

# JET Task Force Meeting



## A statistical approach for the automatic identification of the start of the chain of events leading to the disruptions at JET

E. Aymerich<sup>1</sup>, A. Fanni<sup>1</sup>, G. Sias<sup>1</sup>, S. Carcangiu<sup>1</sup>, B. Cannas<sup>1</sup>, A. Murari<sup>2</sup>, A. Pau<sup>3</sup> and JET Contributors



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# Outline



## ➤ Introduction and Background

- Motivation and previous work
- Database

## ➤ Warning Time Indicator (WTI) Algorithm

- Benchmark analysis
- Construction of *WTI*
- Parameter optimization

## ➤ Validation of *WTI* with the GTM

- Automatic Ti: analysis and comparison
- Manual Ti Vs Automatic Ti: GTM performance comparison
- Database upgrade
- GTM automatic update for recent campaigns

## ➤ Conclusions



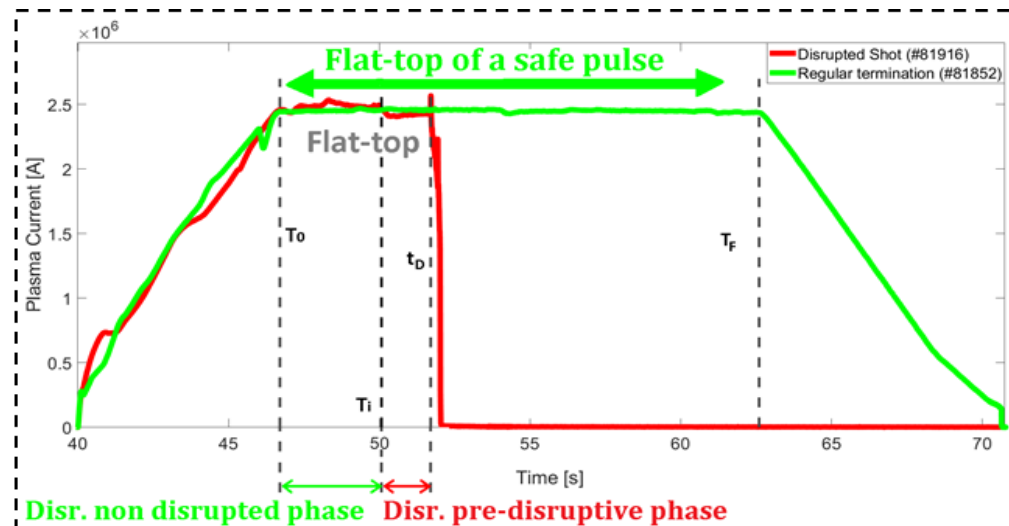
## Data-based disruption predictors

- Need to be **updated**, as the operating scenario of the machine changes with time
- Need to provide an interpretable output, to be employed in a disruption avoidance scheme (detection of **specific events**)
- Supervised data-based models need a labelling of the samples to be trained

## Identification of the pre-disruptive phase of the discharge

- The warning Time ( $T_i$ ) is a **reference time** for *training* the predictive model
- Identification of 3 “classes”

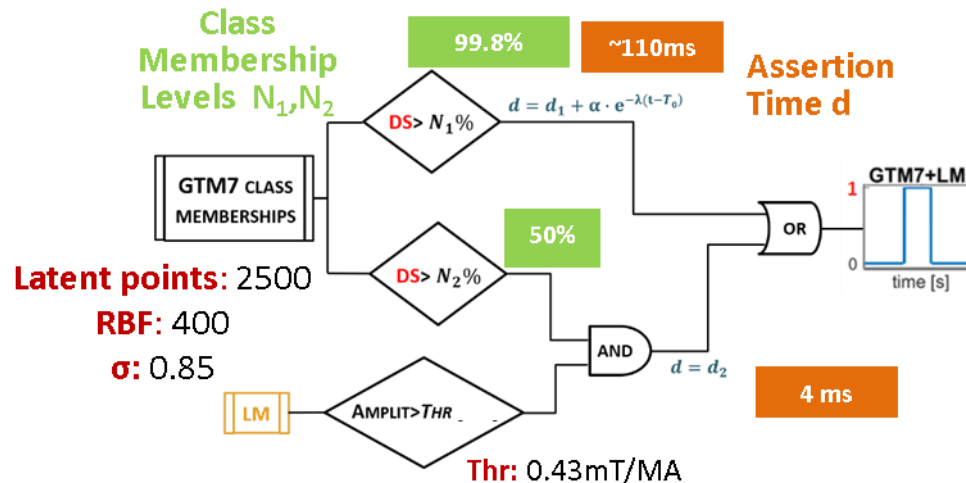
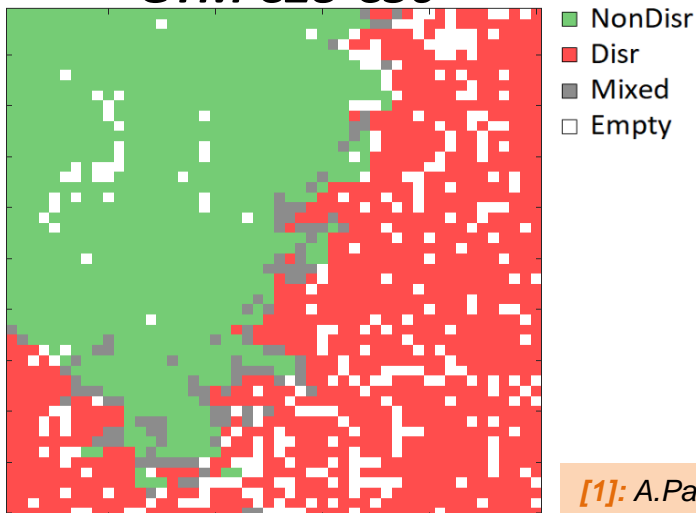
- **NonDisr. shots:** Ipla flat-top phase for safe shots [ $T_0 - T_{end}$ ];
- **Disr. non-disrupted Phase:** Ipla flat-top phase for disruptive discharges up to time identifying the start of the relevant chain of events ‘destabilizing’ the discharge [ $T_0 - T_i$ ];
- **Disr. pre-disruptive Phase:** from the  $T_i$  up to the disruption [ $T_i - T_d$ ].



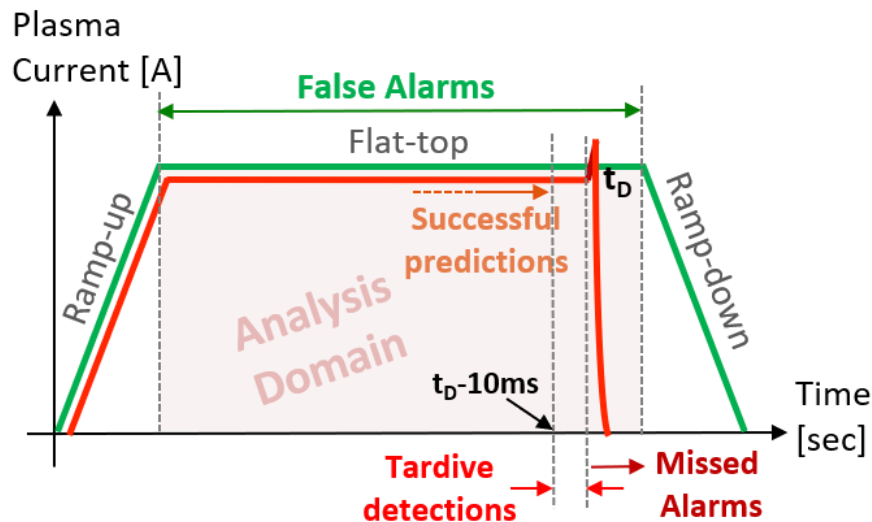
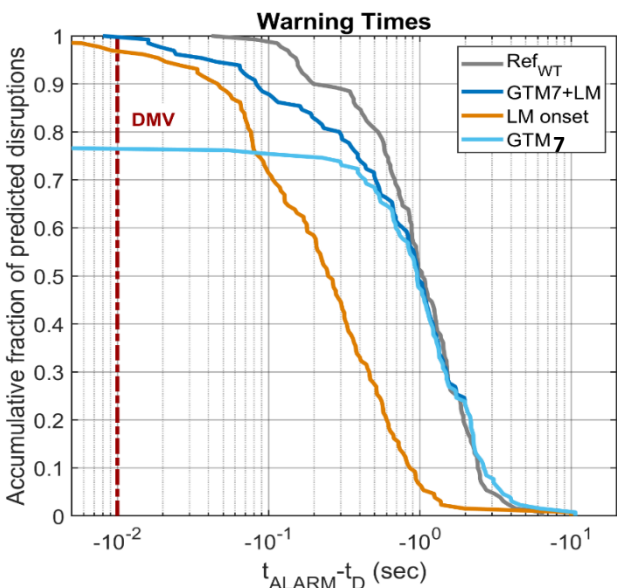


In [1], the Warning Times were obtained through a manual analysis

**GTM C28-C30**



[1]: A.Pau et al., "A Machine Learning approach based on Generative topographic mapping for disruption prevention and avoidance at JET", Nucl. Fusion 2019, 106017 (22pp).





## 2011-2013 ILW campaigns (C28-C30)

- From previous analyses
- Mainly low power
- Manual Ti are known
- Many disruptions evolved until the loss of plasma current

## 2016 ILW campaign (C36)

- New dataset
- High power discharges
- Manual Ti not known
- Many disruptions killed with DMV

Same selection criteria

- HRTS, Bolometer and Li available
- X-point configuration
- No DMV (before tD)
- No VDE

**132 disrupted**

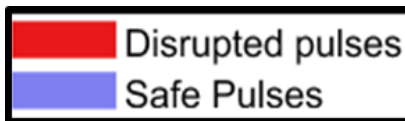
**115 regularly terminated**

**29 disrupted**

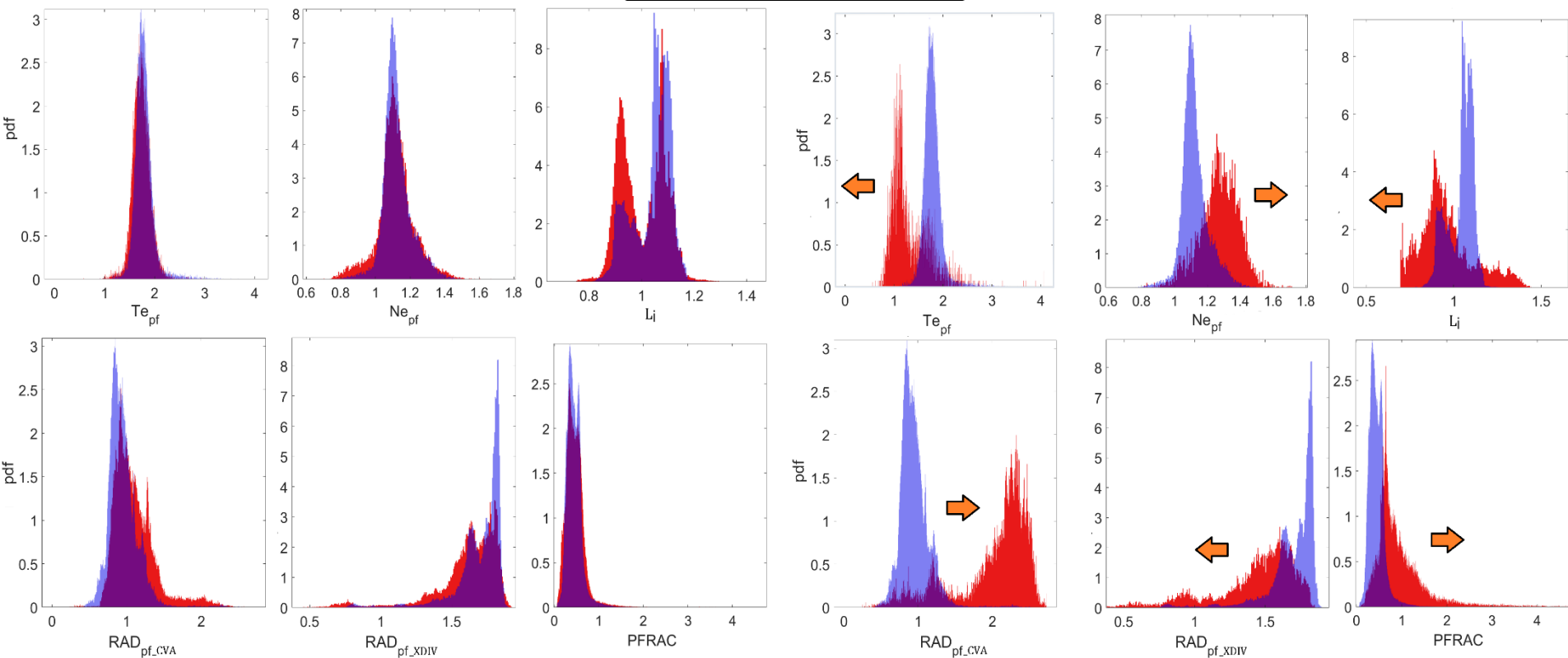
**41 regularly terminated**



Before Ti



After Ti



The plasma parameter distribution of the safe shots overlaps the distribution of the non-disrupted phase

After Ti for disrupted shots a clear shift of the plasma parameters is observed!



We analyze the parameter value distribution during the discharge evolution

**#81916 (win 500 ms)** **Safe distribution**

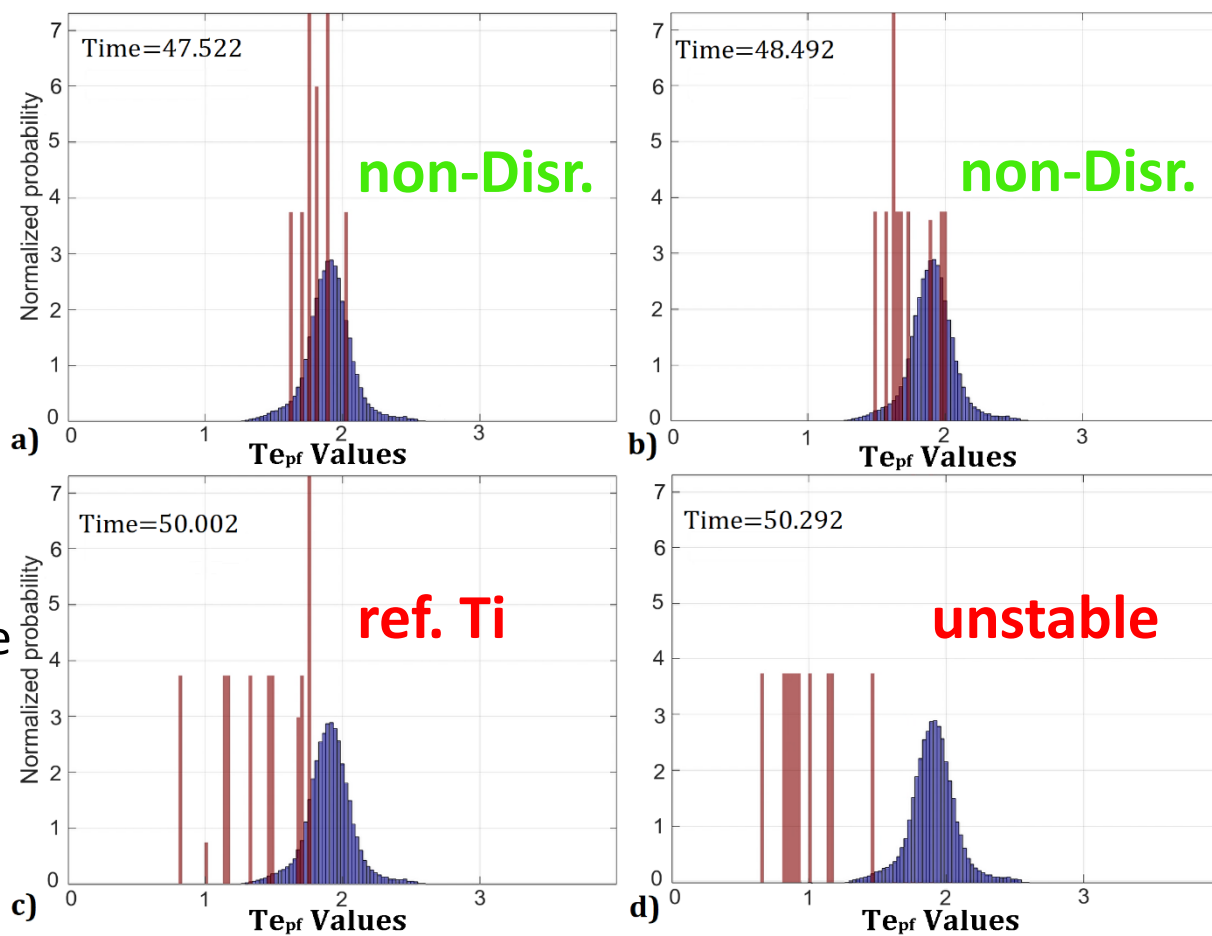
Sliding window adapted to the flat-top length (max 500 ms)

We can observe a shift of the plasma parameter distribution as the sliding window gets closer to tD



We can estimate the deviation by using a distribution distance metric

The contribute of each parameter is weighted to detect the  $T_i$

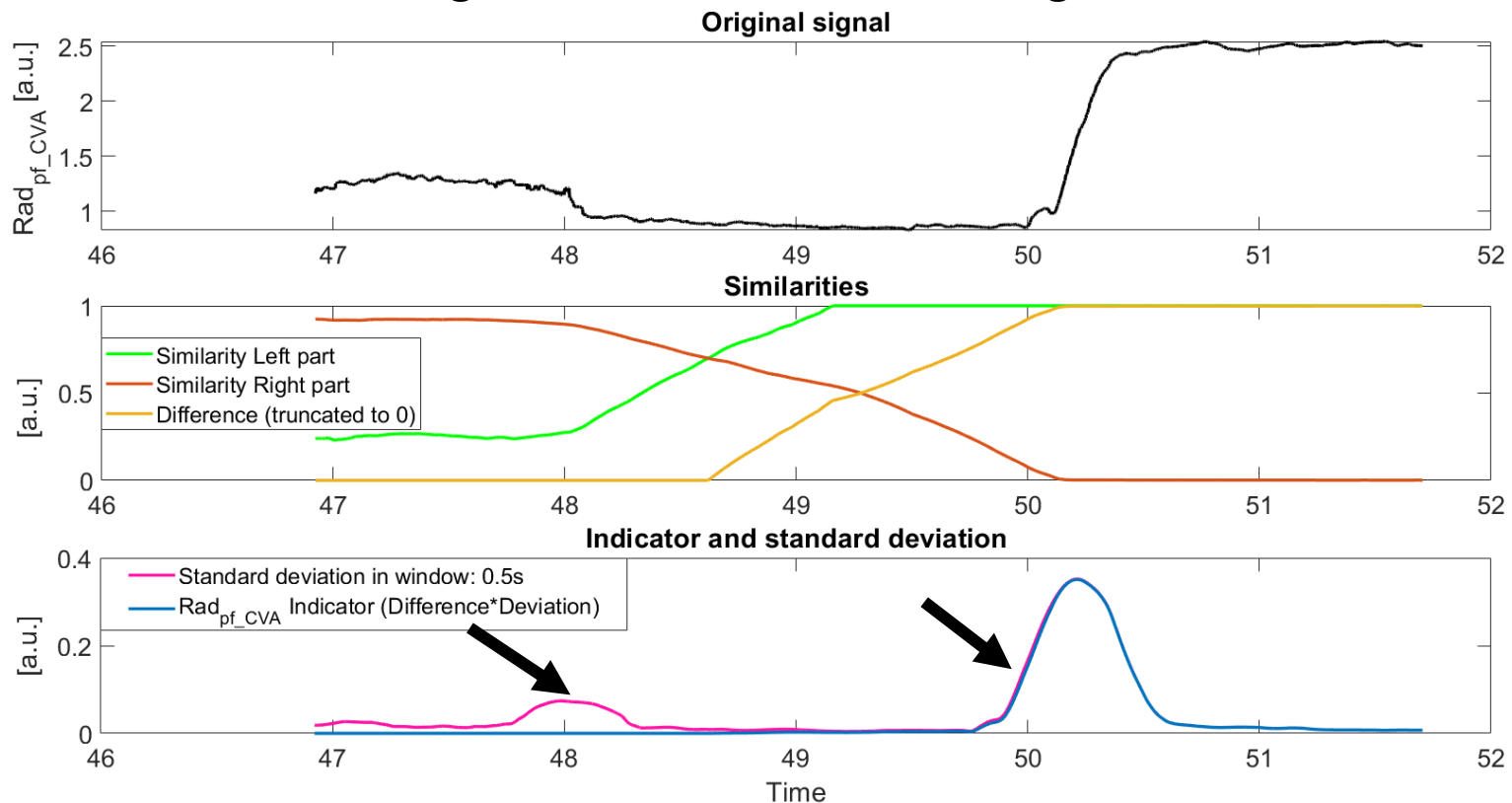




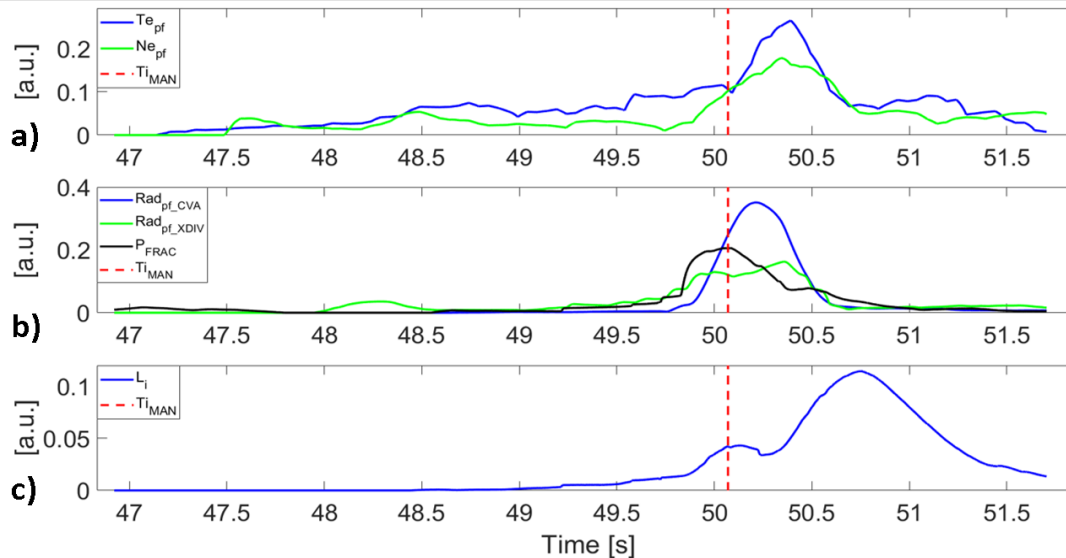
At each time instant  $t$  two similarity metrics are computed between the safe distribution and:

$$\text{Metric: Cosine } s_{Cos} = \frac{\sum_{i=1}^B P_i Q_i}{\sqrt{\sum_{i=1}^B P_i^2} \sqrt{\sum_{i=1}^B Q_i^2}}$$

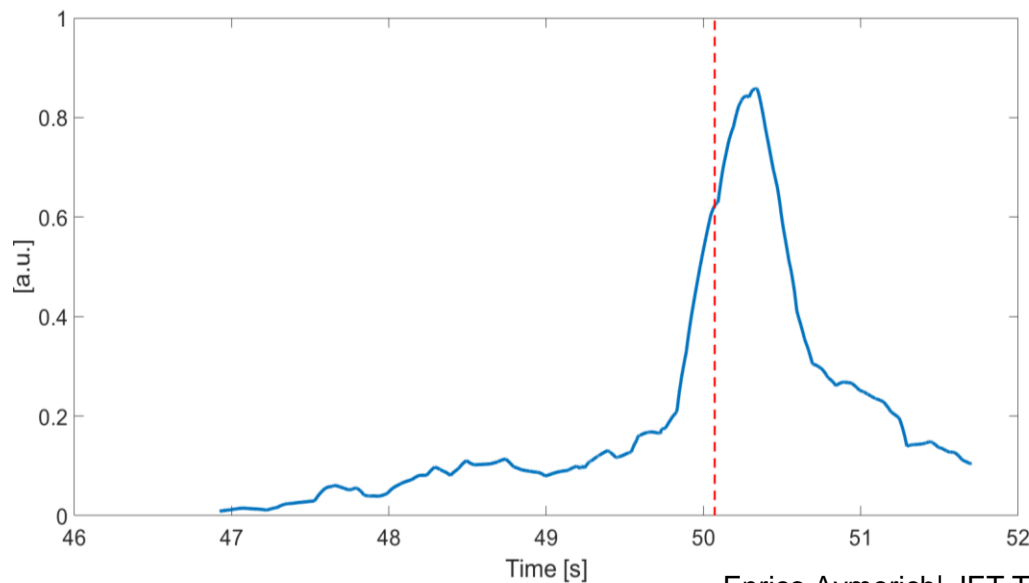
1. The plasma parameter before  $t$  ■
2. the plasma parameter after  $t$  ■
- The **difference** among these 2 truncated to 0 weighs the standard deviation ■







Weighing each indicator with a coefficient  $\in [0, 1]$



The weights are optimized maximizing the map discriminating power



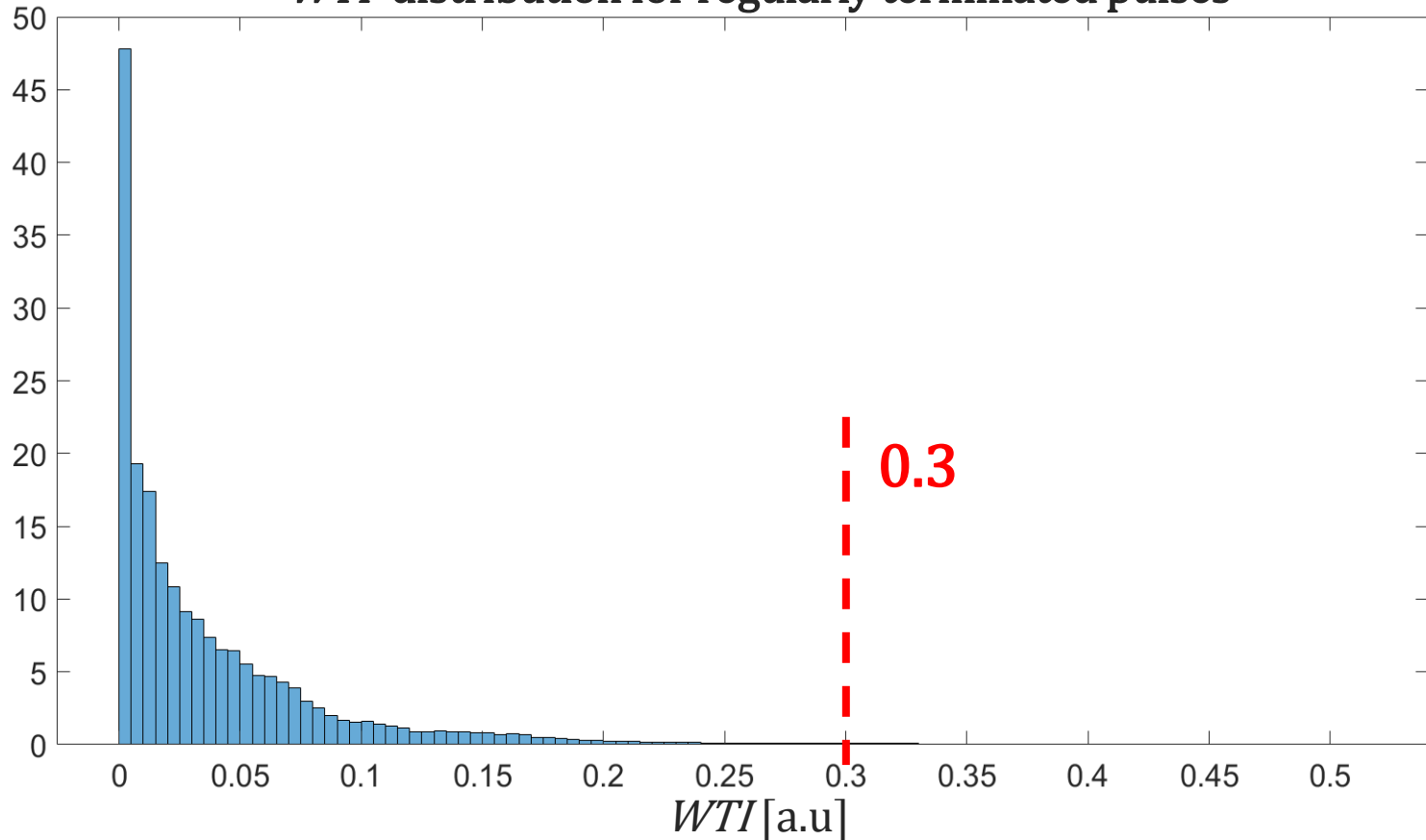
## Identification of a threshold (*WTI*):

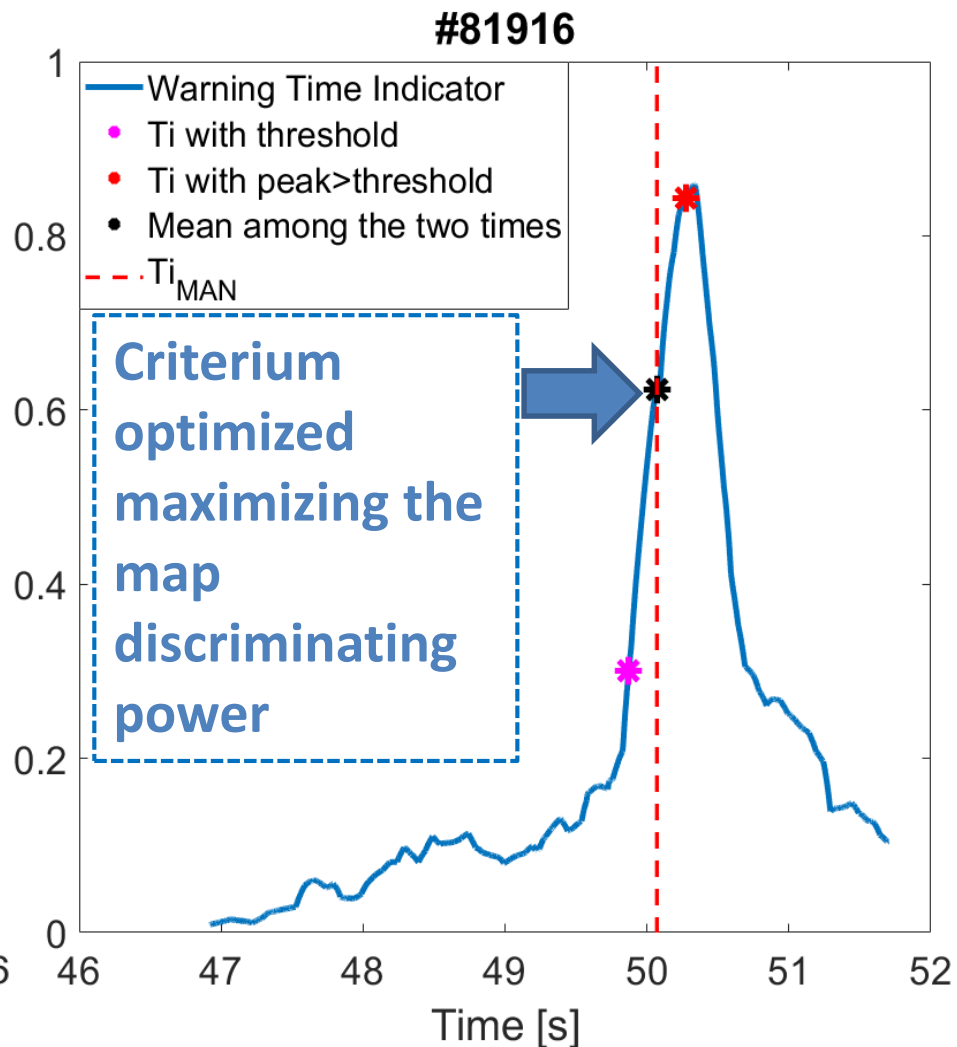
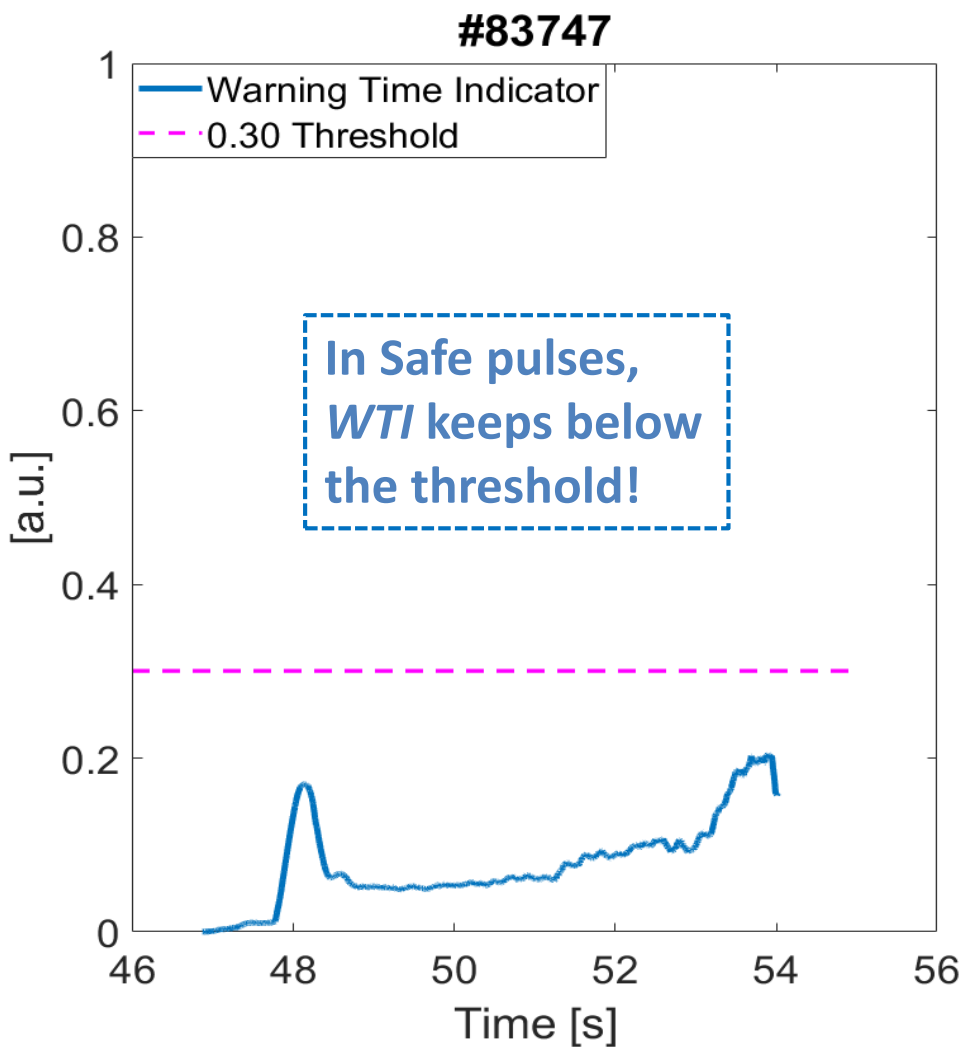
We used the 99<sup>th</sup> percentile of the *WTI* distribution in safe pulses

**Methods for the detection:** Signal higher than threshold for k consecutive samples

First peak over the threshold

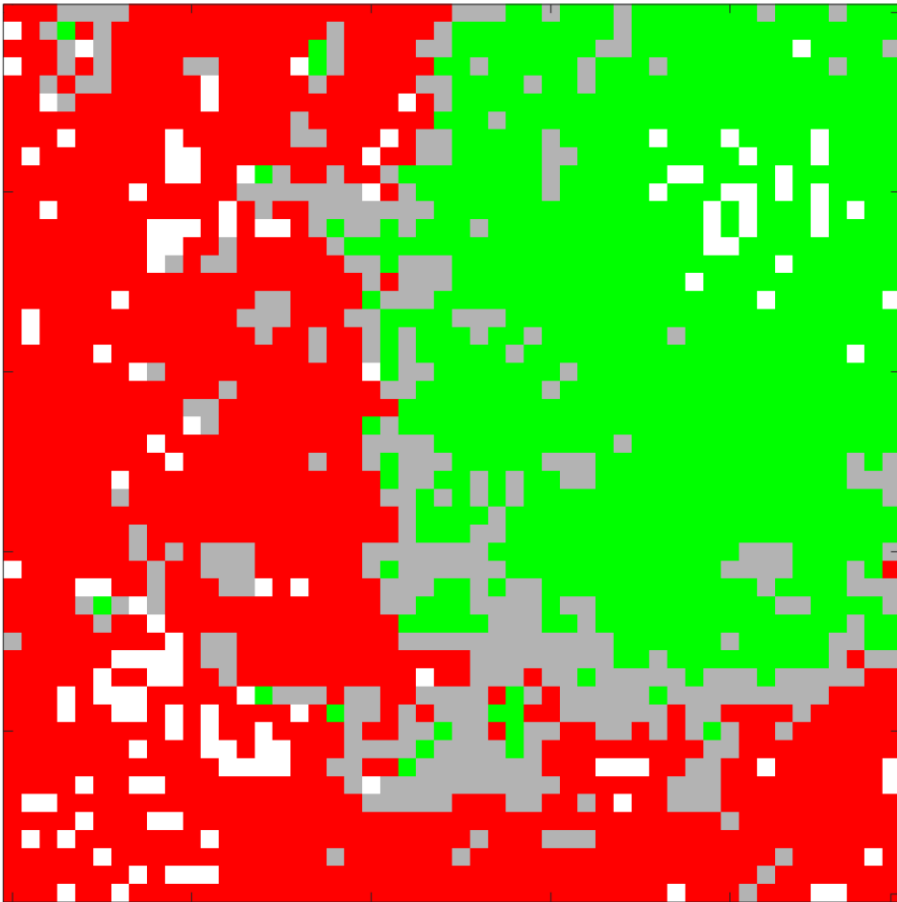
*WTI* distribution for regularly terminated pulses



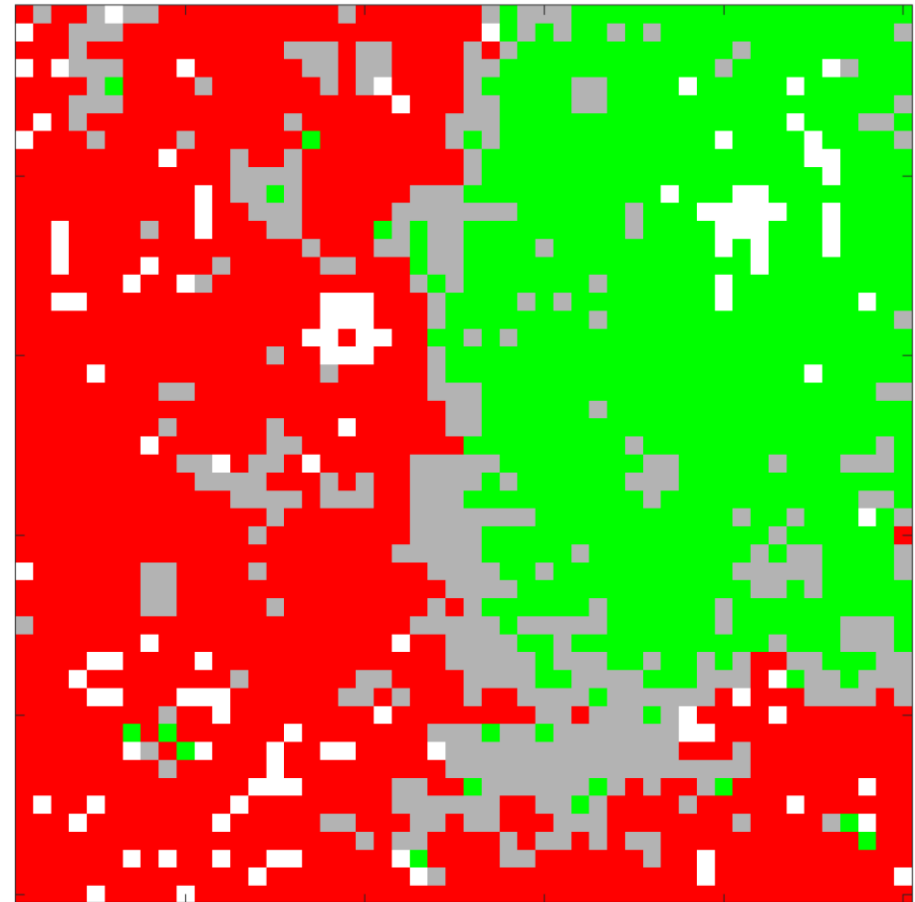




**a) GTM<sub>C28-C30</sub>-MAN**



**b) GTM<sub>C28-C30</sub>-AUT**





The two maps have quite similar composition:

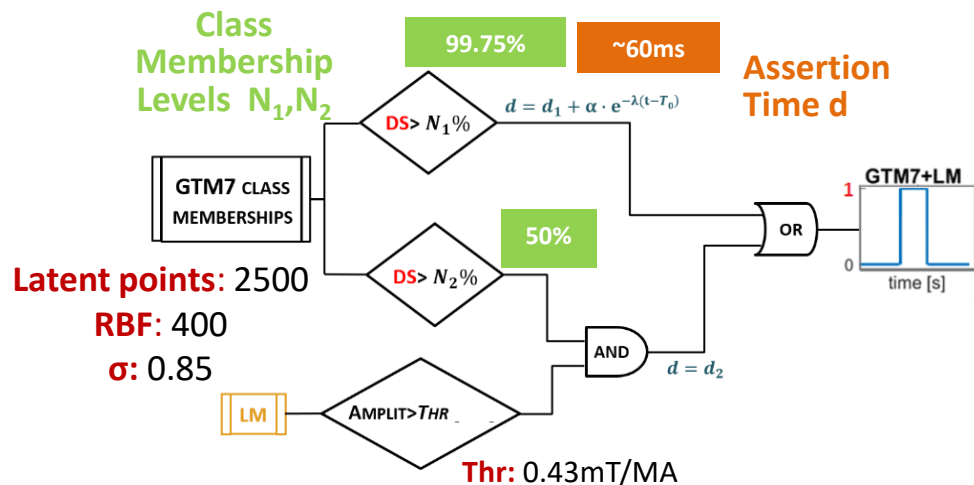
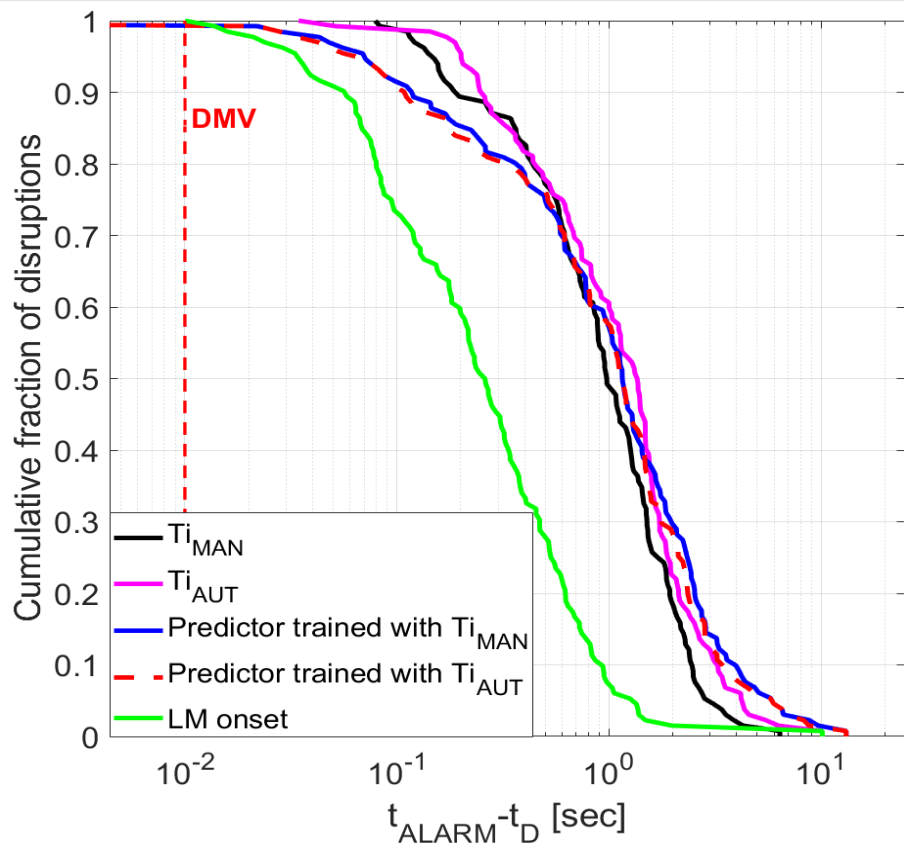
**a) GTM<sub>C28-C30-MAN</sub>**

Type of cell	Number of cells	% of clusters	% of samples in the clusters	% samples of a class in a cell of the same class
Safe	861	34.44	40.74	79.17
Disrupted	1109	44.36	41.15	84.74
Mixed	392	15.68	<b>18.12</b>	-
Empty	138	5.52	-	-

**b) GTM<sub>C28-C30-AUT</sub>**

Type of cell	Number of cells	% of clusters	% of samples in the clusters	% samples of a class in a cell of the same class
Safe	787	31.48	35.92	75.25
Disrupted	1176	47.04	42.60	81.51
Mixed	414	16.56	<b>21.48</b>	-
Empty	123	4.92	-	-

- The number of cells are very similar
- the percentage of samples falling in the mixed grey clusters differs by about 3% (related to **map discriminating power**)



## Database composition

Set	Train	Test	All
Disruptions	89	43	132
Safe	70	45	115

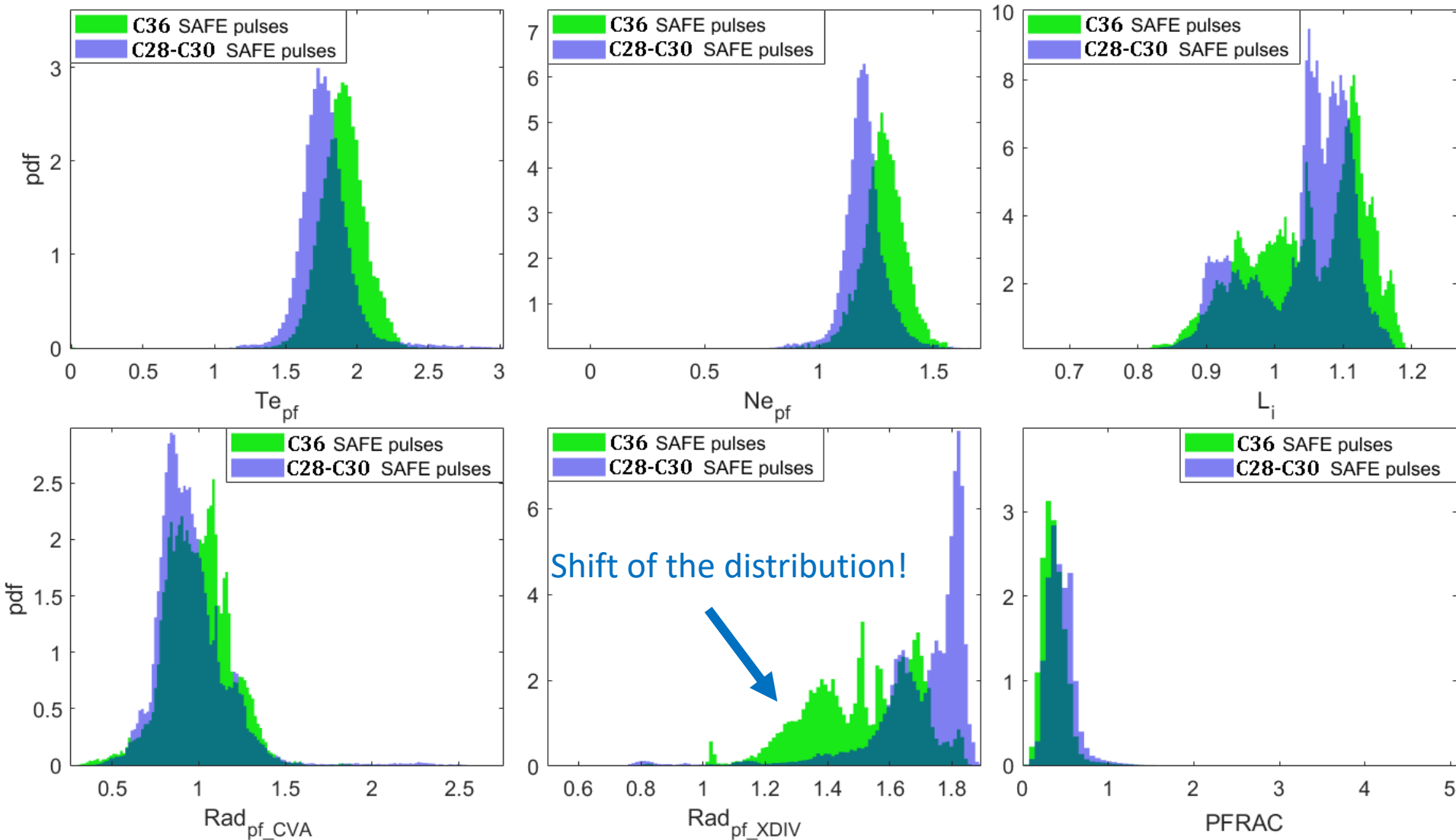
## Training set prediction errors

	GTM <sub>C28-C30-MAN</sub>	GTM <sub>C28-C30-AUT</sub>
MA	0	0
TD	1	1
FA	0	0

## Test set prediction errors

	GTM <sub>C28-C30-MAN</sub>	GTM <sub>C28-C30-AUT</sub>
MA	1	1
TD	0	0
FA	6	3

## New Dataset: 2016 Campaign (C36)

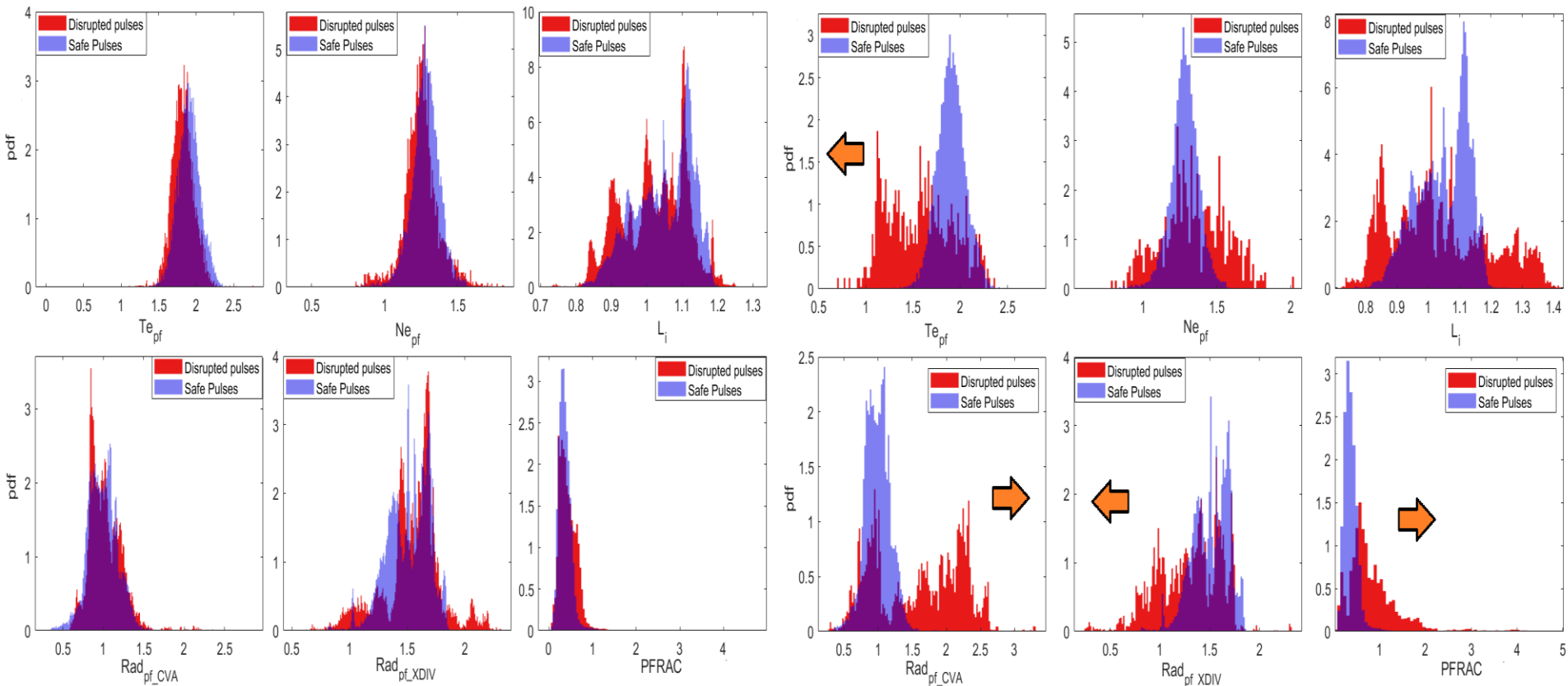


We can see that generally parameters overlap → good!

## New Dataset: 2016 Campaign (C36)

Before Ti

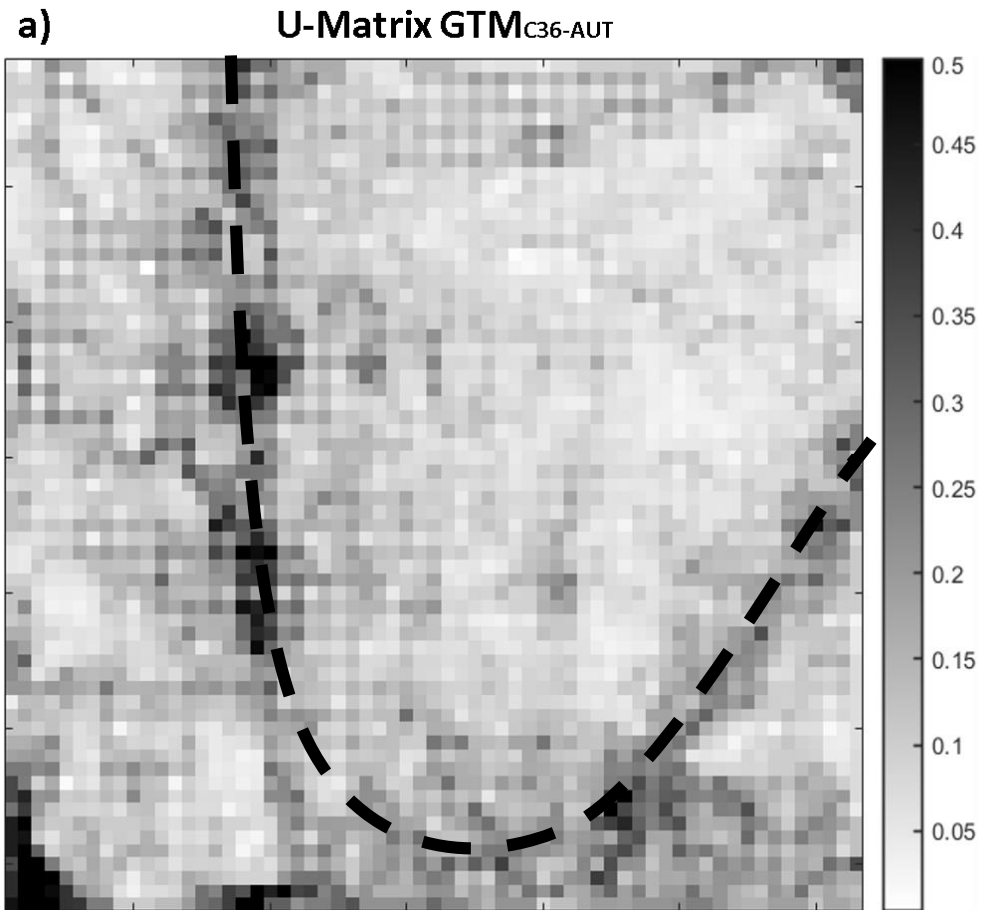
After Ti

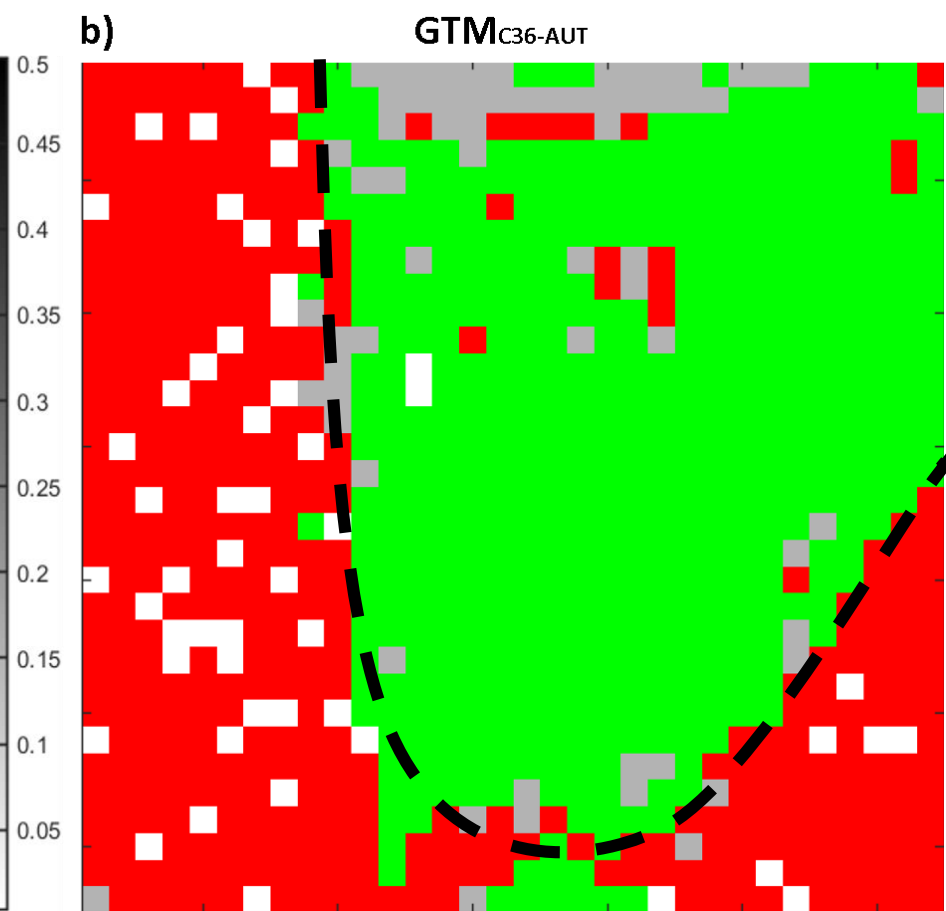
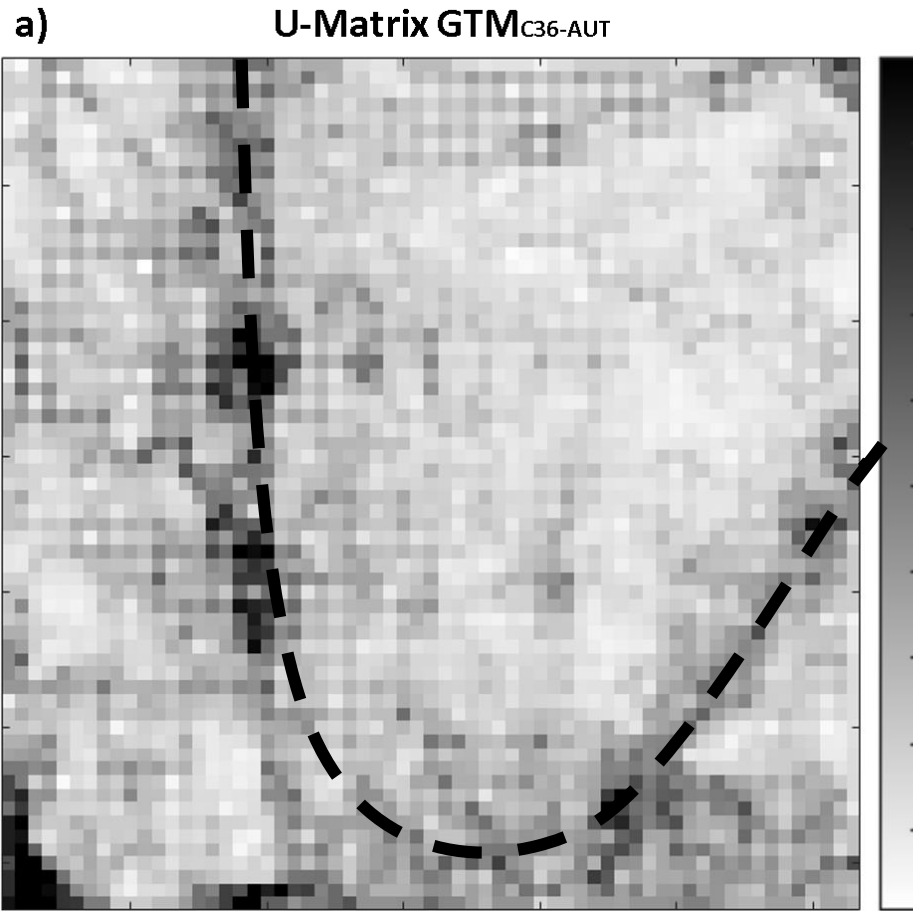


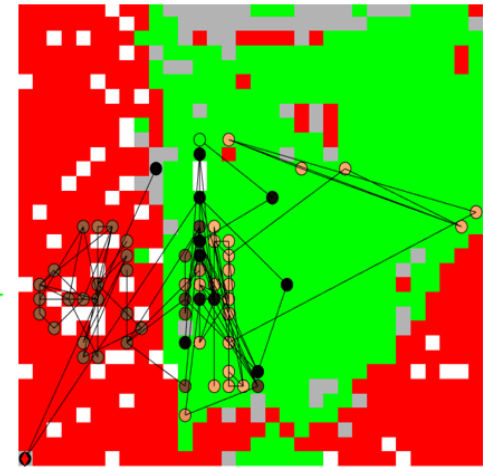
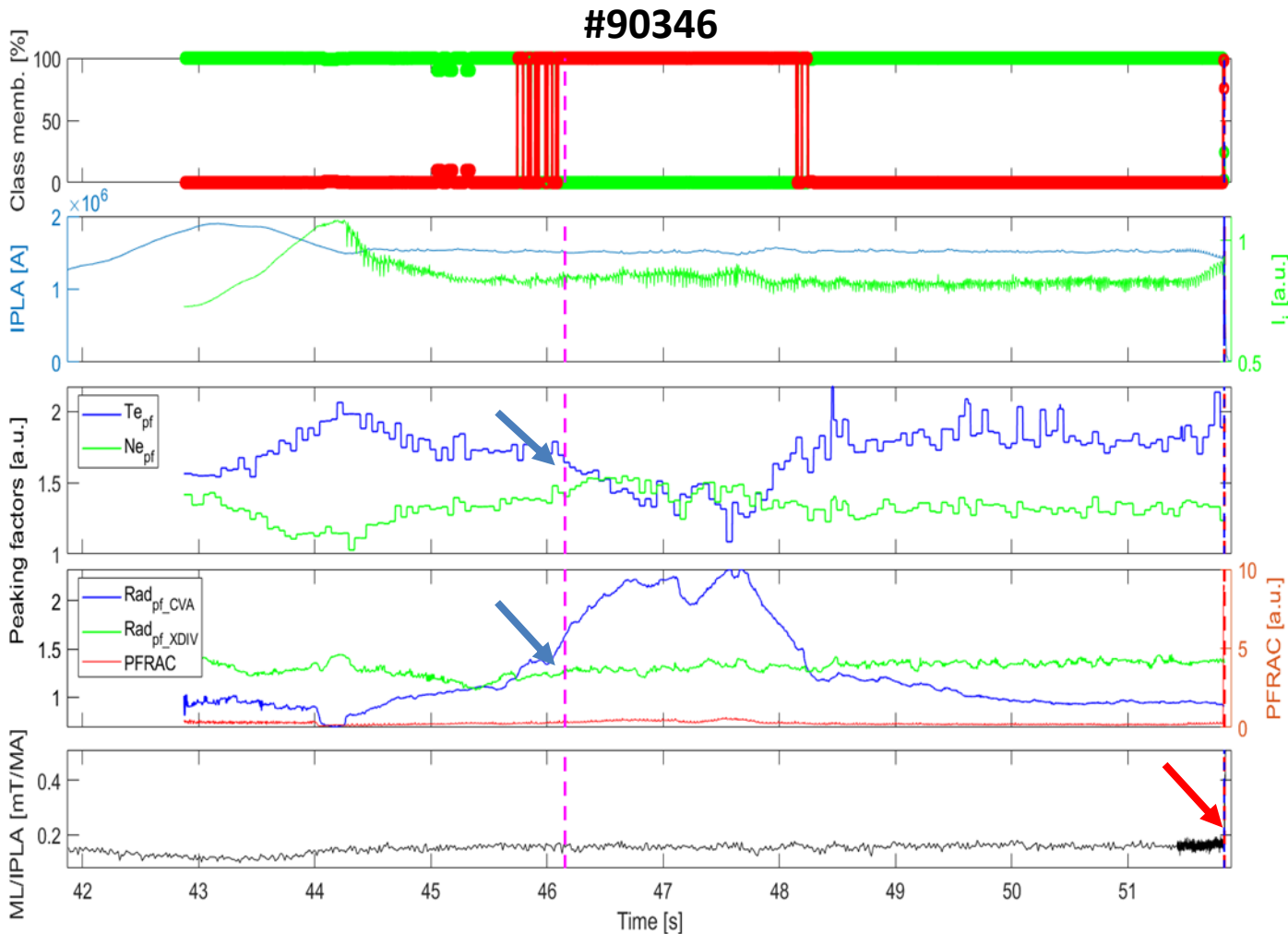
Consistency with the C28-C30 results

Similar shift of plasma parameters









## Impurity

### Accumulation pattern:

- Decrease of  $Te_{pf}$
- Increase of  $Ne_{pf}$
- Increase of  $Rad_{pf-CVA}$

ML signal rises at the very end

Comment in a shotlist given by Peter Lomas  
 No sawteeth. But  $Z_{eff}$  rises, possibly due to mid-z impurities. End of pulse stable, but **mode lock and disruption at the very end**



## **General concepts:**

- the integration of ML models with physics-based models (for plasma control and in a disruption avoidance framework) requires interpretability!
- the automatic Warning Times automate the predictive model update while not compromising the interpretability of the model itself

## **The *WTI* algorithm**

- exploits intrinsic data properties (distance between the safe and disrupted distribution of each parameter) to detect the pre-disruptive phase of a disruption
- can help automating the analyses and the predictive model update in an interpretable machine learning framework
- has led to very good results in disruption prediction in the C28-C30 dataset
- has been validated with C36 shots, with an unsupervised algorithm (GTM), providing similar topological properties and well-defined map borders



# BACKUP SLIDES



Plasma parameter	Definition
<b><math>Te_{pf}</math></b> : <i>electron temperature peaking factor</i>	$Te_{pf} = \frac{\text{mean}(Te_{Core})}{\text{mean}(Te_{all})}$
<b><math>Ne_{pf}</math></b> : <i>electron density peaking factor</i>	$Ne_{pf} = \frac{\text{mean}(Ne_{Core})}{\text{mean}(Ne_{all})}$
<b><math>Rad_{pf-CVA}</math></b> : <i>core peaking factor</i>	$Rad_{pf-CVA} = \frac{\text{mean}(Rad_{Core})}{\text{mean}(Rad_{All} - Rad_{XDIV})}$
<b><math>Rad_{pf-X-DIV}</math></b> : <i>divertor radiation peaking factor</i>	$Rad_{pf-XDIV} = \frac{\text{mean}(Rad_{XDIV})}{\text{mean}(Rad_{All} - Rad_{Core})}$
<b>PFRAC</b> : <i>fraction of <math>P_{rad}</math> with respect to the <math>P_{tot}</math></i>	$PFRAC = \frac{P_{rad}}{P_{tot}}$
<b>li</b> : <i>internal inductance</i>	<i>Signal from JET database</i>



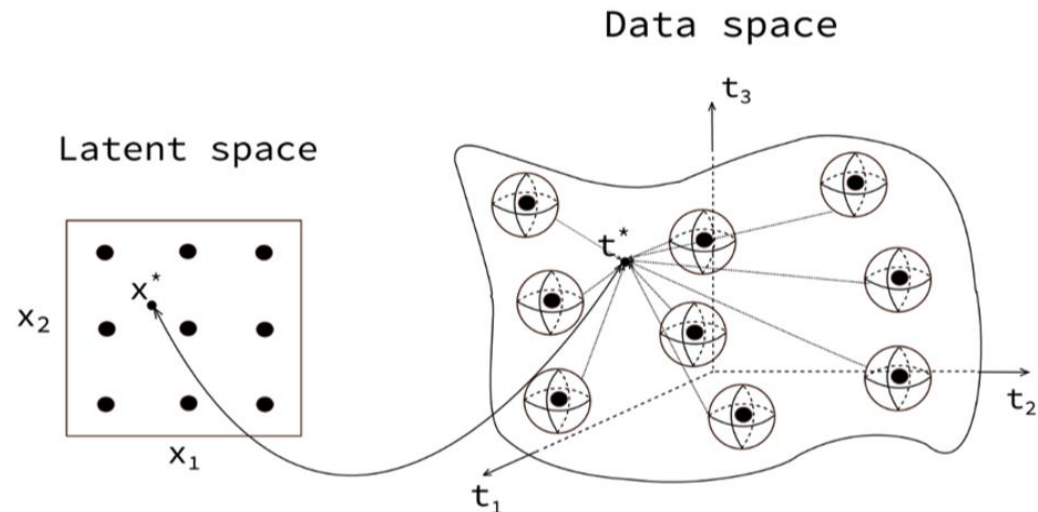
It is an unsupervised machine learning algorithm, hence it exploits only data properties [2]

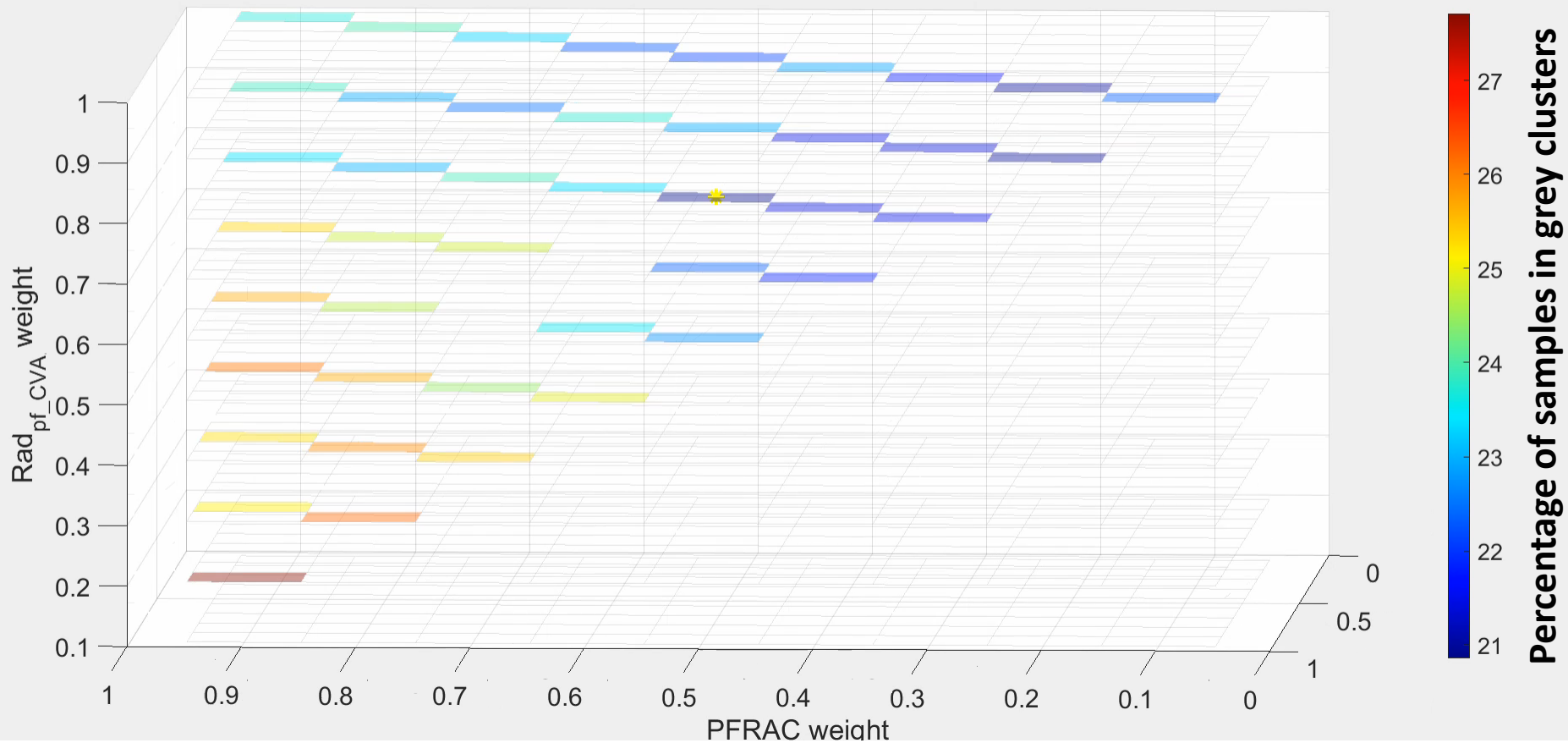
- It maps a data space  $t \in \mathcal{R}^D$  in a latent space  $x \in \mathcal{R}^L$
- The mapping function is a linear combination of functions  $\Phi: y(x, W) = W \cdot \Phi(x)$
- The algorithm models data uncertainty as gaussian noise
- An **Expectation-Maximization** (EM) procedure is used to update the model
- The algorithm **preserves** the topographic ordering properties of the data space

[2]: Bishop C., Svensén M., Williams C. (1998) “**GTM: The generative topographic mapping**”, *Neural Computation* 10:215–34.0

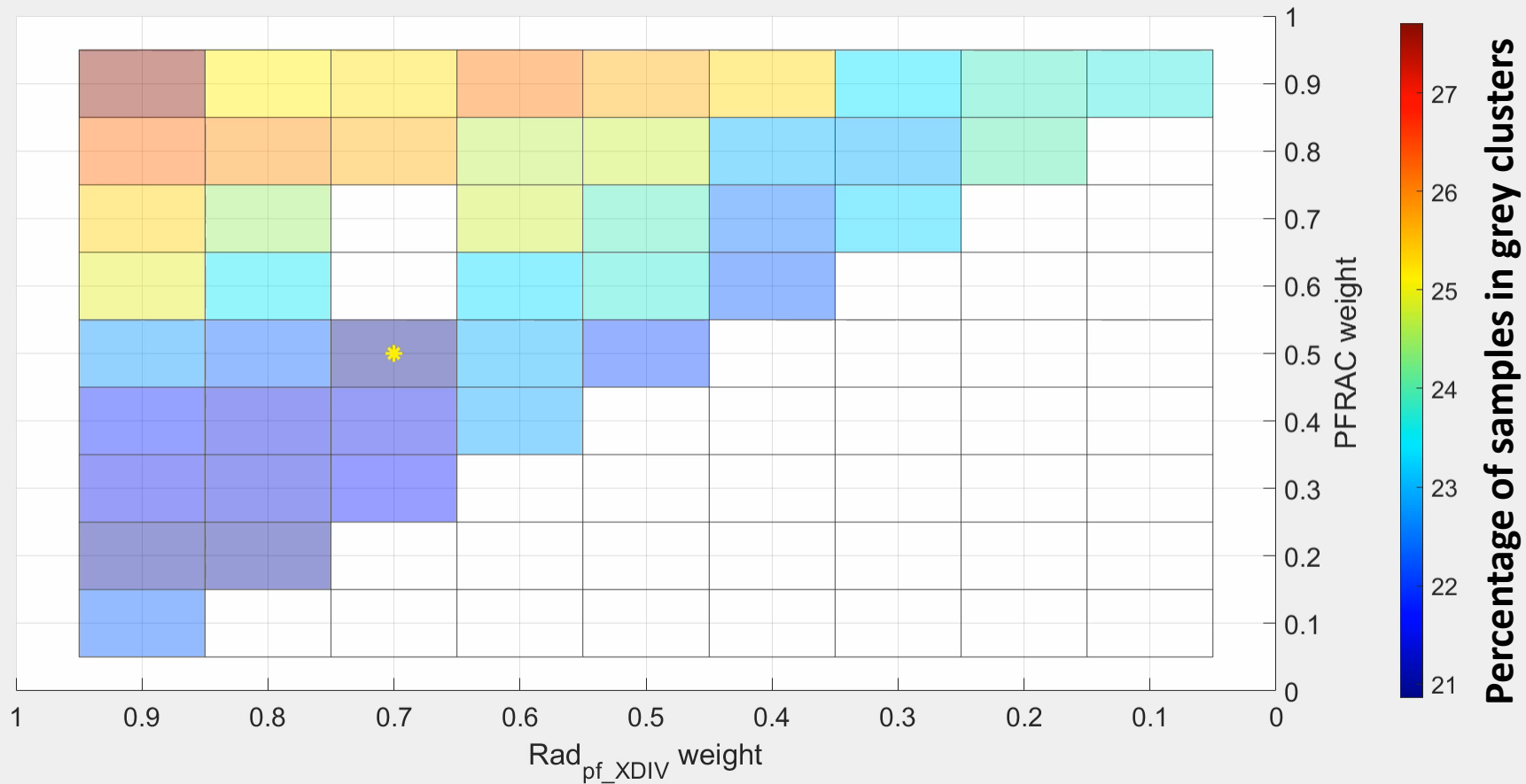
There is a ready Matlab tool for its use [3]

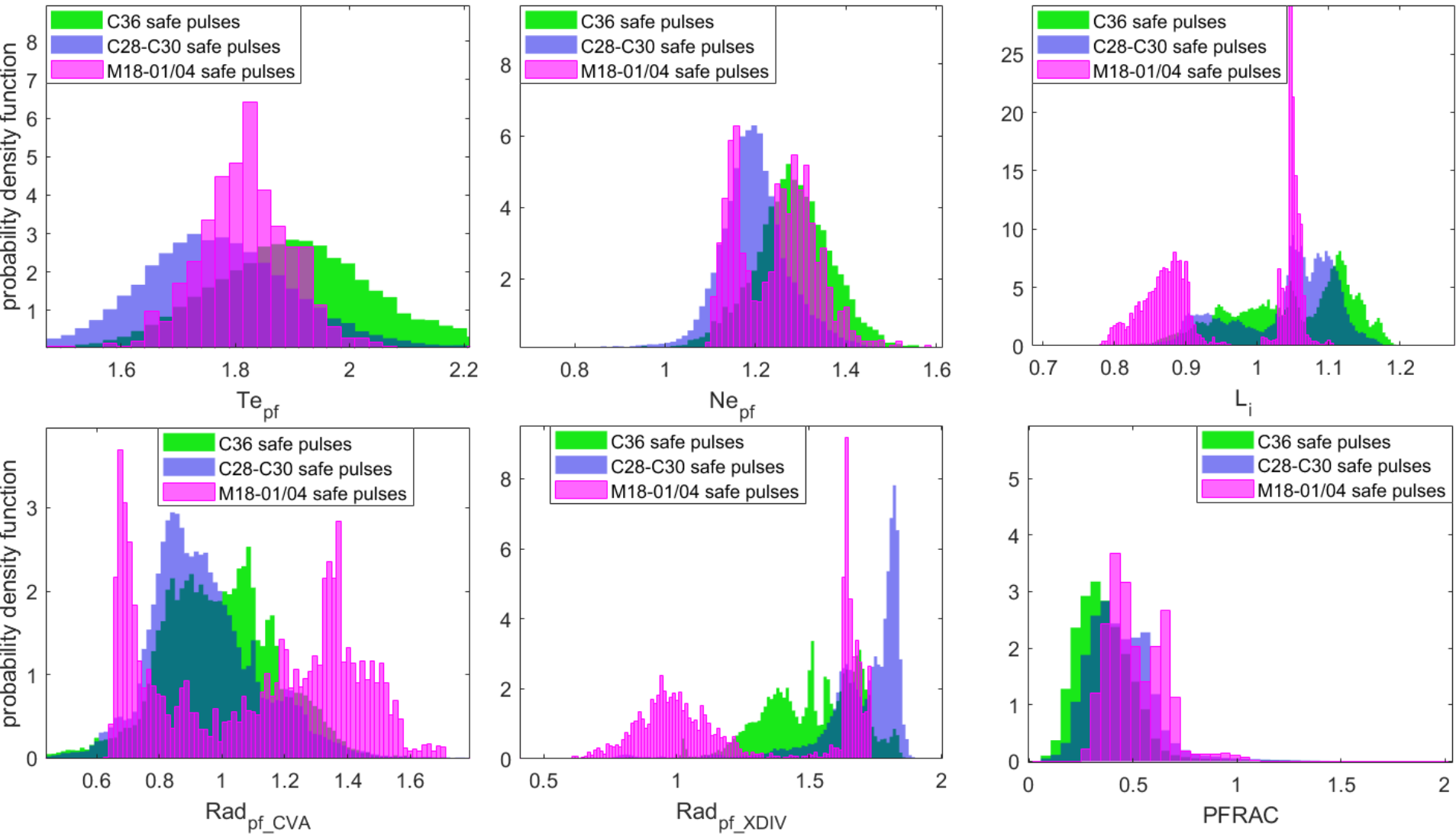
[3]: A. Pau, “**Techniques for prediction of disruptions on TOKAMAKS**” [Ph.D Thesis], <http://paduaresearch.cab.unipd.it/6664/>, 2014





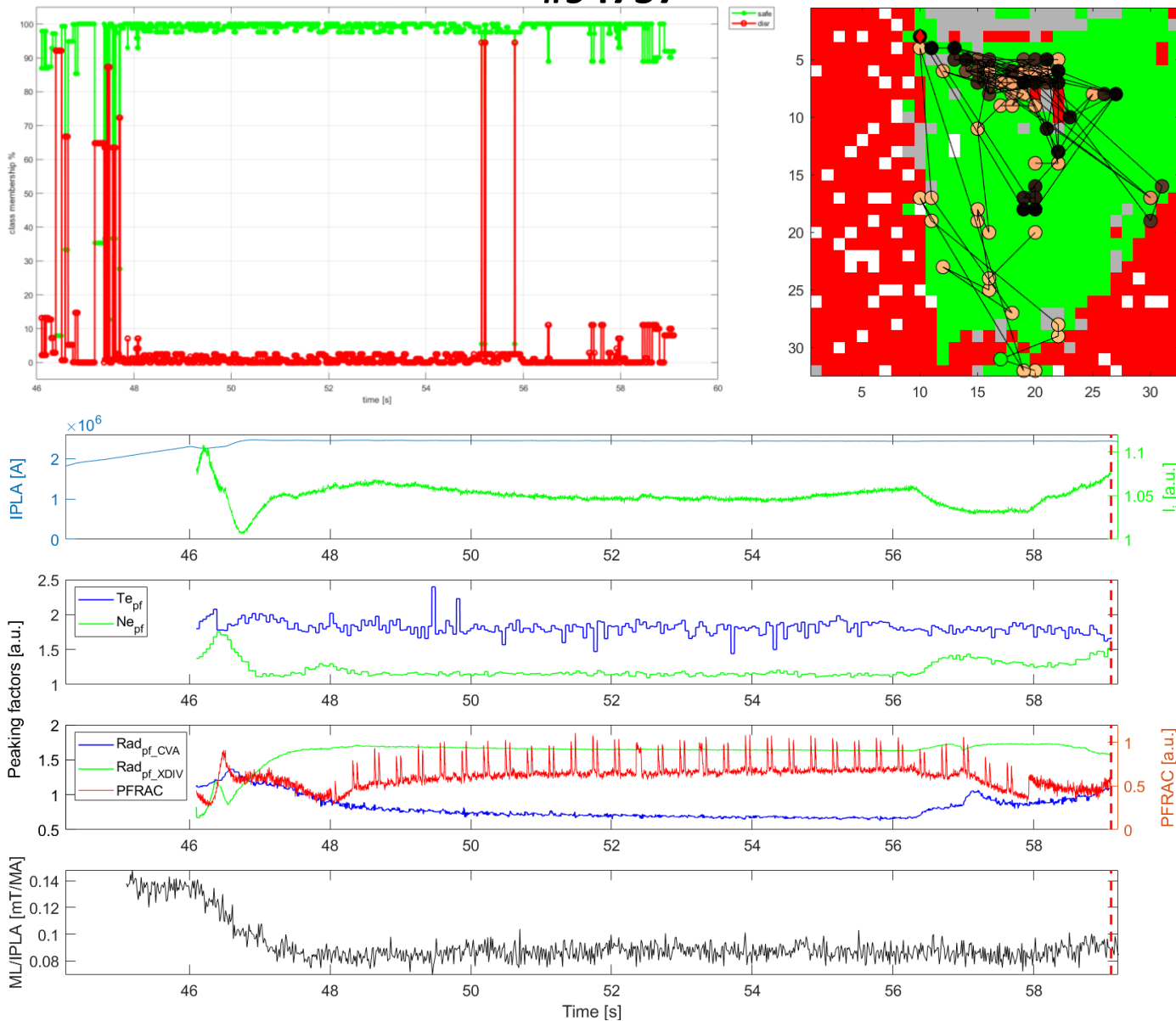




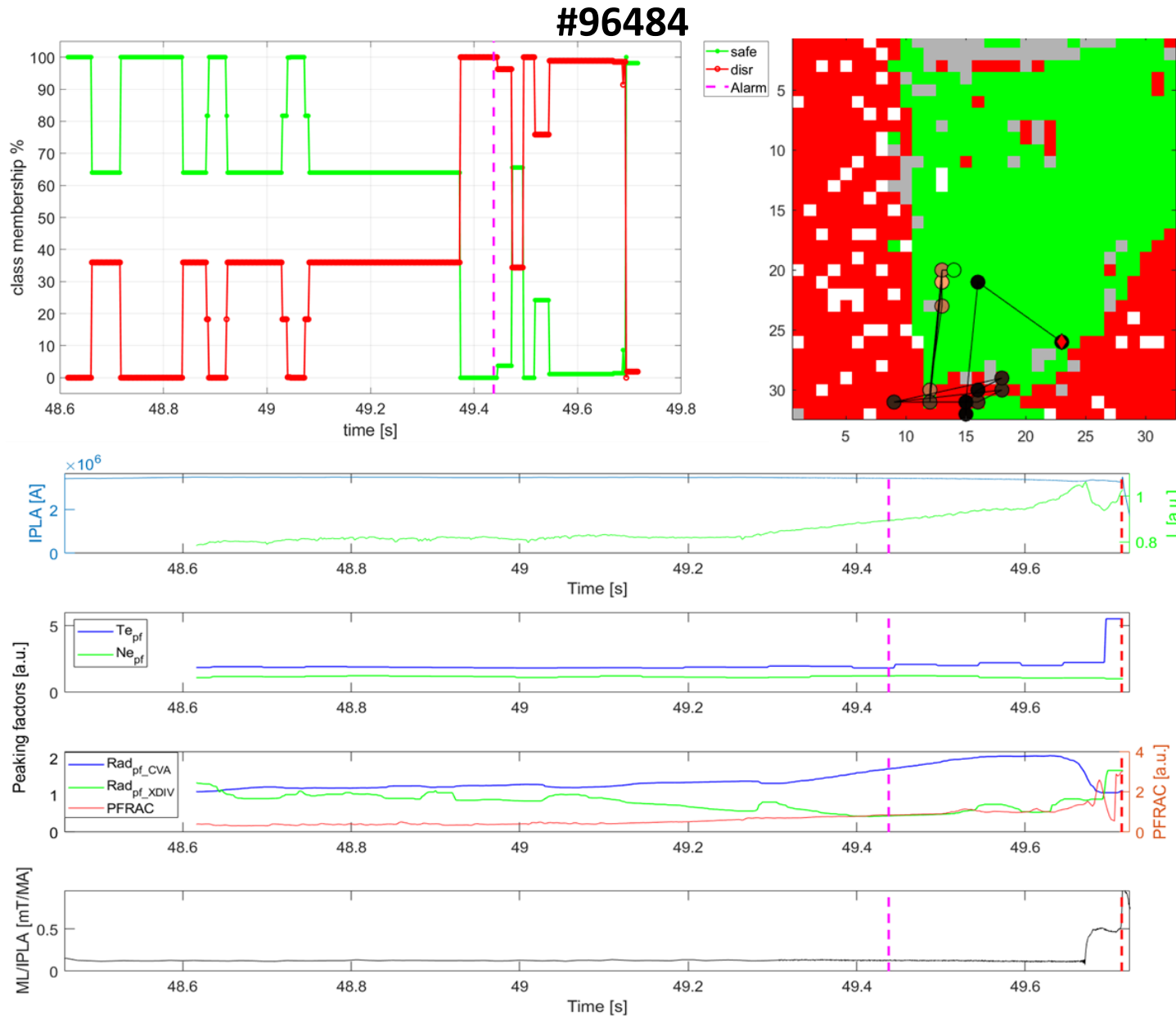


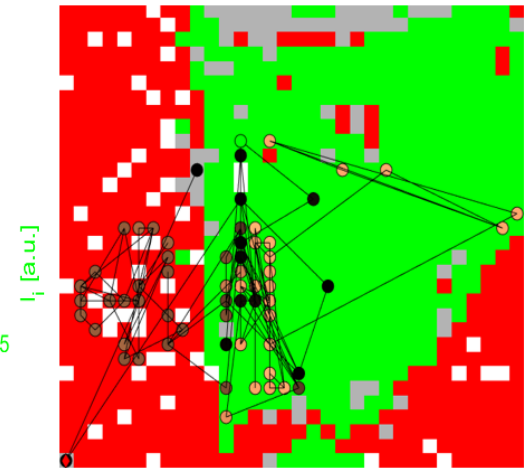
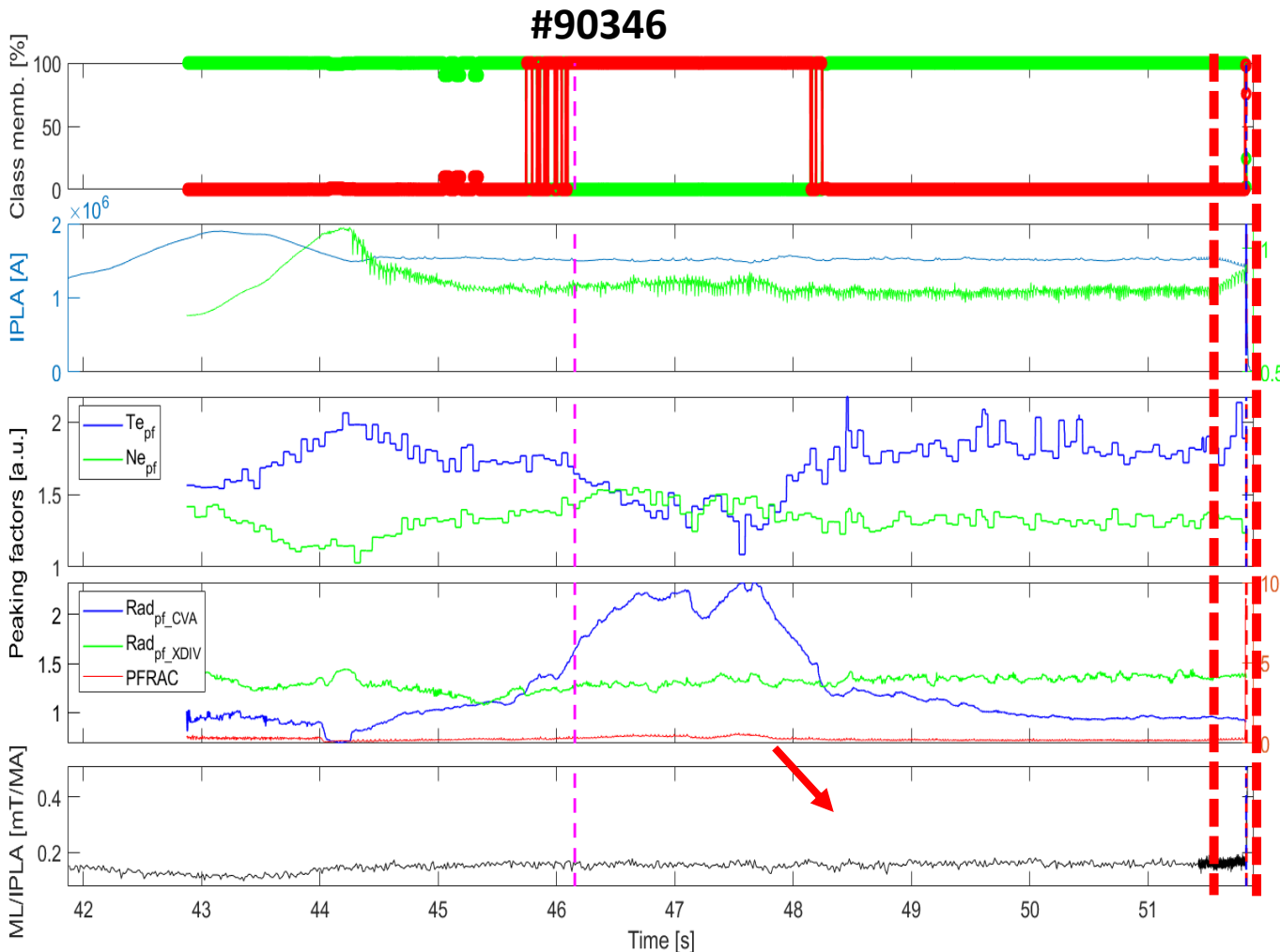


## #94757



# Further analyses A recent disrupted discharge



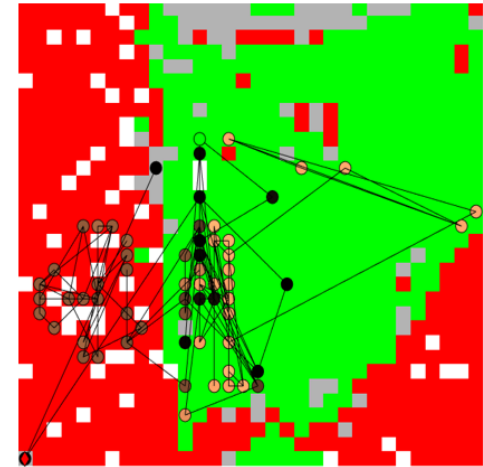
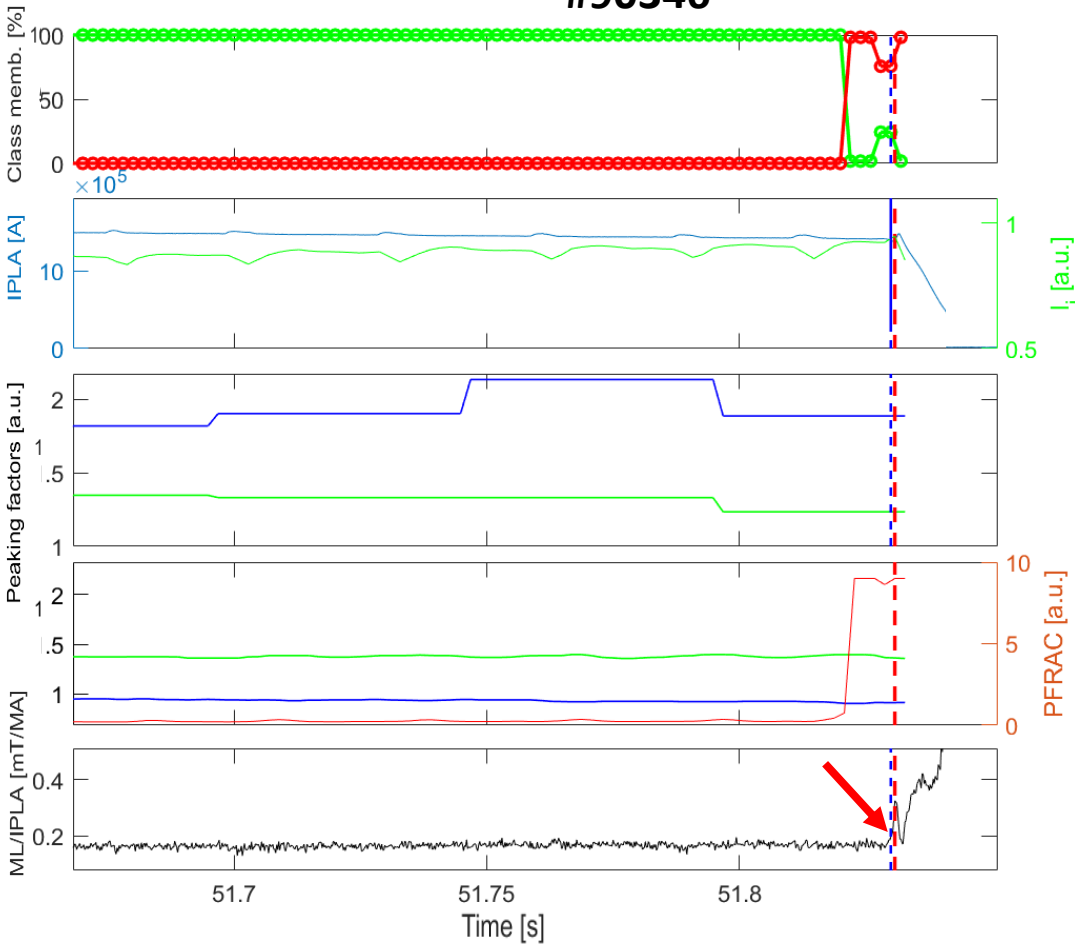


ML signal rises at the very end

Comment in a shotlist given by Peter Lomas  
No sawteeth. But Zeff rises, possibly due to mid-z impurities. End of pulse stable, but mode lock and disruption at the very end



## #90346



ML signal rises at the very end

Comment in a shotlist given by Peter Lomas  
No sawteeth. But Zeff rises, possibly due to mid-z impurities. End of pulse stable, but mode lock and disruption at the very end