + \Delta m],$$

EPFL Scalings on Jed (SCITAS - EPFL)

- Jed machine at EPFL
 - 420 nodes each equipped with 2 Intel Platinum with 36 cores (72 per node)
- GNU 11.3, FFTW 3.3.10, OpenMPI 4.1.3
- Timings done with ScoreP



- Same scaling up to 64 tasks, but "local DFT" ~2.3 faster
- Starting from 64 tasks, "pptransp" method does not scale anymore

EPFL Conclusions & outlooks

- The "local DFT" algorithm is ~2.3x faster and has a better scaling
- Better characterization needed with different hardware and MPI implementations
 - Preliminary results showed big influence from the MPI implementation
- Make a cost estimate of the MPI communication between the two methods
- Test FFTW capabilities to perform parallel transposes
- Re-test work developed by T. Ribeiro in the frame of the HLST